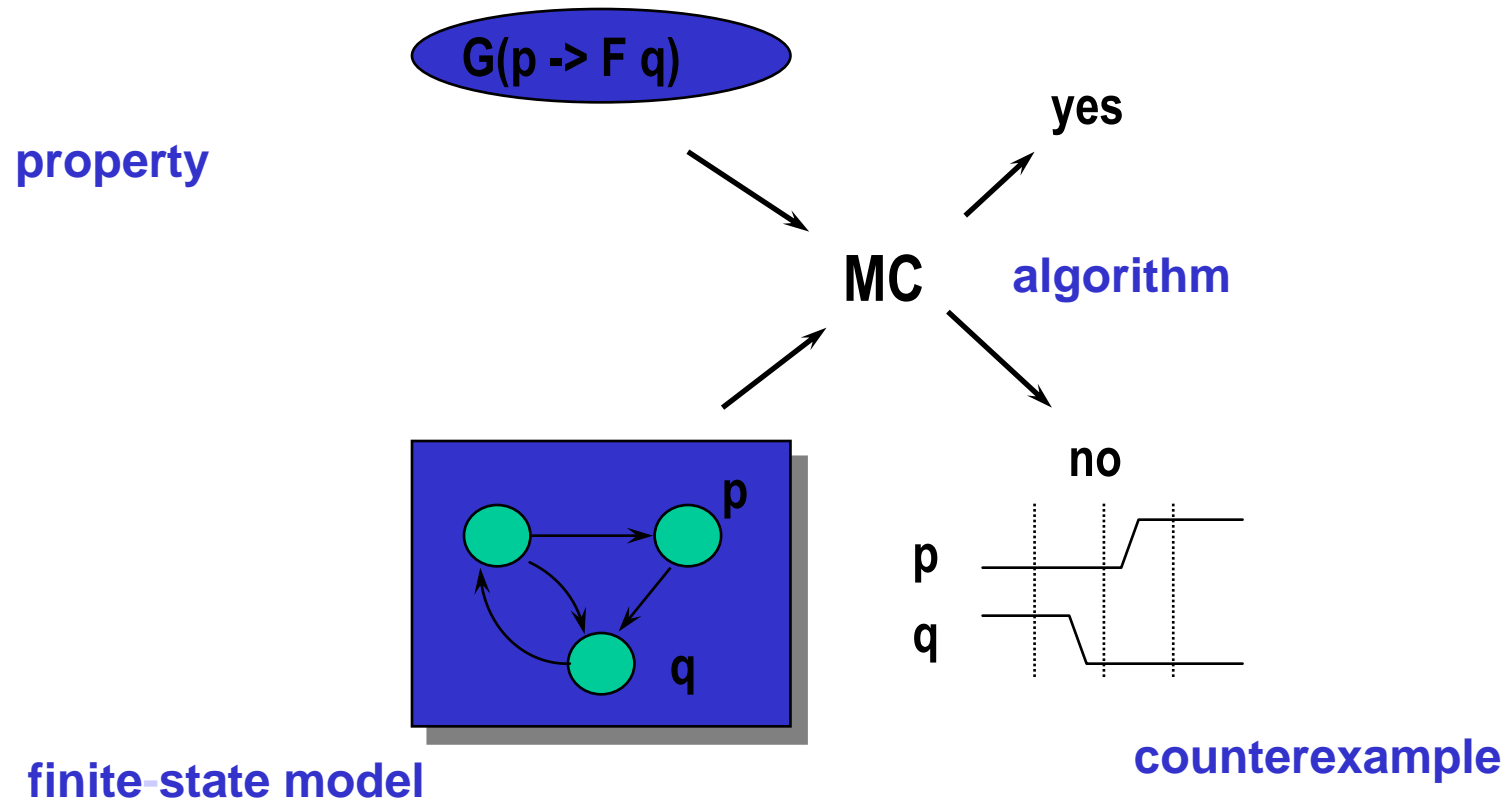


# Specifying circuit properties in PSL

(Much of this material is due to Cindy Eisner and Dana  
Fisman, with thanks)

See also the Jasper PSL Quick Ref.

# Background: Model Checking



# Two main types of temporal logic

- Linear-time Temporal Logic (LTL)
  - must properties, safety and liveness
  - Pnueli, 1977
- Computation Tree Logic (CTL)
  - branching time, may properties, safety and liveness
  - Clarke and Emerson, Queille and Sifakis, 1981

Linear time conceptually simpler (words vs trees)

Branching time computationally more efficient

We will return to this in a later lecture

But

temporal logics hard to read and write!

# Computation Tree Logic

A sequence beginning with the assertion of signal `strt`, and containing **two** not necessarily consecutive assertions of signal `get`, during which signal `kill` is not asserted, must be followed by a sequence containing **two** assertions of signal `put` before signal `end` can be asserted

$AG \sim (strt \ \& \ EX \ E[\sim get \ \& \ \sim kill \ U \ get \ \& \ \sim kill \ \& \ EX \ E[\sim get \ \& \ \sim kill \ U \ get \ \& \ \sim kill \ \& \ E[\sim put \ U \ end] \ or \ E[\sim put \ \& \ \sim end \ U \ (put \ \& \ \sim end \ \& \ EX \ E[\sim put \ U \ end])]])])])$

# Basis of PSL was Sugar (IBM, Haifa)

Grew out of CTL

Added lots of syntactic sugar

Engineer friendly, used in many projects

Used in the industrial strength MC RuleBase

Standardisation led to further changes

# Assertion Based Verification (ABV) can be done in two ways

During simulation

- (dynamic, at runtime, called semi-formal verification, checks only those runs)

As a static check

- (formal verification, covers all possible runs, more comprehensive, harder to do, restricted to a subset of the property language)

(Note: this duality has been important for PSL's practical success, but it also complicates the semantics!)

# Safety Properties

always (p)

”Nothing bad will ever happen”

Most common type of property checked in practice

Easy to check (more later)

Disproved by a **finite** run of the system

always (not (gr1 and gr2))



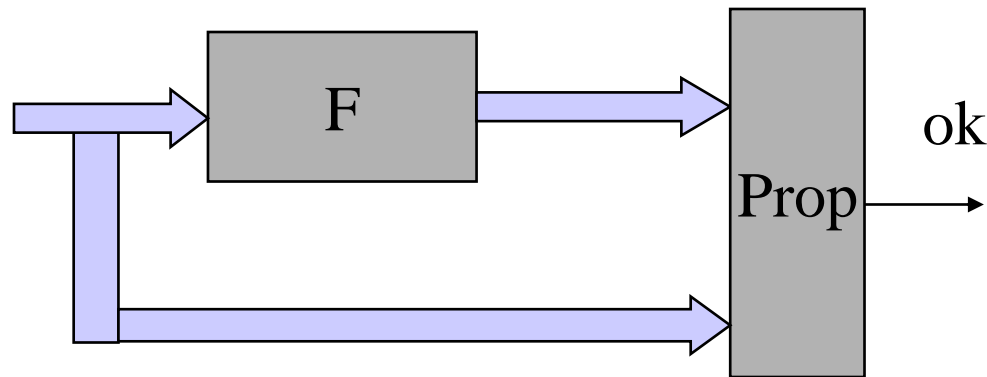
# Observer: a second approach

Observer written in same language as circuit

Safety properties only

Used in verification of control programs such as Lustre programs  
that control safety critical features in the airbus

(and in Lava later)



# Back to PSL

Layers

Boolean (we use VHDL flavour and the simplest choice of what the clock in properties is)

Temporal (temporal operators, SEREs)

Verification (group properties, specify whether to verify or assume etc.)

Modelling (subset of chosen HDL)

# Temporal layer

Foundation Language (FL) + Optional Branching Extension(OBE)

# Temporal layer

Foundation Language (FL) + Optional Branching Extension(OBE)

where CTL comes in

can refer to sets of traces

FV only

# Temporal layer

Foundation Language (FL) + Optional Branching Extension (OBE)

Property of a single trace or run

Temporal operators (LTL)  
+ SEREs (two styles)

Sim. or FV

our main concern

# Temporal operators

always                      (= never not ...)

Most PSL properties start with this!

0 1 2 3 4 5

a



b



assert not (a and b)

?

0 1 2 3 4 5

a



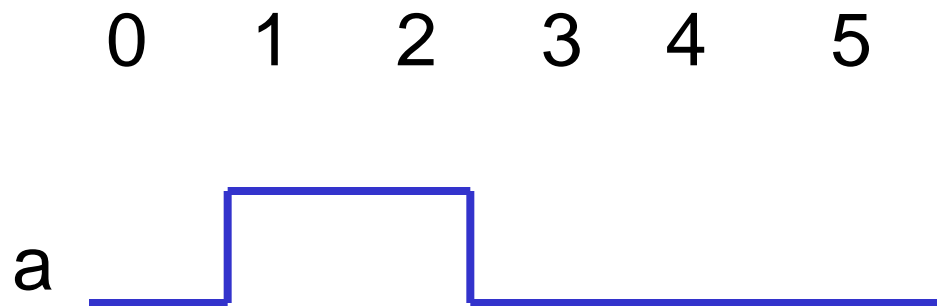
b



assert not (a and b)

holds



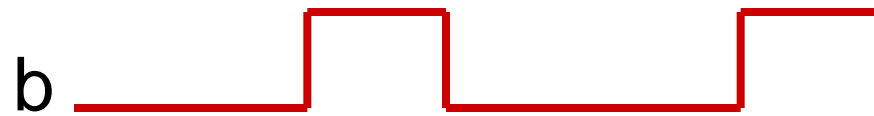


assert not (a and b)

Pure boolean assertion  
refers to FIRST cycle  
ONLY

holds

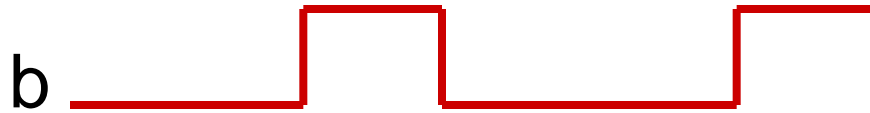
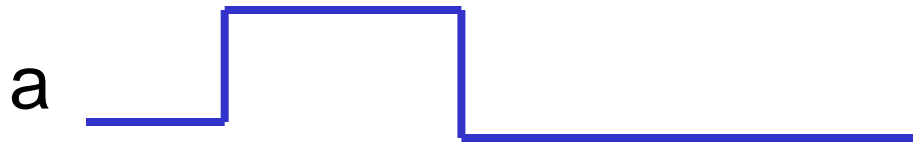
0 1 2 3 4 5



assert always not (a and b)

?

0 1 2 3 4 5



assert always not (a and b)

does not hold

assert never (a and b)

is same

# Temporal operators

next

next  $p$     holds in a cycle if  $p$  holds at the next cycle

# Example

Whenever signal **a** is asserted then in the next cycle signal **b** must be asserted

# Logical implication

Boolean

But often used inside temporal ops

$p1 \rightarrow p2$  is  $(\text{not } p1) \text{ or } p2$

if  $p1$  then  $p2$  else **true**

# Logical implication

Boolean

But often used inside temporal ops

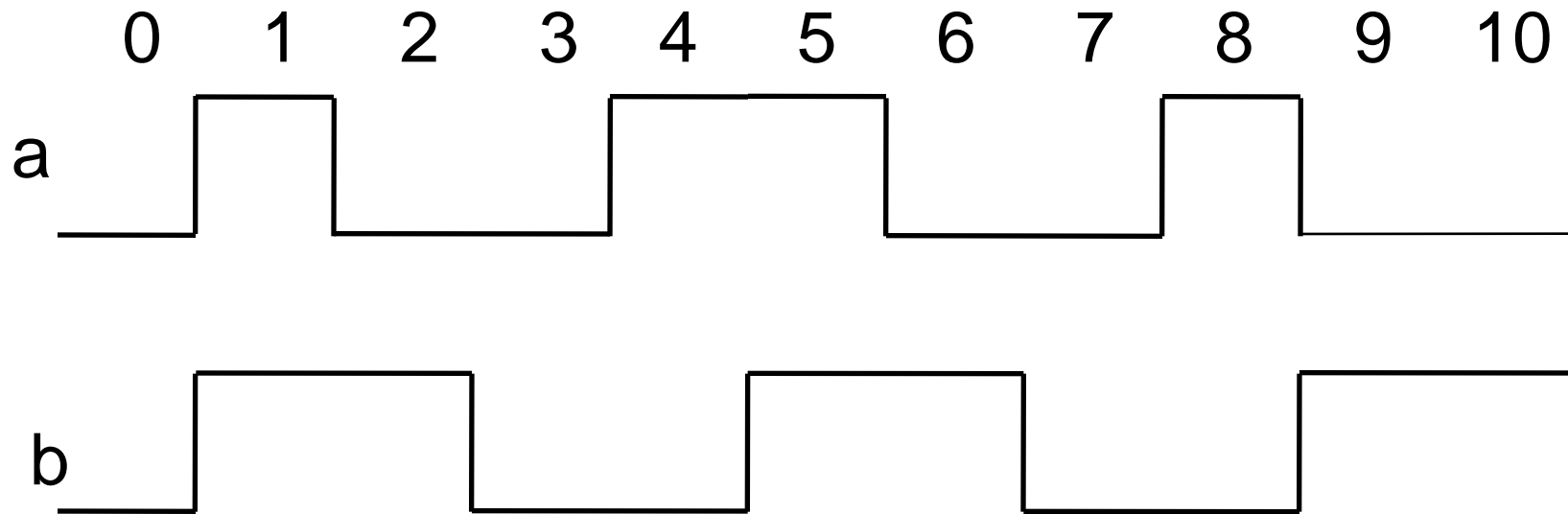
$p1 \rightarrow p2$  is  $(\text{not } p1) \text{ or } p2$

$p2$  else **true**

Is TRUE if p1 is false

Beware!

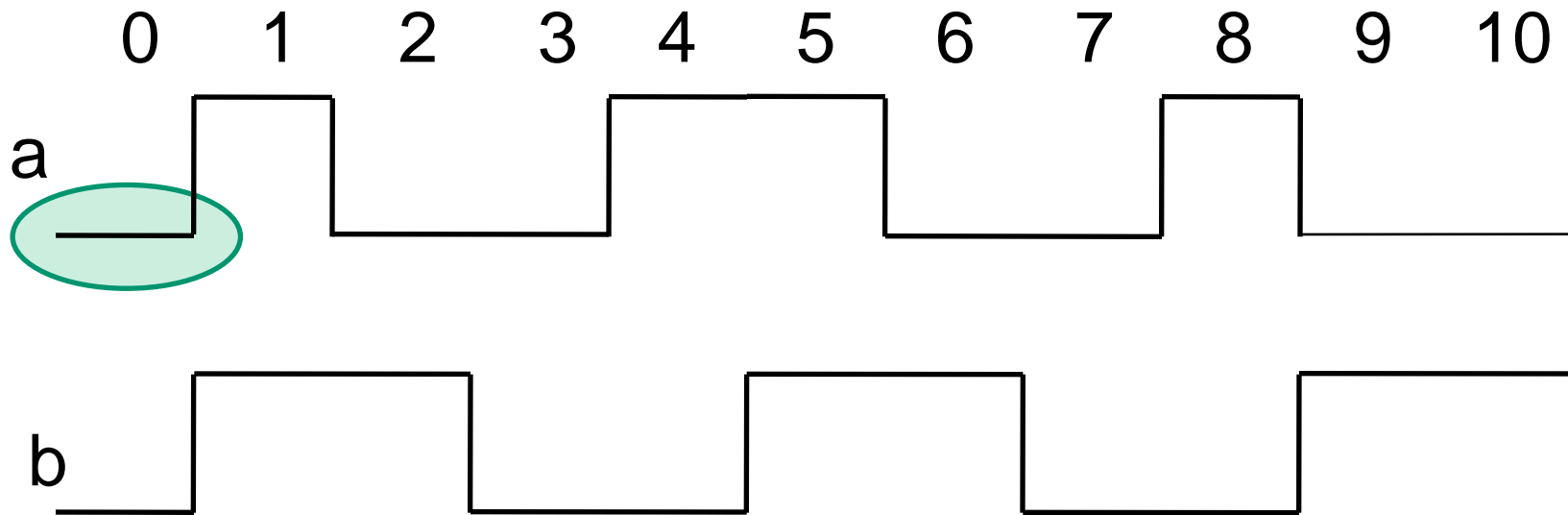
# next and implication



assert always (a -> next b)



# next and implication

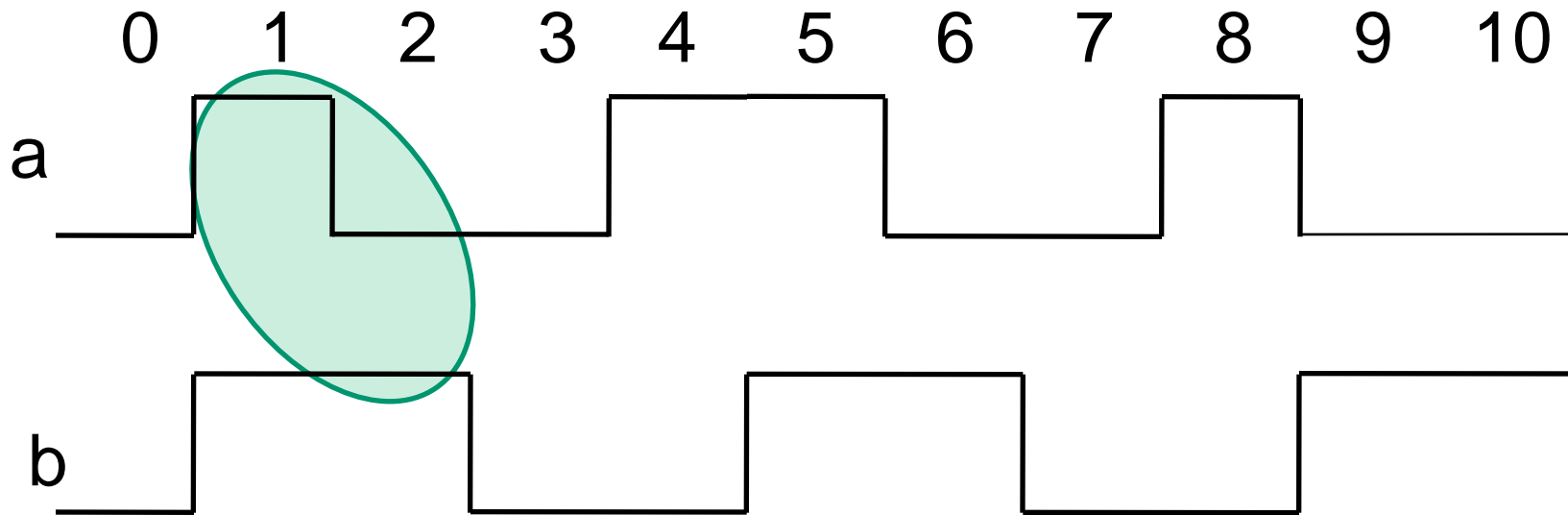


a does not hold



assert always (a -> next b)

# next and implication

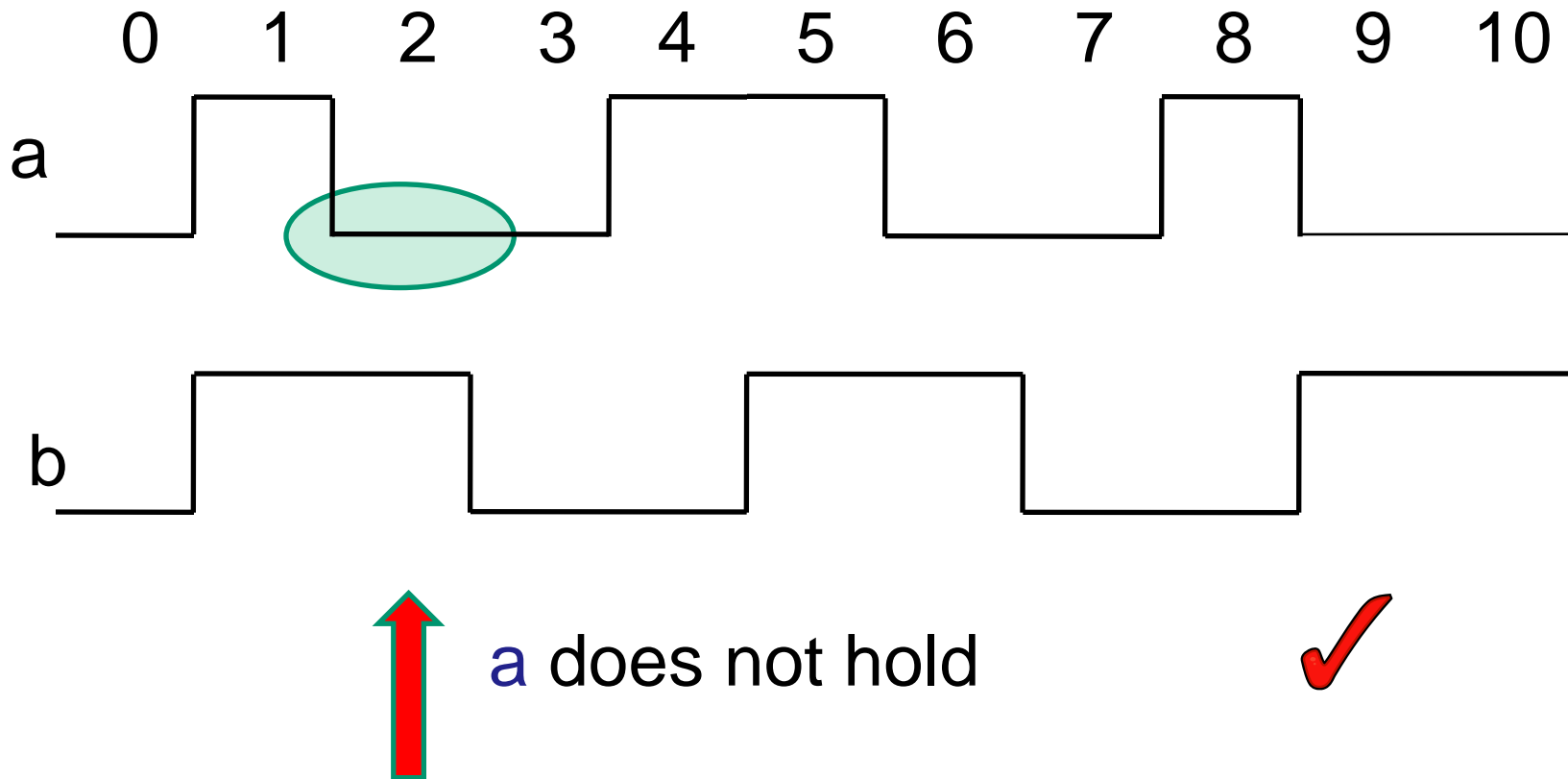


*a* holds so check *b* in next cycle



assert always (*a* -> next *b*)

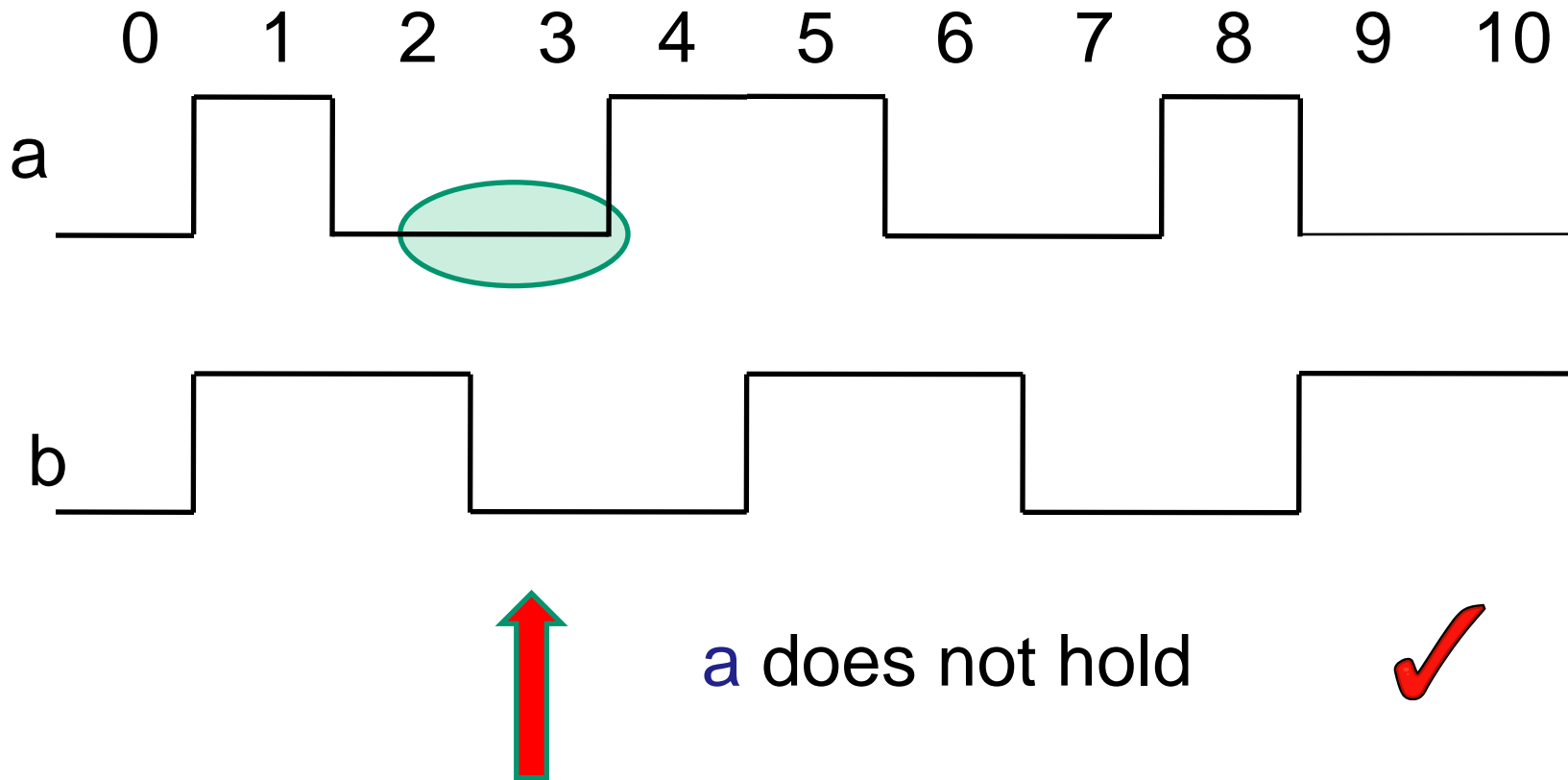
# next and implication



assert always ( $a \rightarrow \text{next } b$ )

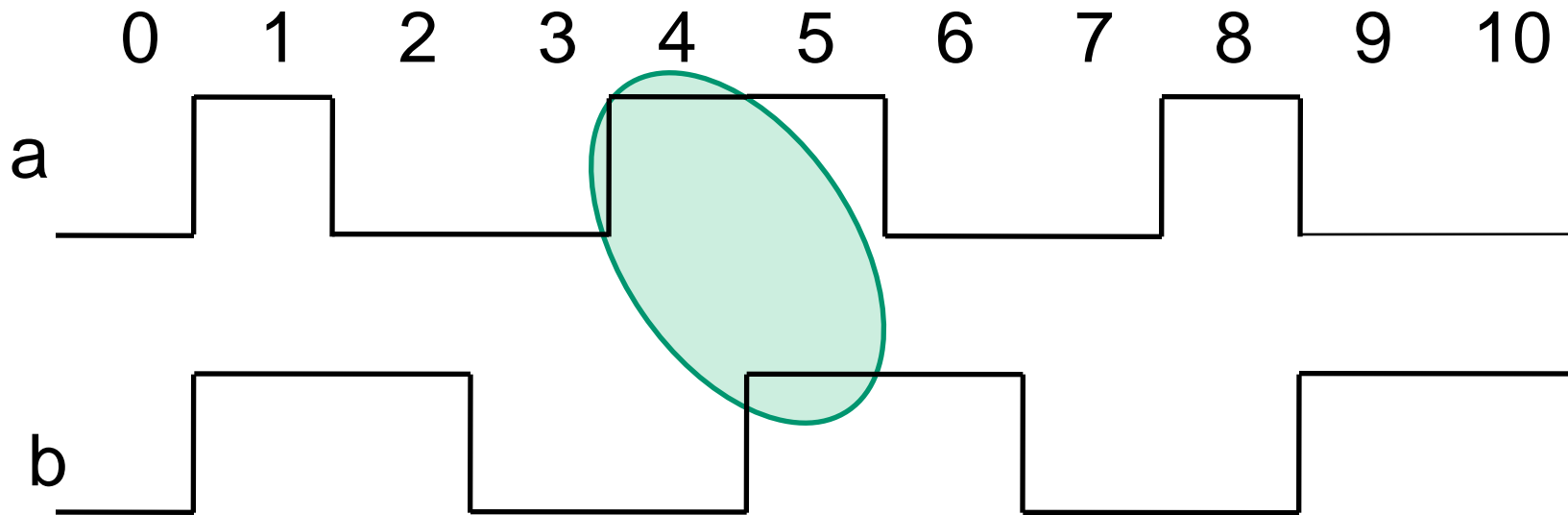
Note overlap with previous pair

# next and implication



assert always (a -> next b)

# next and implication



*a* holds so check *b* in next cycle

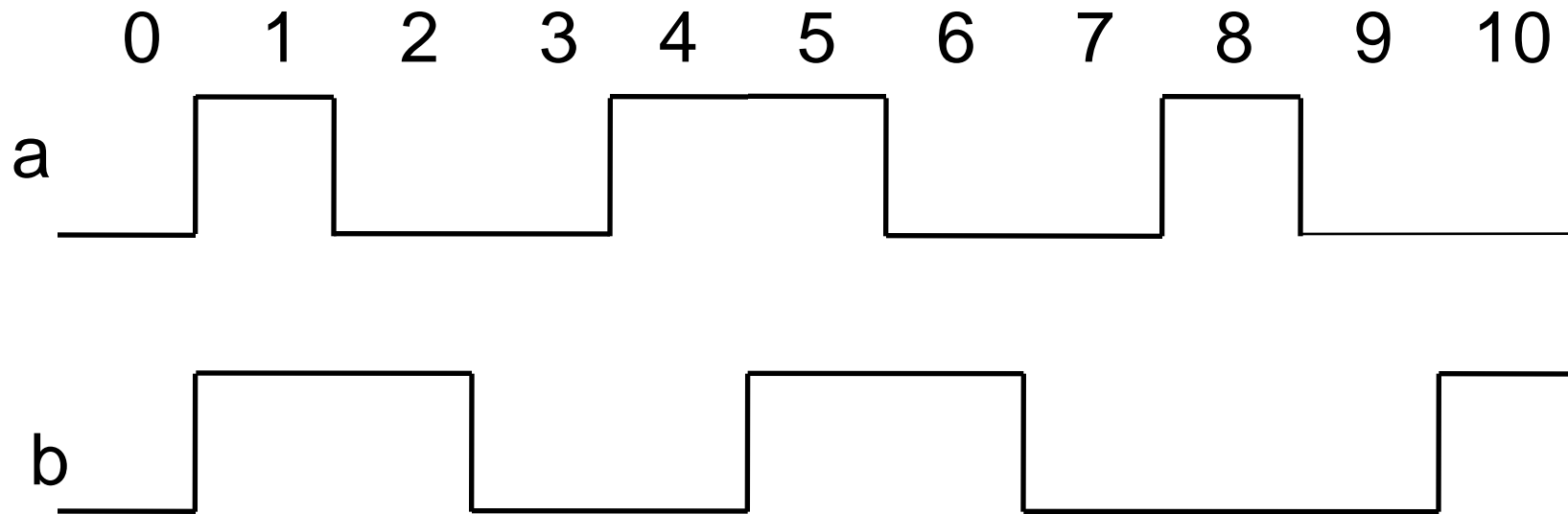


assert always (*a* -> next *b*)

and so on....



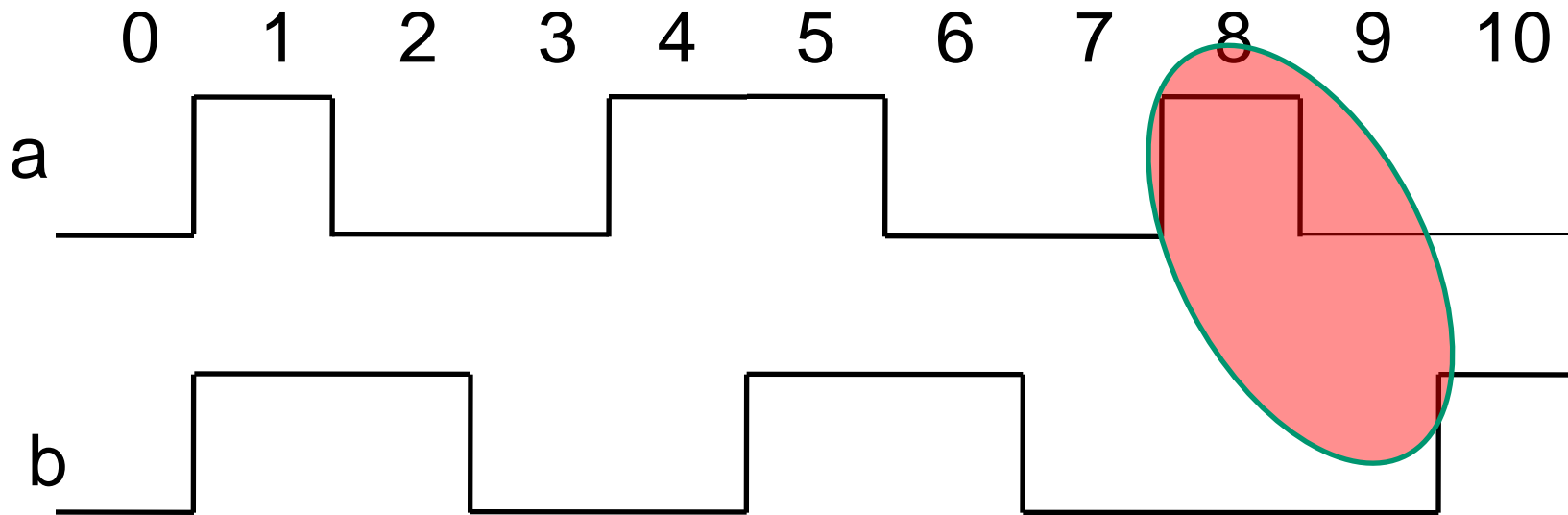
# Slightly different trace



assert always (a -> next b)

?

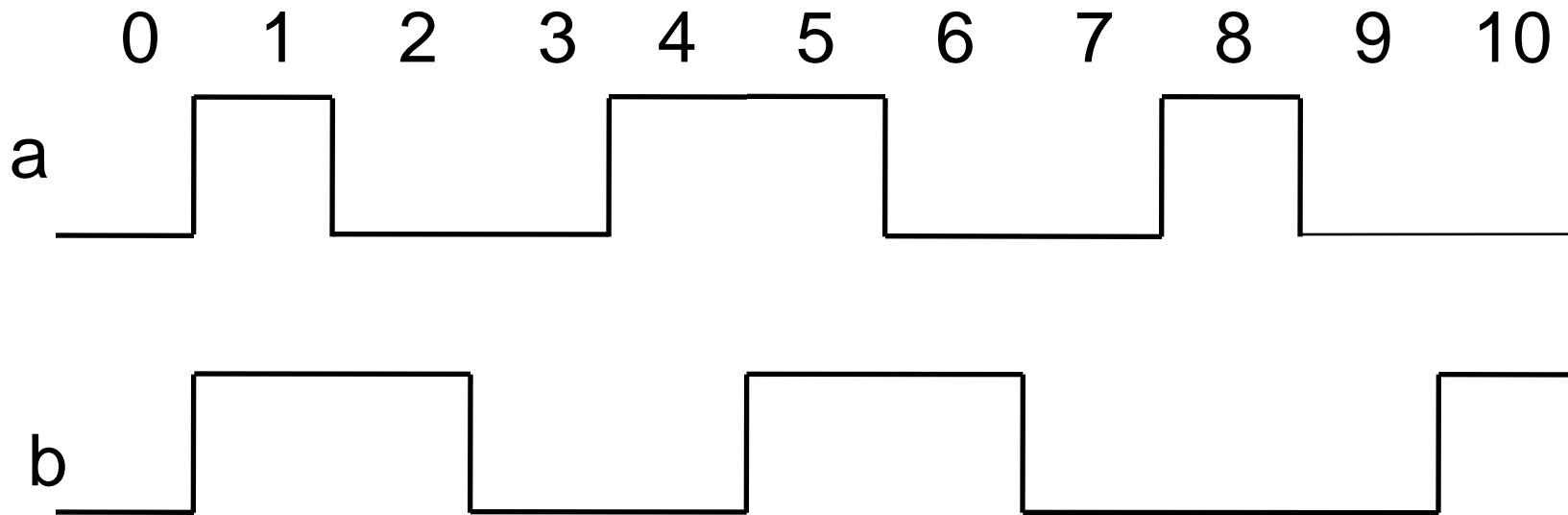
# Slightly different trace



assert always (a -> next b)



$\text{next}[n] p$  holds if  $p$  holds in  $n$ th cycle in future



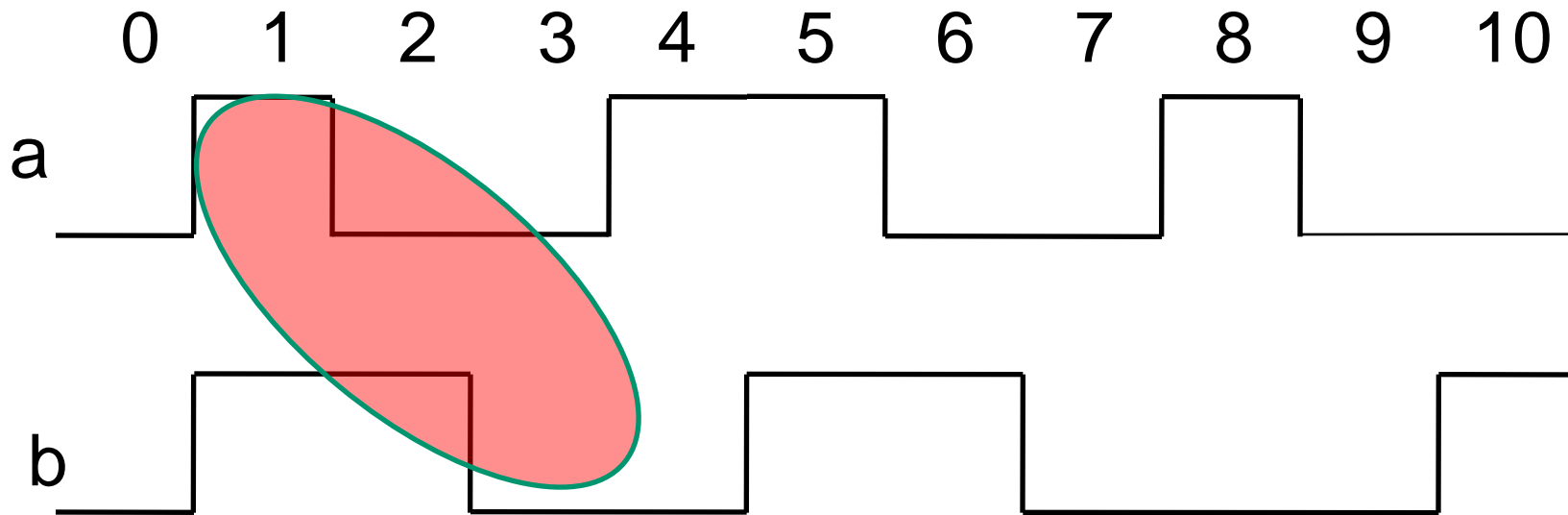
next is  $\text{next}[1]$

assert always ( $a \rightarrow \text{next}[2] b$ )

?



next[n]



next is next[1]

assert always (a -> next[2] b)



# More variants

## Ranges

next\_**a**[3 to 7]                      **a**ll                      in range

next\_**e** [3 to 5]                      **e**xists (= some)    in range

next\_event(b) p                      p should hold at next cycle at which  
Boolean b holds    (could be this cycle)

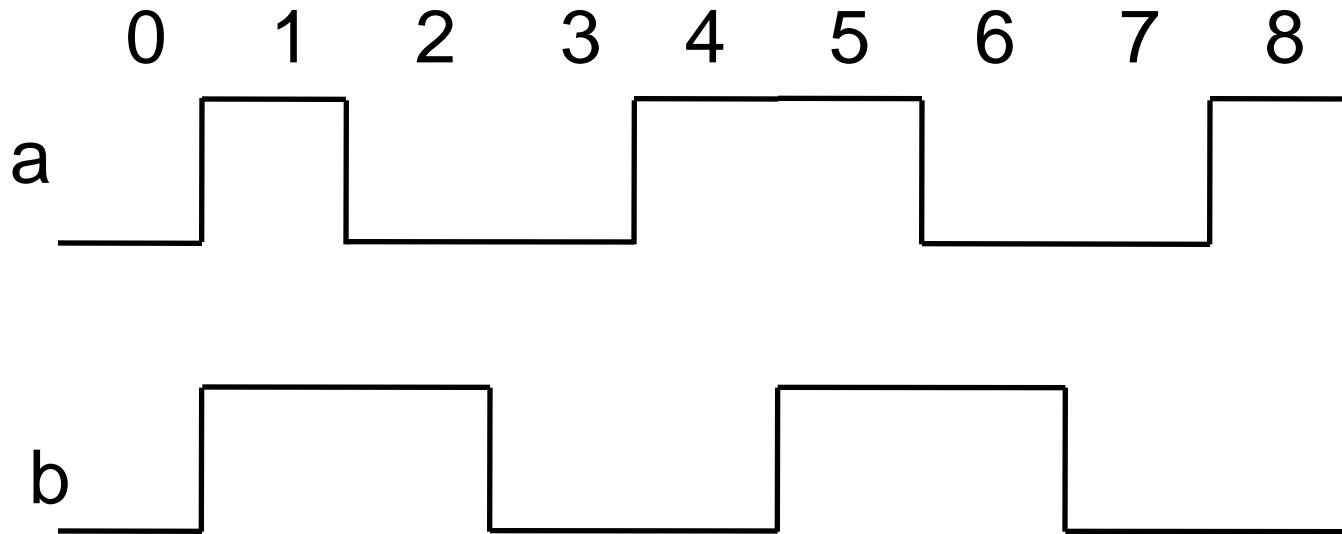
Also comes in a and e versions for  
ranges

# And yet more! weak vs strong

Strong operator demands that the trace “not end too soon”  
indicated by !

(Will return to this.)

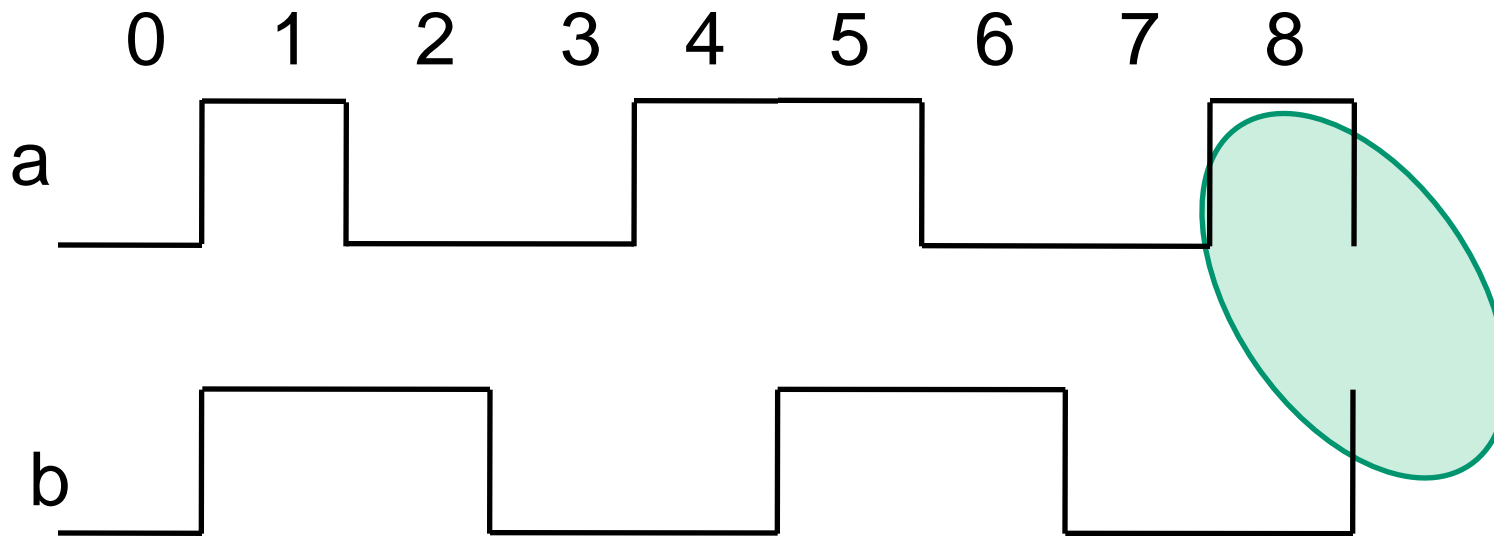
# example



weak operator is **lenient**

assert always (a -> next b)

# example

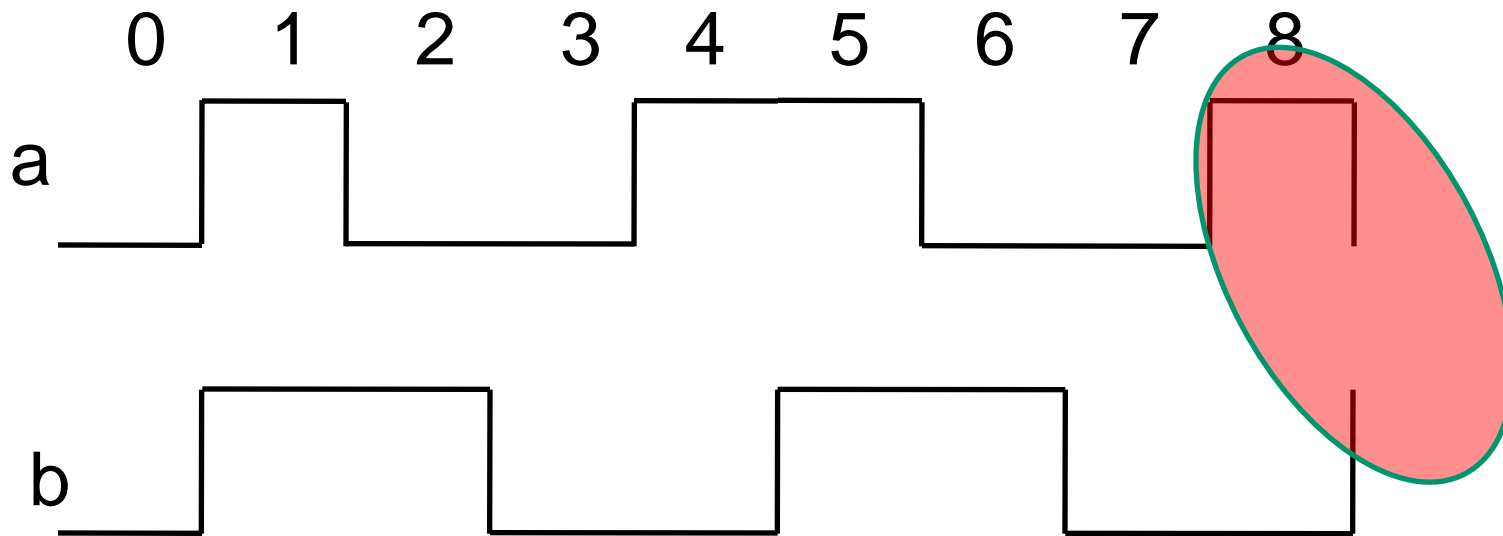


weak operator is **lenient**

assert always (a -> next b)



# example



strong operator is **strict**

assert always (a -> next! b)



# Temporal operators

until

$p$  until  $q$

$p$  holds in each cycle until  
(the one before)  $q$  holds

$p$  until\_  $q$

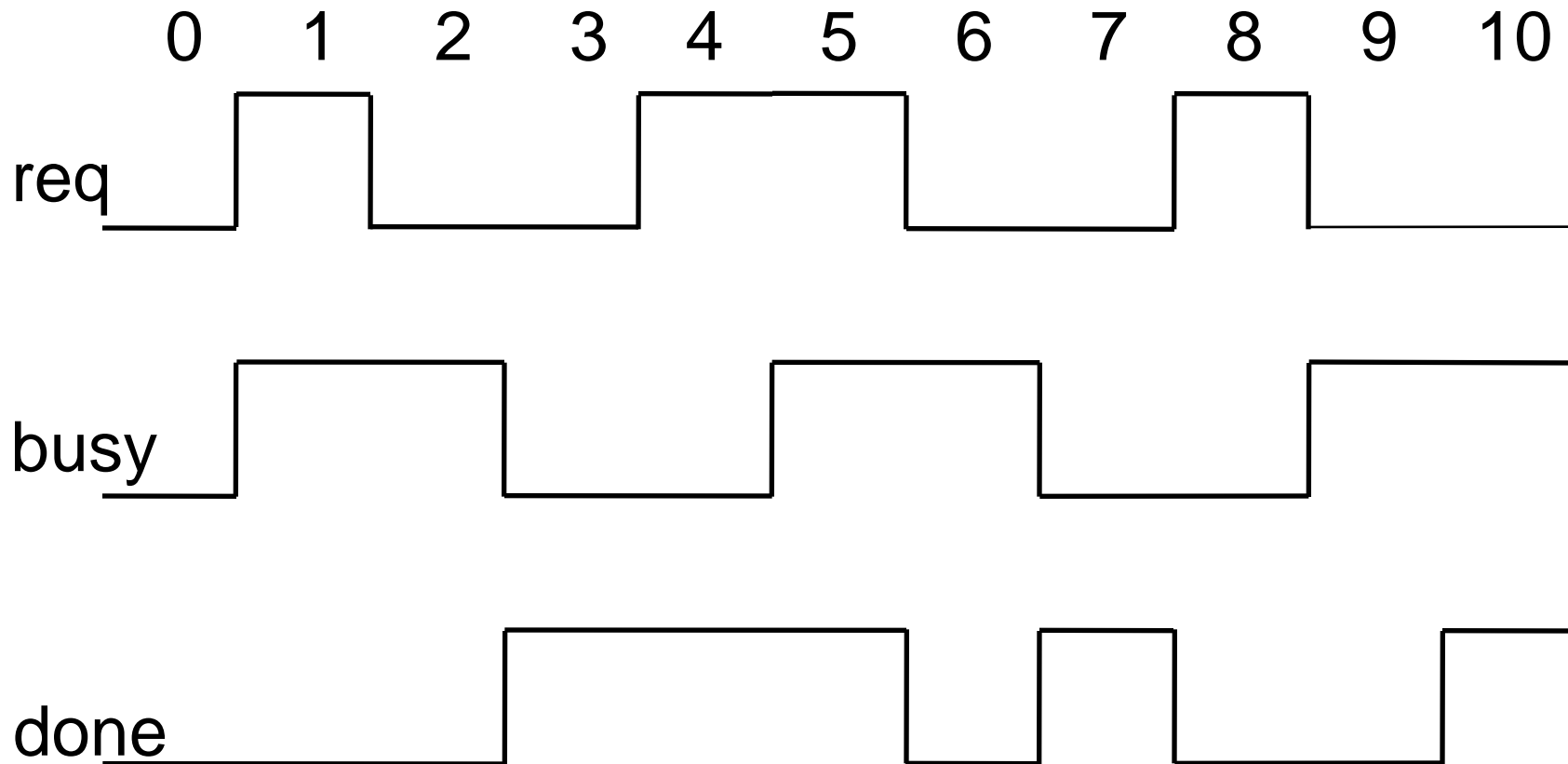
$p$  holds in each cycle until  
(and including the one where)  
 $q$  holds

# Example

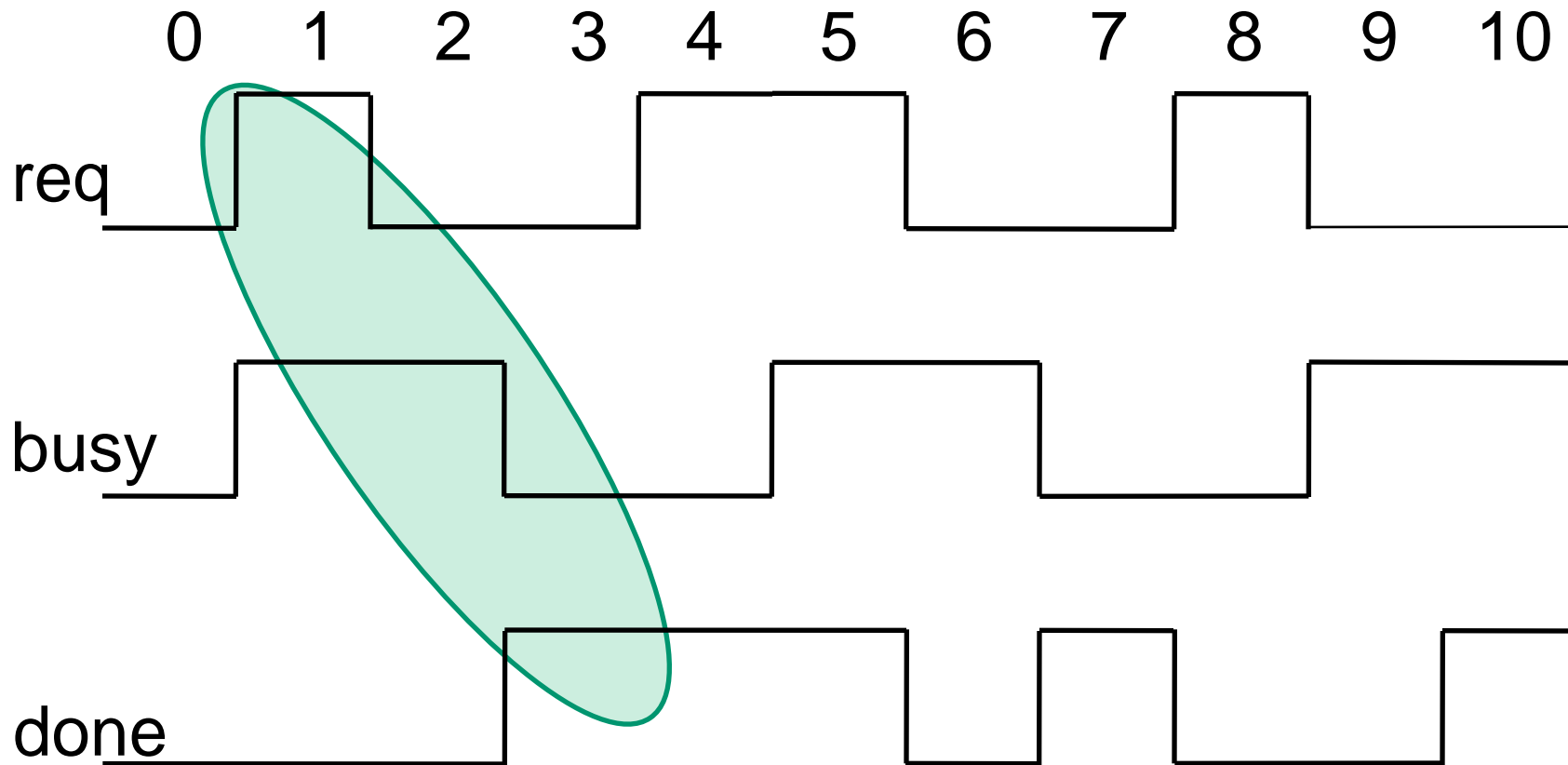
Whenever signal `req` is asserted then, starting from the next cycle, signal `busy` must be asserted until signal `done` is asserted.



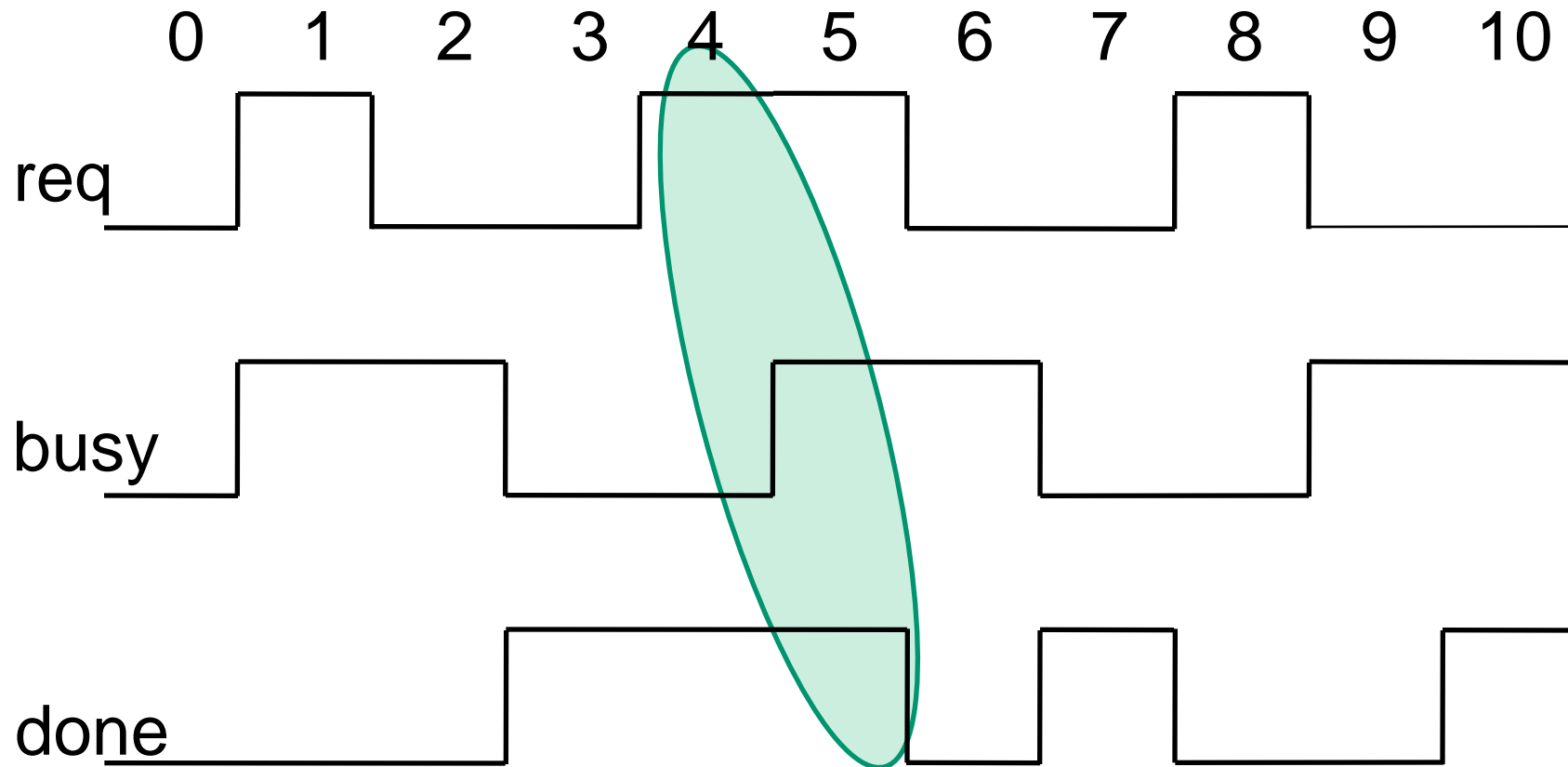
assert always (req -> next (busy until done))



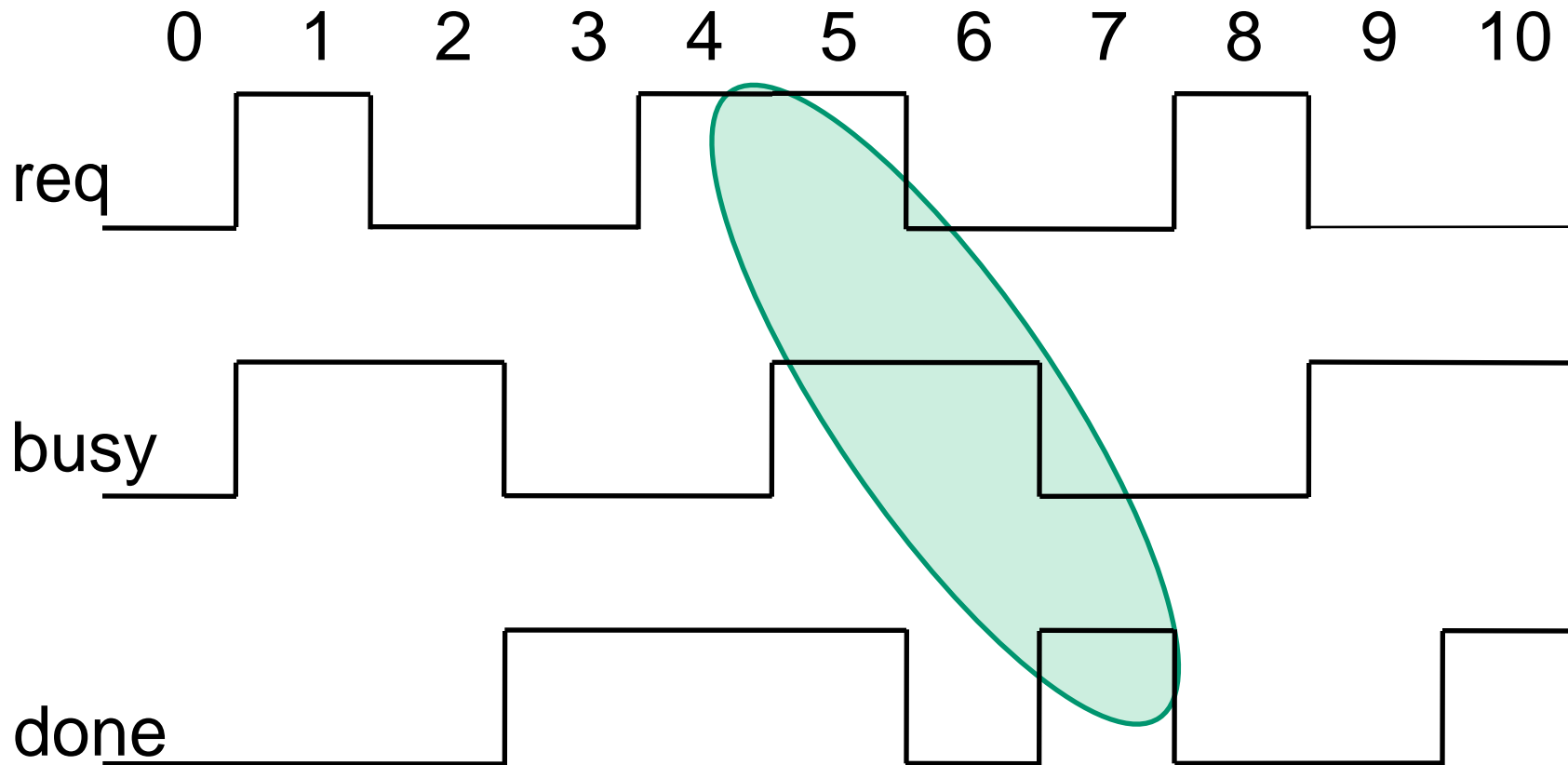
assert always (req -> next (busy until done))



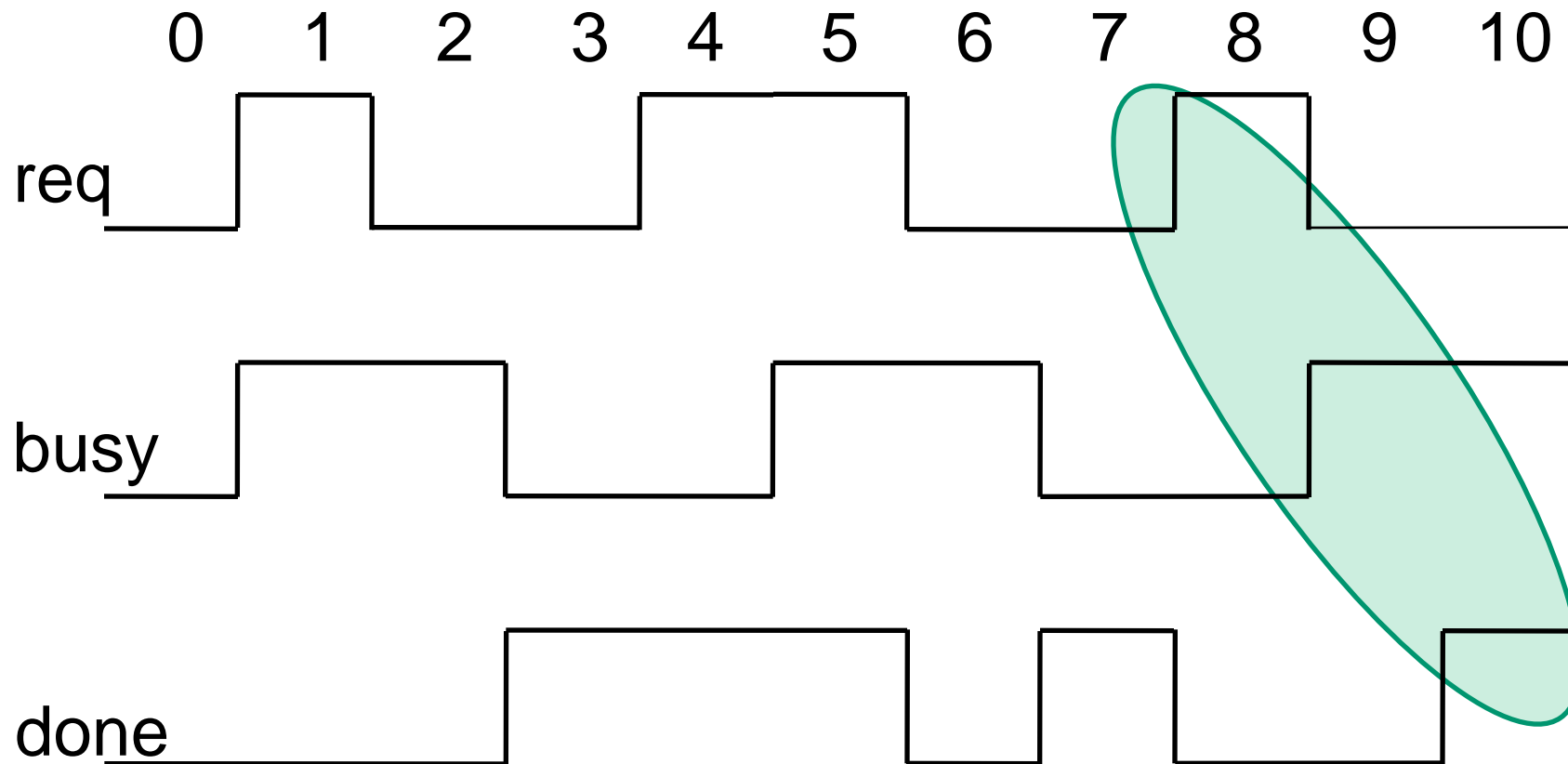
assert always (req -> next (busy until done))



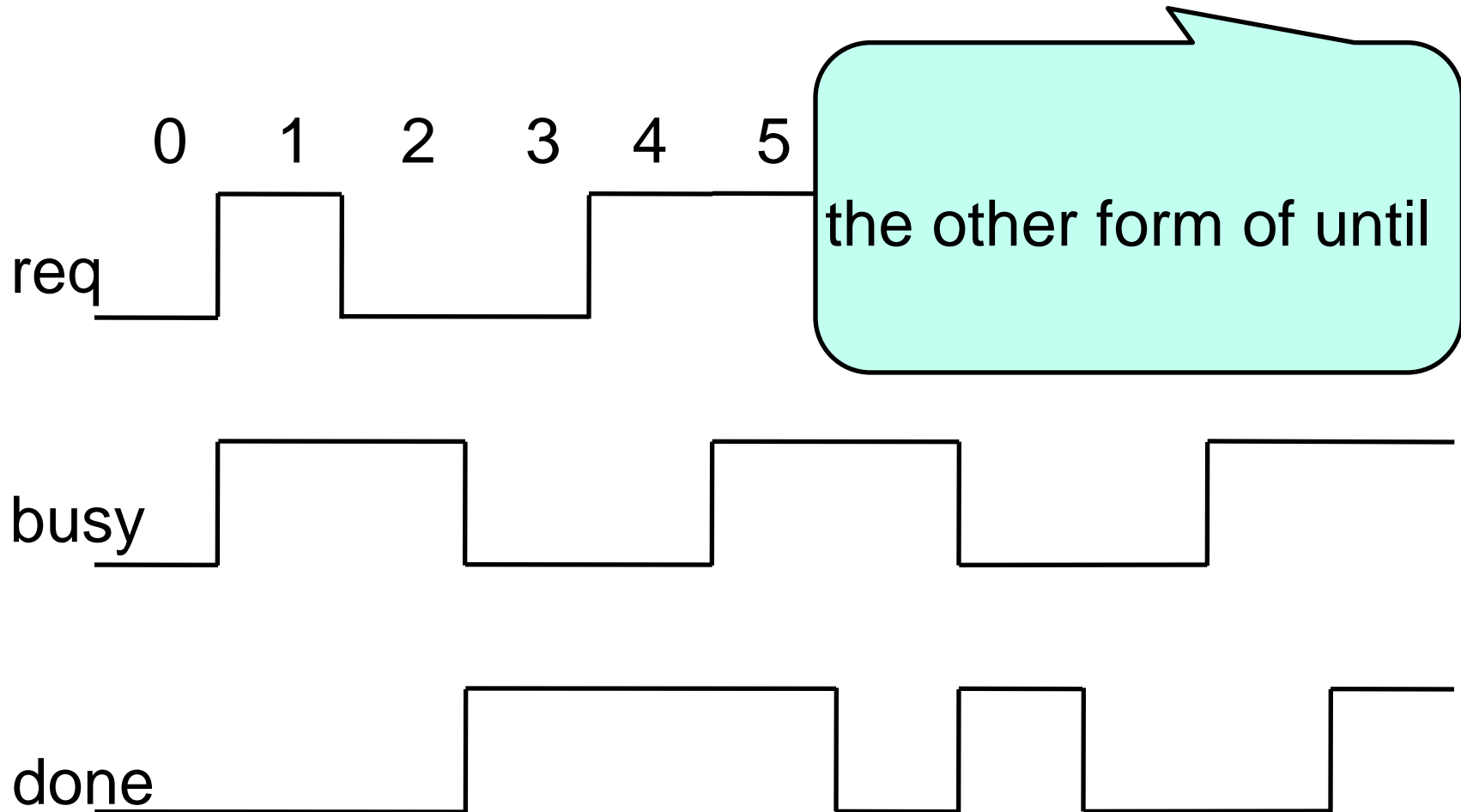
assert always (req -> next (busy until done))



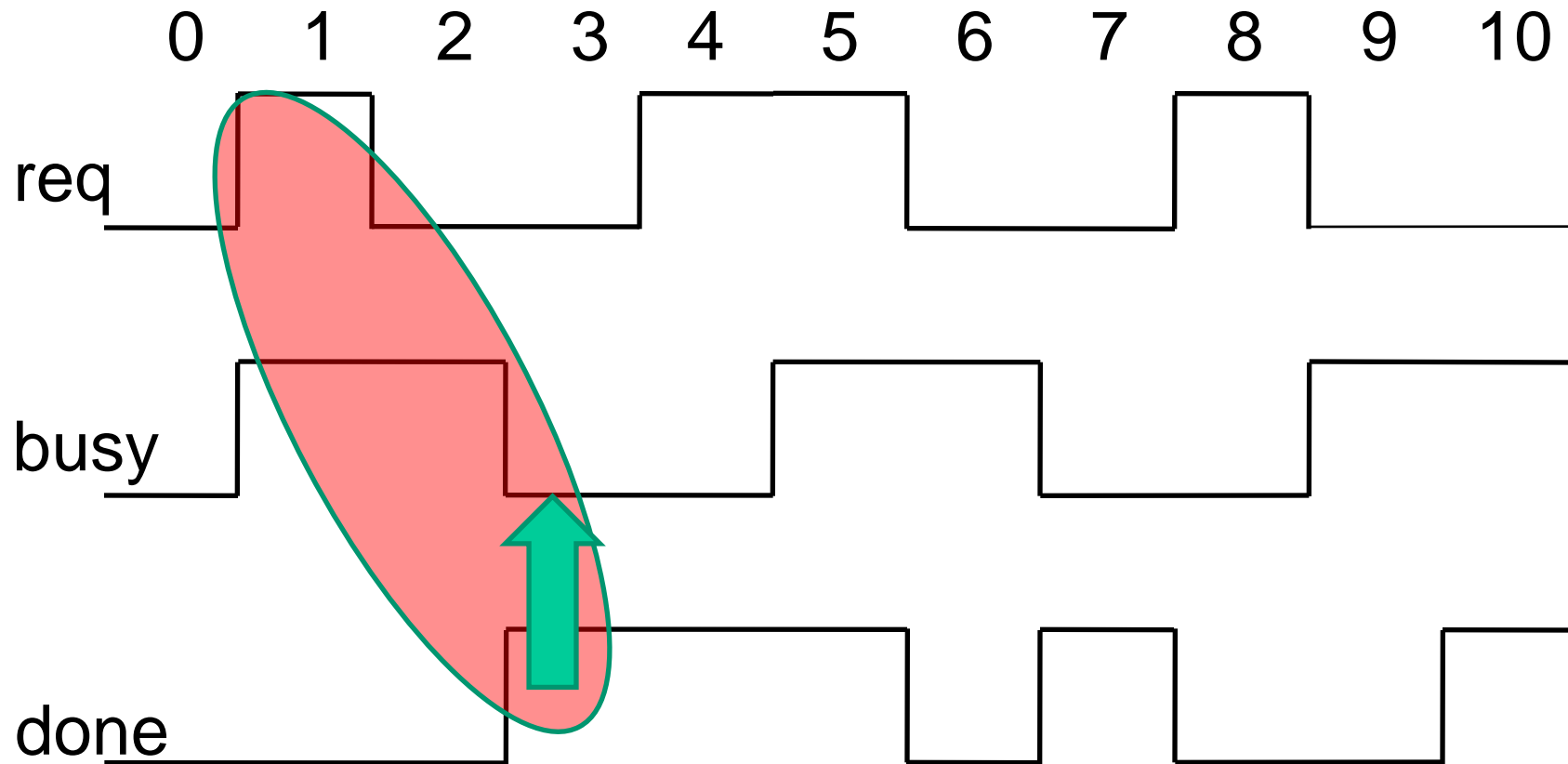
assert always (req -> next (busy until done))



assert always (req -> next (busy until\_ done))

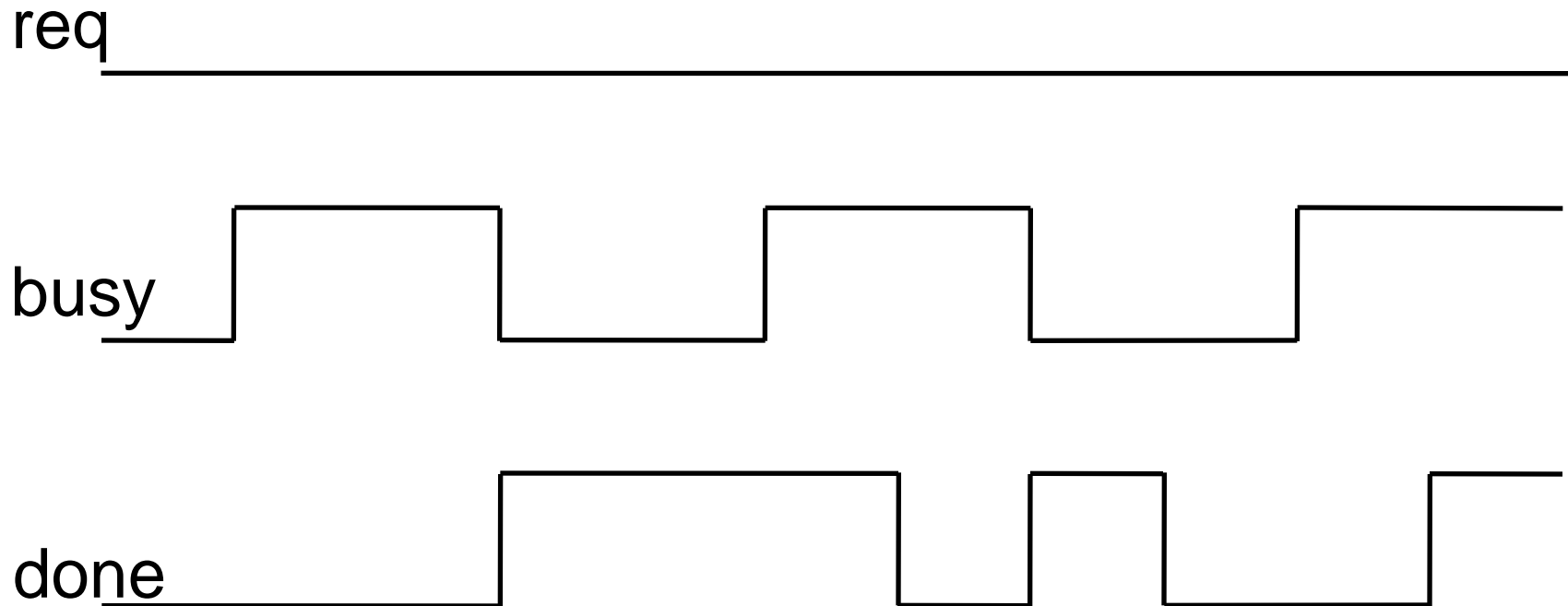


assert always (req -> next (busy until\_ done))



Ex: assert always (req -> next (busy until\_ done))

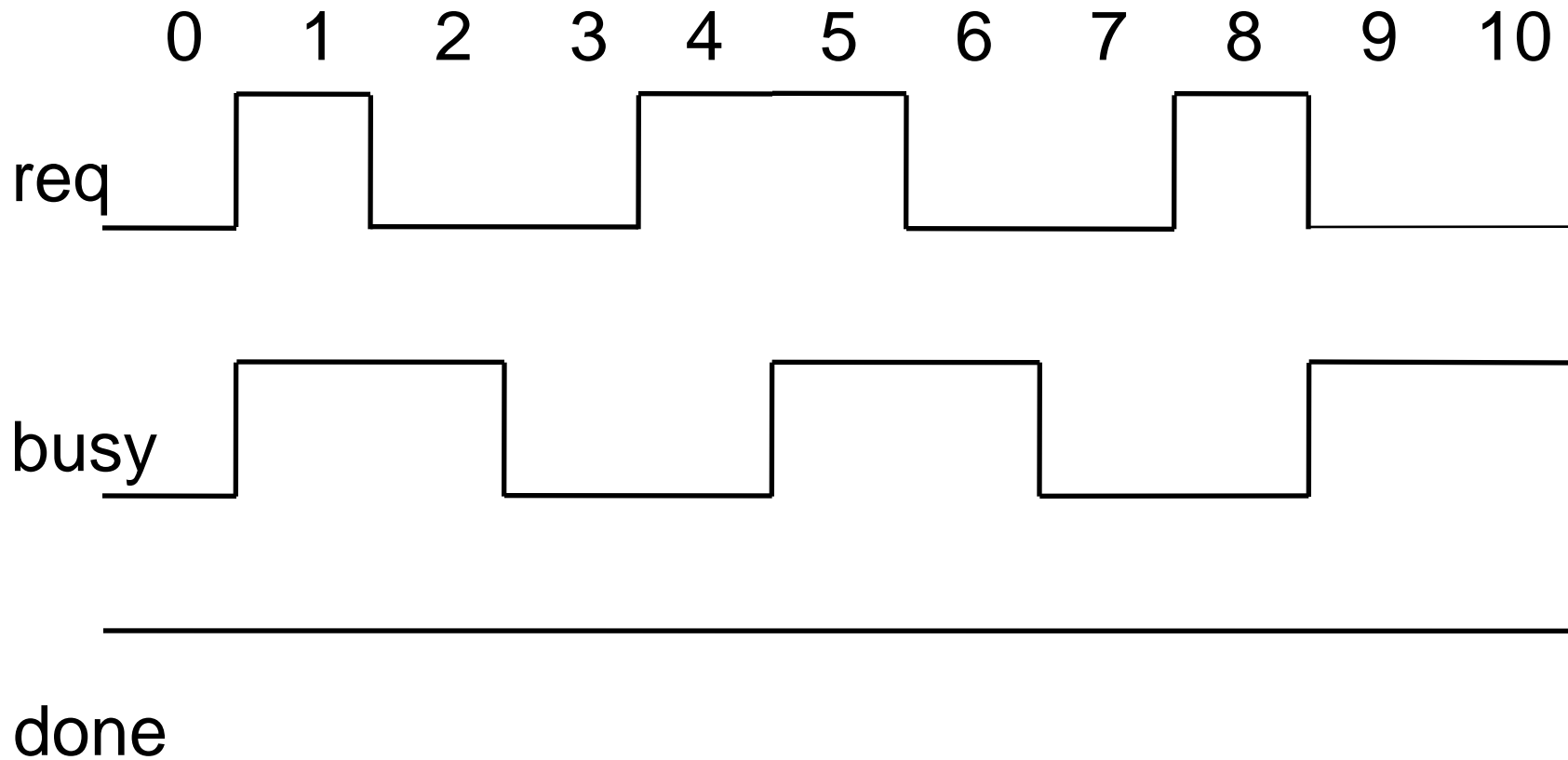
0 1 2 3 4 5 6 7 8 9 10



?



Ex: assert always (req -> next (busy until done))



?

# Temporal operators

before

$p$  before  $q$

$p$  must hold at least once  
strictly before  $q$  holds

$p$  before\_  $q$

$p$  holds at least once before  
or at the same cycle as  $q$   
holds

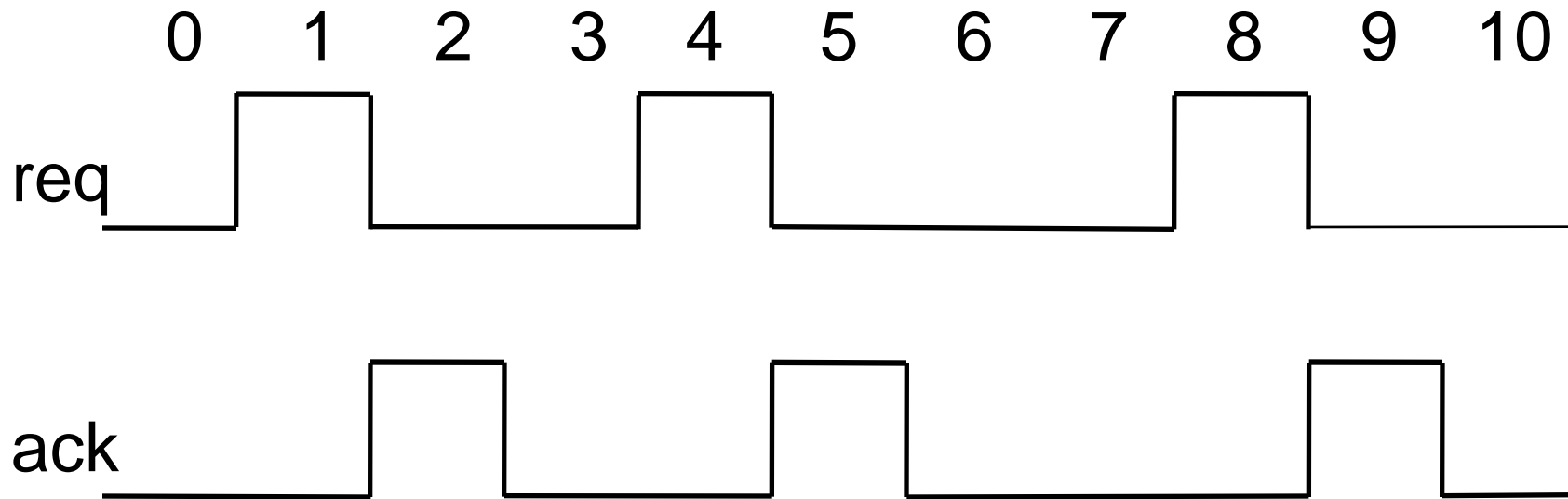
# Example

Pulsed request signal **req**

Requirement:

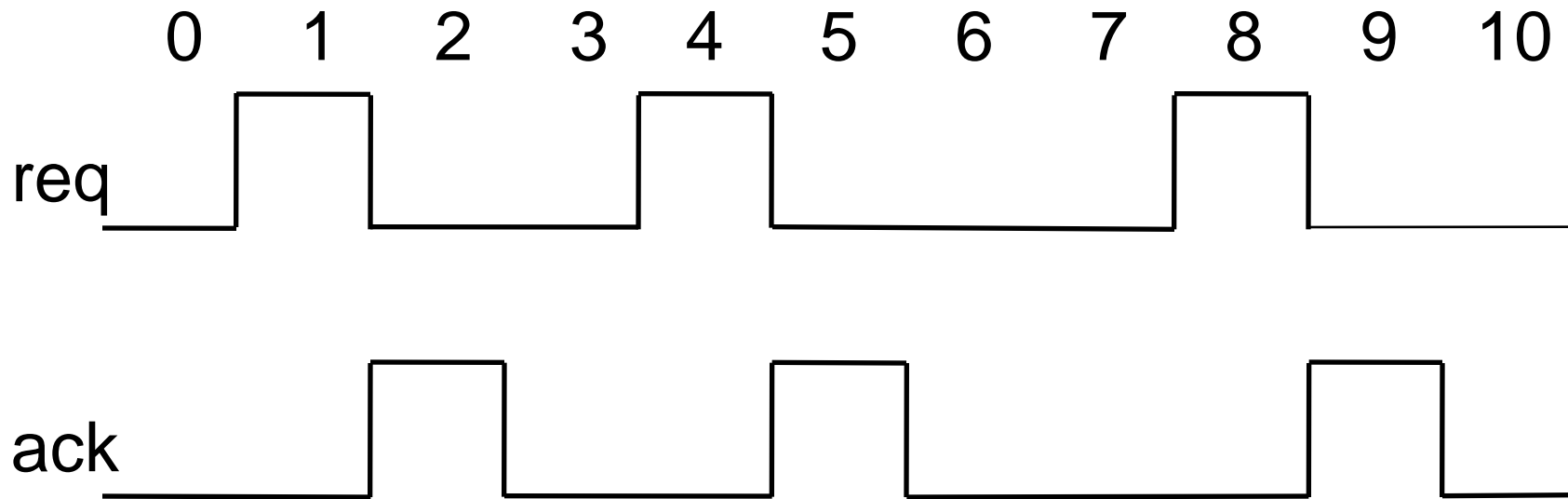
Before can make a second request, the first must be acknowledged

assert always (req -> next (ack before req))

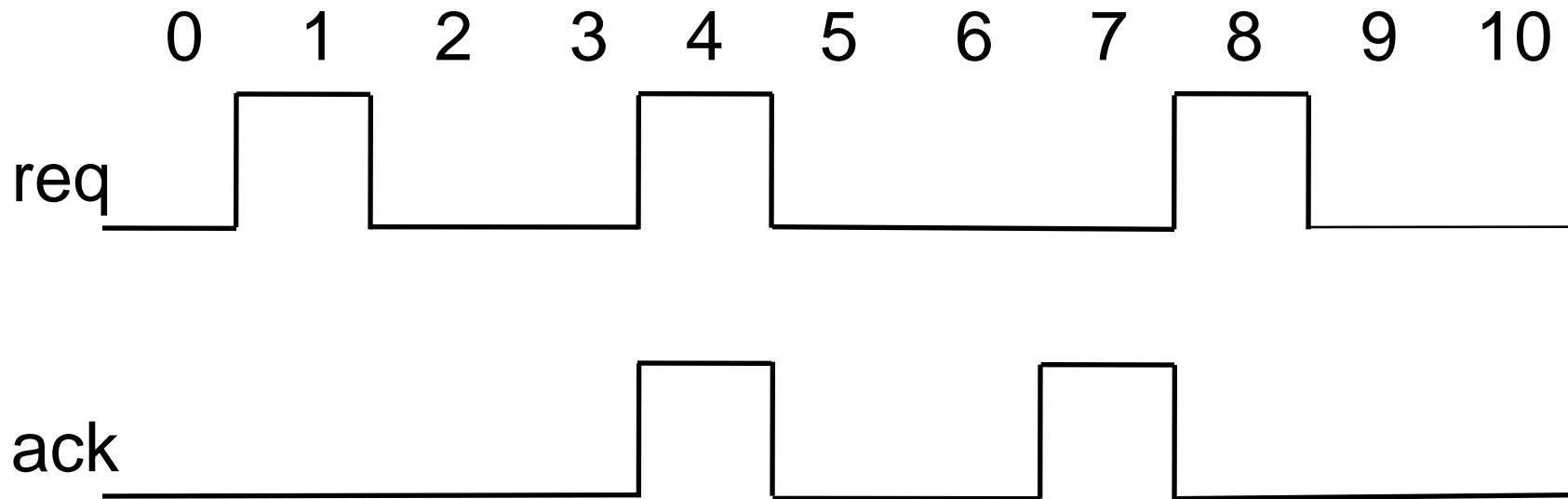


?

assert always (req -> next (ack before req))



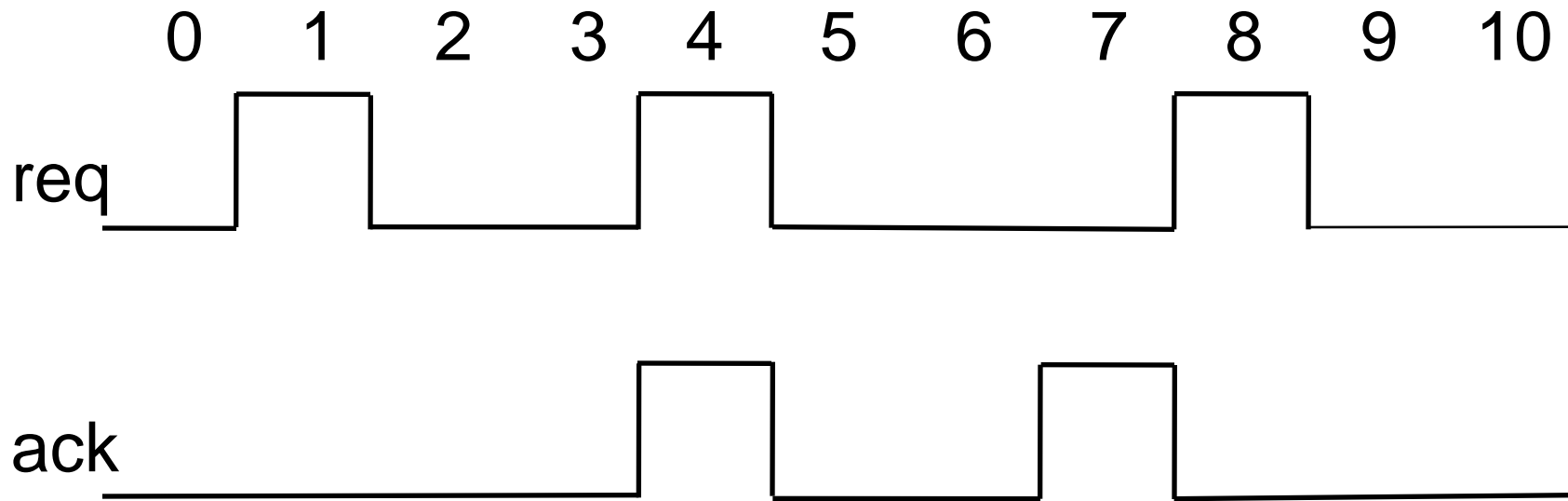
Allow ack simultaneously with next req



assert always (req -> next (ack before\_req))



# Questions



1) assert always (req -> next (ack before req)) ?

# Questions

2) Would

assert always  $(req \rightarrow (ack \text{ before } req))$

match the original English requirement?

3) What if we want to allow the **ack** to come not together with the next **req** but with the **req** that it is acknowledging?? Write a new property for this.



Next topic (tomorrow)

Sequential Extended Regular Expressions

SEREs