# Communication systems for vehicle electronics

#### **Presentation overview**

#### Background

automotive electronics, an application area for time triggered communication.

#### Time triggered protocols

TTCAN, based on popular "Controller Area Network" (CAN) protocol.

TTP/C, Operational in civil aircrafts.

FlexRay, based on BMW's "ByteFlight".

TTEthernet, based on classical Ethernet.

#### □ Hybrid scheduling

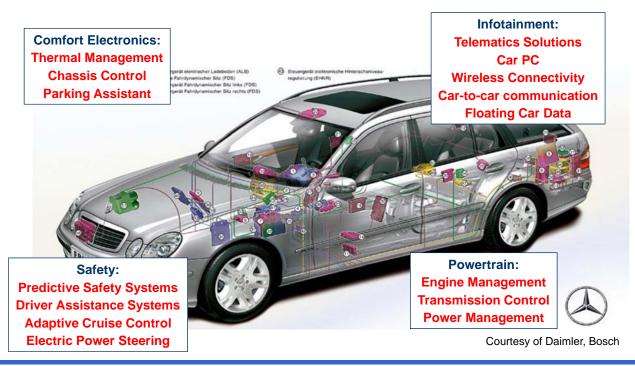
combining static scheduling with fixed priority scheduling analysis.

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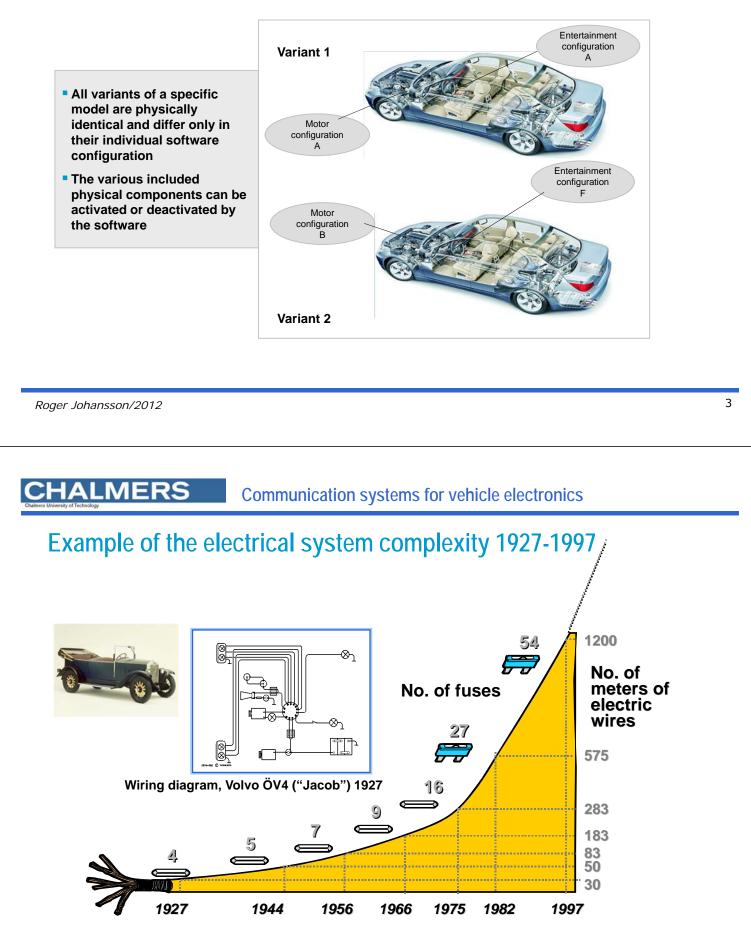
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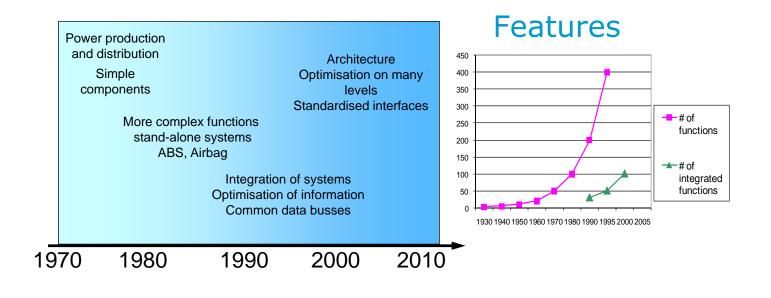
# A premium passenger car is controlled and managed by 80+ Embedded Systems



### Virtual differentiation between variants



### The evolution of functional requirements on the electrical system

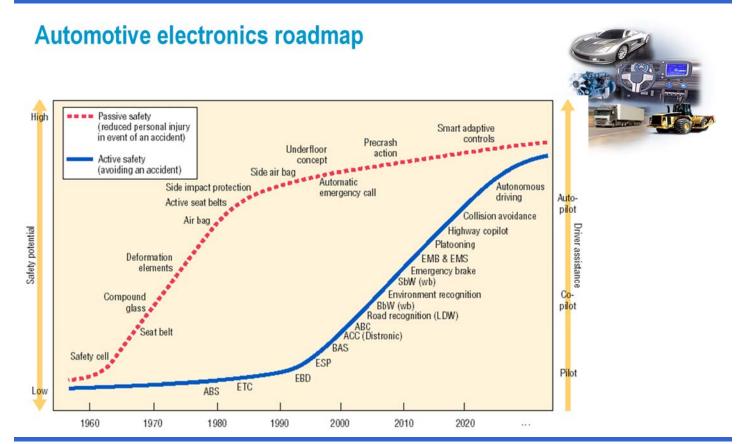


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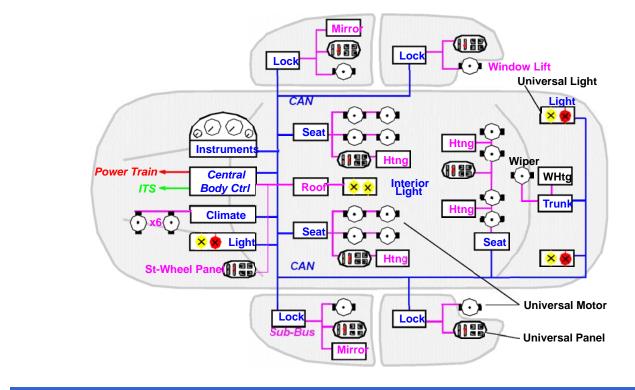




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# Example of the electrical system...

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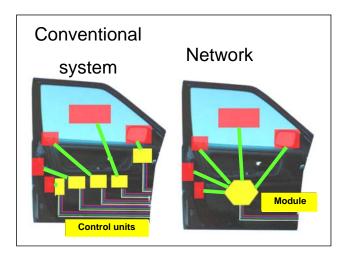


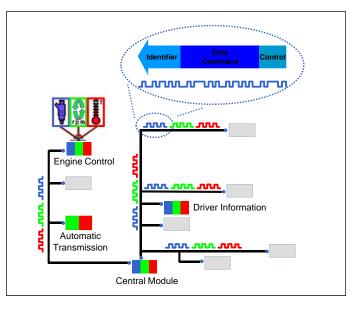
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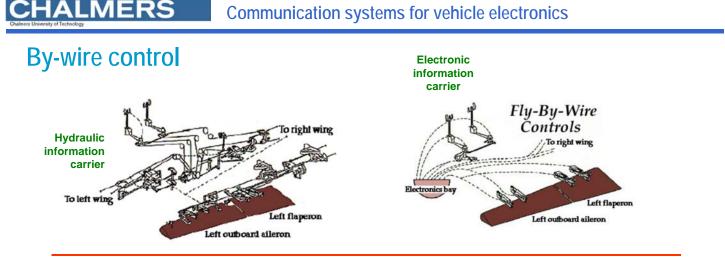
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# **Multiplex Networks**

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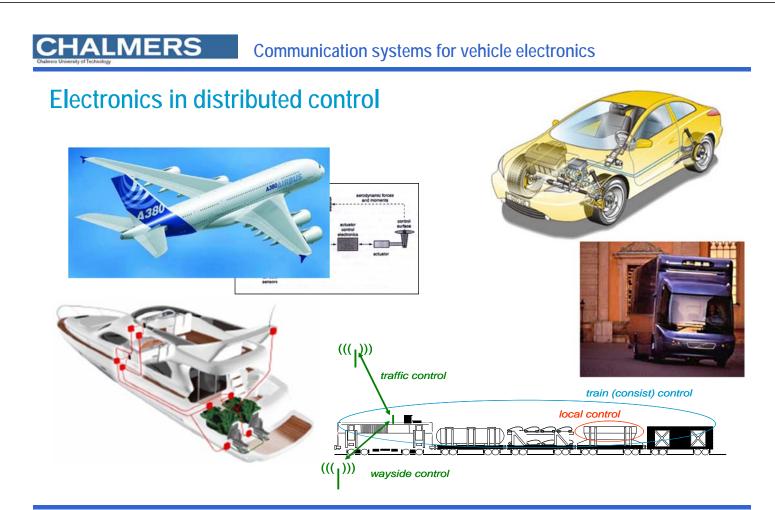


The F-8 Digital Fly-By-Wire (DFBW) flight research project validated the principal concepts of all-electric flight control systems now used on nearly all modern high-performance aircraft and on military and civilian transports. The first flight of the 13-year project was on May 25, 1972.



Courtesy of Dryden Flight Research Center

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# Control system implementation strategies

Local control

- Local information processing
- Independent control objects

### Centralized global control

- Local and central information processing
- Interconnected control objects

### Distributed global control

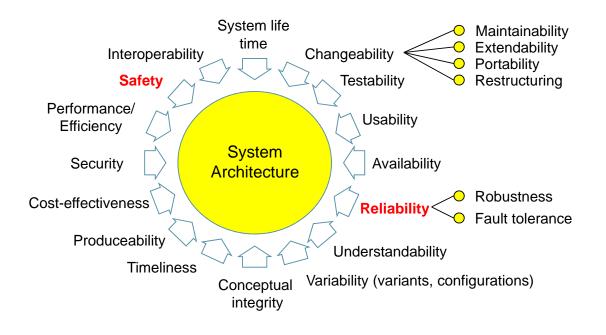
- Local and distributed information processing
- Interconnected control objects

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# Non-functional requirements



### Tradeoffs from Safety/Reliability requirements

The extremes from reliability requirements leads to safety requirements.

Safety requirements implies redundancy, (Fail-Operational, Fail-Safe, etc).

Safety requirements also demands predictability, we has to show, a priori, that the system will fulfill it's mission in every surrounding at every time.

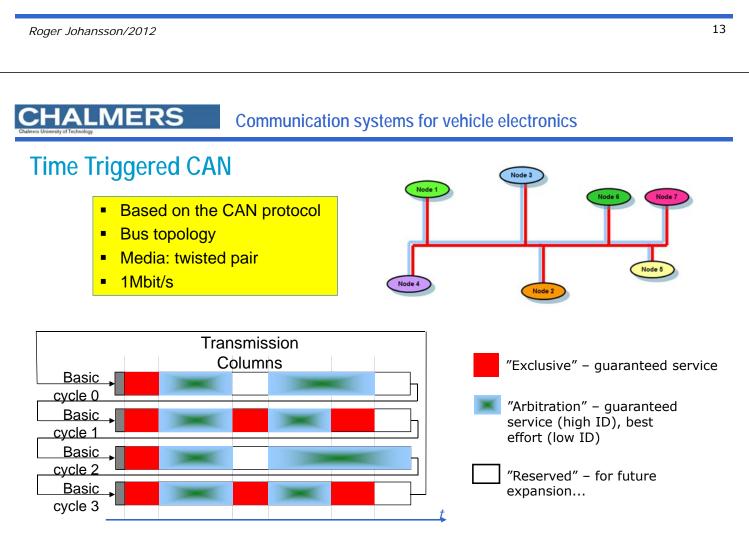
# • In a distributed environment, only time triggered protocols with redundant buses can provide this safety. Contemporary TTP's are:

*TTCAN*, based on *Controller Area Network* (CAN) which is widely used in today's vehicular electronic systems.

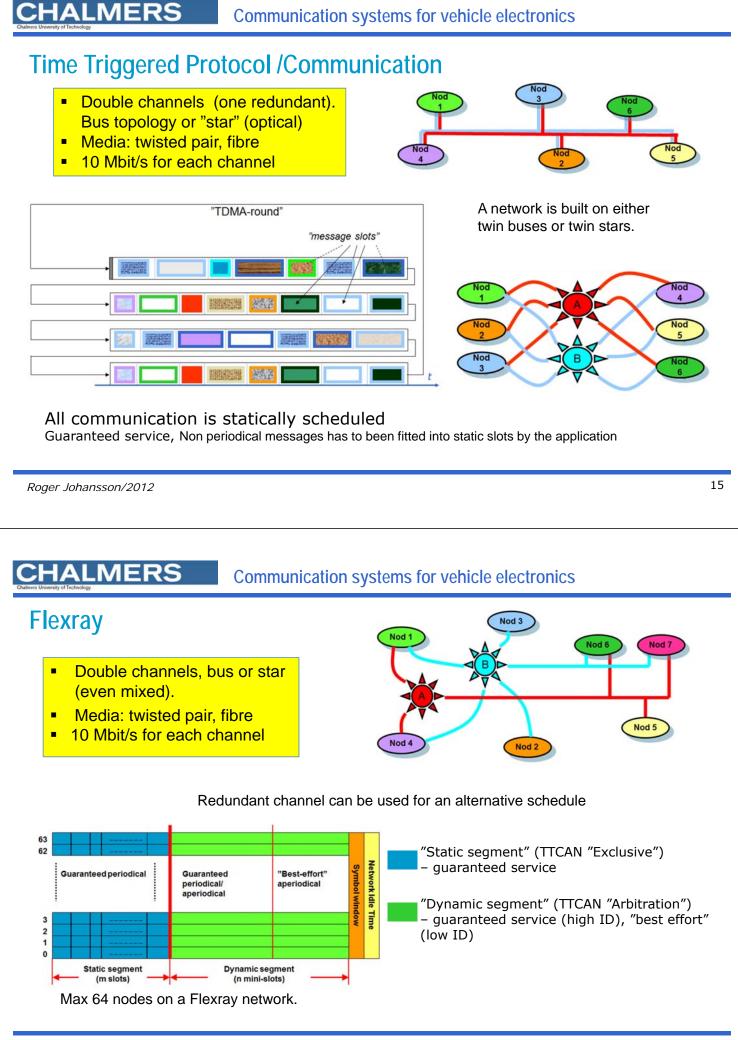
TTP/C, Originally from TU Vienna. Operational in civil aircrafts.

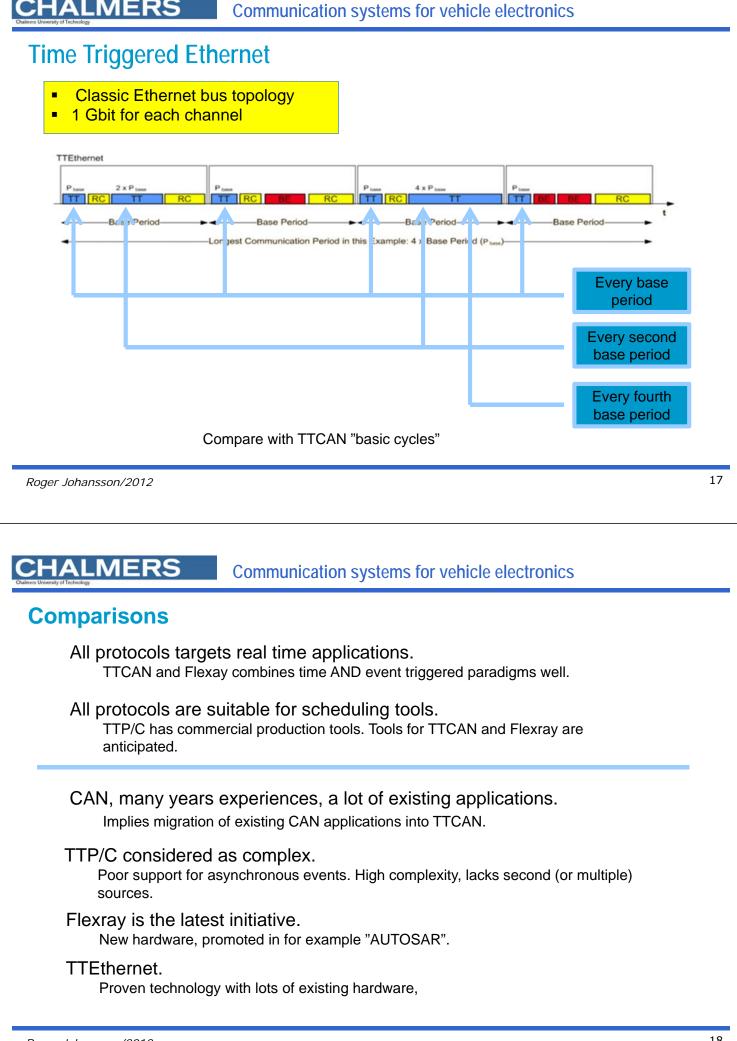
*FlexRay*, based on BMW's "ByteFlight". Operational in contemporary automotive electronic systems.

*TimeTriggered Ethernet*. TTEthernet expands classical Ethernet with services to meet time-critical, deterministic or safety-relevant conditions.



Time is global and measured in *network time units* (NTU's)

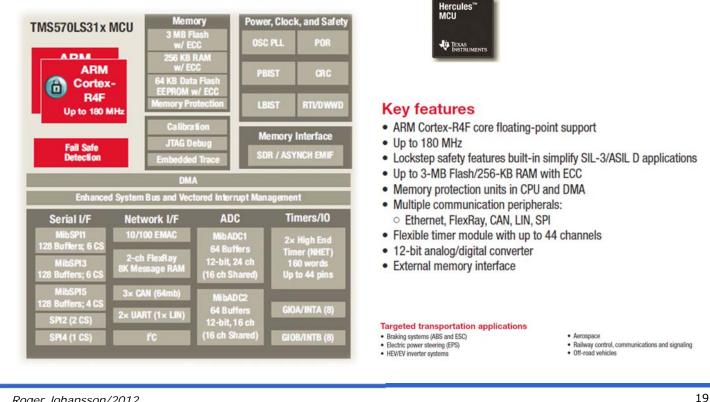




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#### What to choose?



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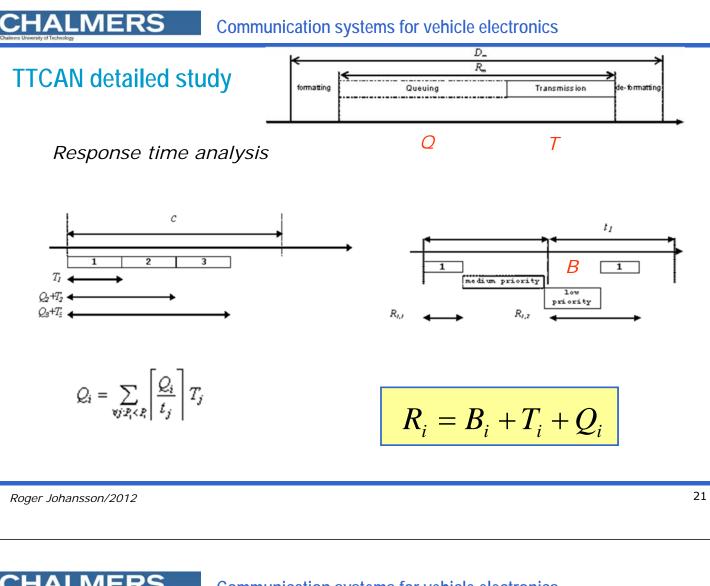
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### Combining time triggering with events: Example of Hybrid scheduling for TTCAN



### Messages are sorted into three different categories:

- Hard real-time, for minimal jitter with guaranteed response time.
- Firm real-time, for guaranteed response time, but can tolerate jitter.
- Soft real-time, for "best effort" messages.



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Time triggered messages <i>M</i> <sup>•</sup>
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	Transi	nission C	olumns			
Basic cycle 0 ⊾				time wi	ndows	
Basic cycle 1				-		
Basic cycle 2						
Basic cycle 3						

After structuring:

M: { $M^h$ ,  $M^f$ ,  $M^s$ }, assume that at least  $M^h$  is defined. We now construct a matrix cycle. Due to protocol constraints, the schedule has to fulfil:

$$\mathbf{LCM}(M^h_{\ p}) = x \ 2^n$$

where:

- LCM is *least common multiple* period for the *M*<sup>h</sup> message set;
- *x* is the preferred length of a basic cycle within LCM;
- *n* is the number of *basic cycles*.

#### Hardware constraints:

- Hwc1:  $1 \le x \le 2^{y}$ , has to be consistent with a hardware register, y bits
- Hwc2:  $0 \le n \le k$ , always a power of 2, constraint in hardware.
- Hwc3: # of triggers  $\leq$  *Tr*, columns in the matrix cycle. Limited by the number of available trigger registers.

### Multiple solutions satisfies the equation...

Choose a strategy:

#### Strategy 1:

Minimize number of *basic cycles*, requires a longer *basic cycle*, and more *triggers*.

#### Strategy 2:

Minimize length of *basic cycles*, increase probability of finding a feasible schedule for large message

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Persuing the strategies...

Construct a schedule for the following set:

 $M^{h} = (M1, M2, M3)$  with the following attributes (NTU):  $M1_{p} = 1000, M1_{e} = 168$   $M2_{p} = 2000, M2_{e} = 184$  $M3_{p} = 3000, M3_{e} = 216$ 

It's obvious that:

LCM(M1, M2, M3) = 6000.

and:

 $6000 = x 2^n$ 

### Strategy 1

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Minimizing number of basic cycles yields:  $2^n = 1$ , so n = 0 and x = 6000. Hwc1 and Hwc2 are fulfilled.

Total numbers of *triggers* for *N* messages in one *basic cycle* is:

$$\sum_{i=1}^{N} \frac{LCM(M)}{M^{i}}$$

in this case:

# of triggers =  $\frac{6000}{1000} + \frac{6000}{2000} + \frac{6000}{3000} = 11$ 

So, strategy 1, leads to a solution with:

- 1 basic cycle and 11 triggers.
- MAtrix cycle length is 6000 NTU.

Ba	Basic Cycle Triggers											
0	168	352	1000		2000	2168		3000	3352	<mark>4000</mark>	4168	5000
$M_1$	$M_2$	$M_3$	$M_1$		$M_1$	$M_2$		$M_{I}$	$M_3$	$M_1$	$M_2$	$M_{I}$

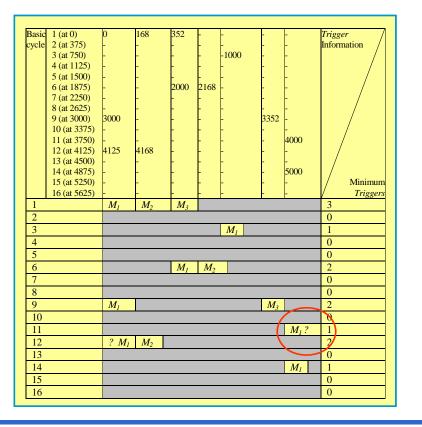
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Strategy 2

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n = 0: $6000 = x 2^0$  $\Rightarrow x = 6000$ (same as strategy 1) n = 1: $6000 = x 2^1$  $\Rightarrow x = 3000$ n = 2: $6000 = x 2^2$  $\Rightarrow x = 1500$ n = 3:  $6000 = x 2^3$  $\Rightarrow x = 750$ *n* = 4:  $6000 = x 2^4$ ⇒ *x* = 375 n = 5:  $6000 = x 2^5$  $\Rightarrow x = 187.5$ 



### Strategy 2

Avoid this conflict with the requirement that: **a** basic cycle shall be at least as long as the shortest period in the message set.

Applying this restriction we get: n = 2, (x = 1500) which yields a feasible schedule:

Basic	1	0	168	352	-	-	-	1000	<i>Trigger</i> Information
cycle	2	-	-	-	2000	2168	-	-	Information
	3	3000	-	3352	-	-	4000	4168	Minimun
	4	-	-	-	5000	-	-	-	Trigger
1		$M_1$	$M_2$	$M_3$				$M_1$	4
2					$M_1$	$M_2$			2
3		$M_1$		$M_3$			$M_1$	$M_2$	4
4					$M_1$				1

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# Verifying the events... (M)

	Greys	ey slots are supposed to be allocated for M <sup>h</sup>										
Cycle	NTU-9	NTU-slots (Columns)										
1		q <sub>0</sub>										
2		<b>q</b> <sub>1</sub>					q <sub>2</sub>					
3		q <sub>3</sub>		$q_4$			$q_5$					
2 <sup>n</sup>		q <sub>N-3</sub>					q <sub>N-2</sub>		q <sub><i>N</i>-1</sub>			

```
for each message m in M^{f}:

for message m = 1 up to last_m

for virtual message VM_{i} = 1 up to last_VM

if(Q_{m} + T_{m}) falls within (VM_{i,start}, VM_{i,completion})

Q_{m} = VM_{i,completion}

else

Q_{m} = \sum_{\forall j: P_{m} < P_{j}}^{1} \left[ \frac{Q_{m}}{t_{j}} \right] T_{j}

endif

end

end

end
```



### Conclusions

Applicable real time communication protocols for safetycritical applications has to provide strictly periodical (minimal jitter), periodical (jitter is negligible) and a-periodic communication to fully support control applications.

Scheduling periodical and a-periodical events requires a combined approach, *hybrid scheduling*.

□ Hybrid scheduling is sparsely found in today's literature...

