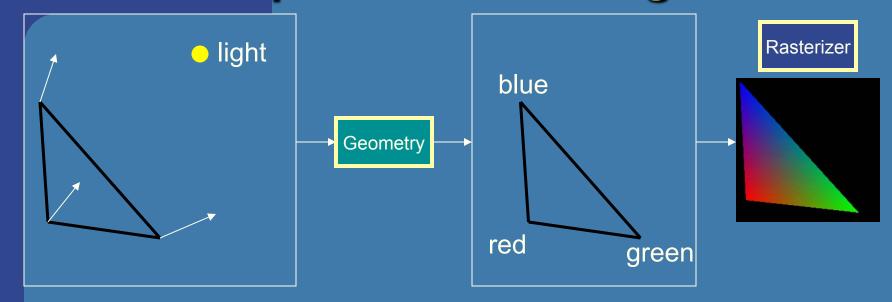
Shading

Most slides by Tomas Akenine-Möller Department of Computer Engineering Chalmers University of Technology

Overview of today's lecture

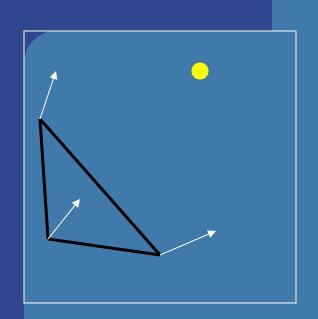
- A simple most basic real-time lighting model
 - OpenGL's fixed pipeline lighting model
- Fog
- Gamma correction
- Transparency and alpha

Compute lighting at vertices, then interpolate over triangle



- How compute lighting?
- We could set colors per vertex manually
- For a little more realism, compute lighting from
 - Light sources
 - Material properties
 - Geometrical relationships

A basic lighting model



Material:

- •Ambient (r,g,b,a)
- •Diffuse (r,g,b,a)
- •Specular (r,g,b,a)

Light:

- •Ambient (r,g,b,a)
- •Diffuse (r,g,b,a)
- •Specular (r,g,b,a)

GL_DIFFUSE	Base color
GL_SPECULAR	Highlight Color
GL_AMBIENT	Low-light Color
GL_EMISSION	Glow Color
GL_SHININESS	Surface Smoothness



Ambient component: iamb

- Ad-hoc tries to account for light coming from other surfaces
- Just add a constant color:

$$\mathbf{i}_{amb} = \mathbf{m}_{amb} \otimes \mathbf{s}_{amb}$$

i.e.,
$$(i_r, i_g, i_b, i_a) = (m_r, m_g, m_b, m_a) (l_r, l_g, l_b, l_a)$$



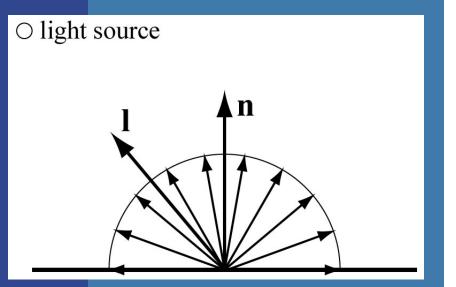
Old: glLightModelfv(GL_LIGHT_MODEL_AMBIENT, global_ambient)

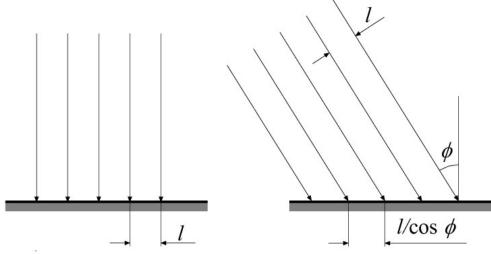
Diffuse component: idiff

- i=i_{amb}+i_{diff}+i_{spec}
- Diffuse is Lambert's law: $i_{diff} = \mathbf{n} \cdot \mathbf{l} = \cos \phi$
- Photons are scattered equally in all directions

$$\mathbf{i}_{diff} = (\mathbf{n} \cdot \mathbf{l}) \mathbf{m}_{diff} \otimes \mathbf{s}_{diff}$$

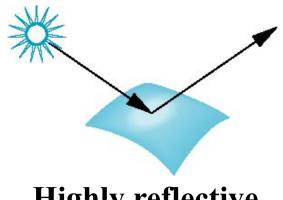
n and l are assumed being unit vectors



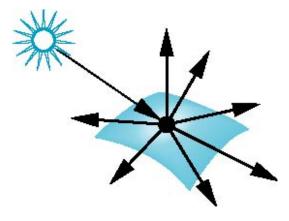


Lambertian Surfaces

- Perfectly diffuse reflector
- Light scattered equally in all directions



Highly reflective surface (specular)



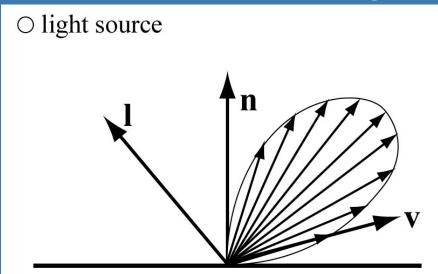
Fully diffuse surface (Lambertian)

Lighting Specular component: ispec





- Diffuse is dull (left)
- Specular: simulates a highlight



Specular component: Phong

v v

light source

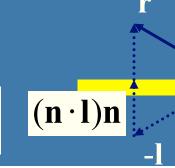
Phong specular highlight model

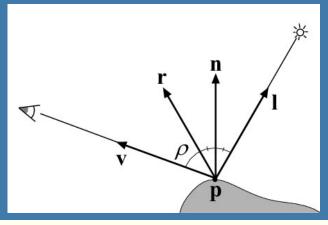
n must be unit vector

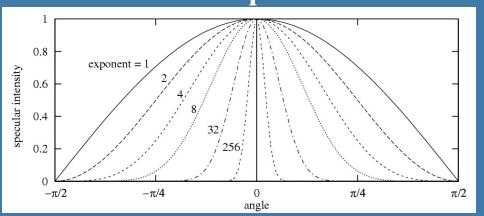
• Reflect I around n:

$$\mathbf{r} = -\mathbf{l} + 2(\mathbf{n} \cdot \mathbf{l})\mathbf{n}$$

$$i_{spec} = (\mathbf{r} \cdot \mathbf{v})^{m_{shi}} = (\cos \rho)^{m_{shi}}$$







$$\mathbf{i}_{spec} = ((\mathbf{n} \cdot \mathbf{l}) < 0) ? 0 : \max(0, (\mathbf{r} \cdot \mathbf{v}))^{m_{shi}} \mathbf{m}_{spec} \otimes \mathbf{s}_{spec}$$

Next: Blinns highlight formula: (n·h)^m



Halfway Vector

Blinn proposed replacing v·r by n·h where

$$\mathbf{h} = (\mathbf{I} + \mathbf{v})/|\mathbf{I} + \mathbf{v}|$$

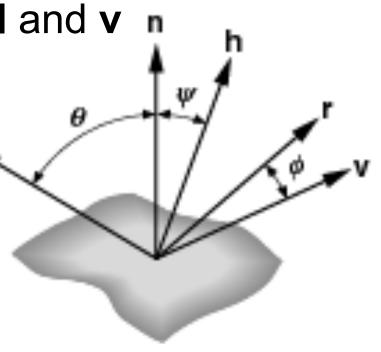
(I+v)/2 is halfway between I and v

If **n**, **I**, and **v** are coplanar:

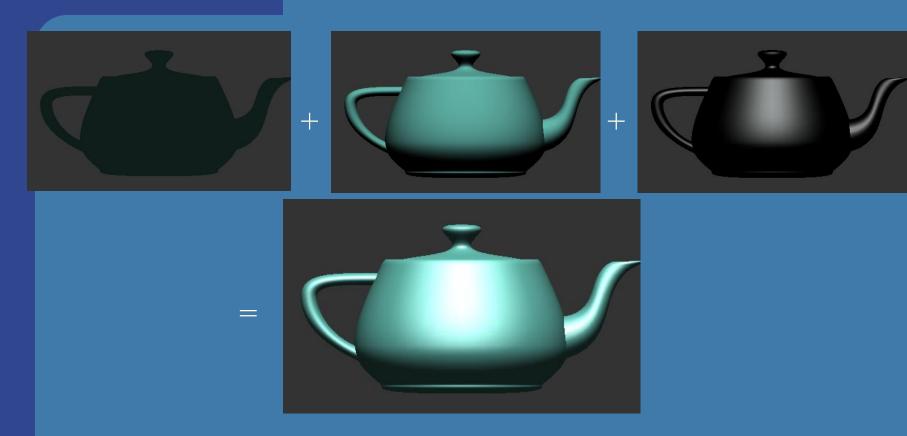
$$\psi = \phi/2$$

Must then adjust exponent so that $(\mathbf{n} \cdot \mathbf{h})^{e'} \approx (\mathbf{r} \cdot \mathbf{v})^{e}$

$$(e' \approx 4e)$$



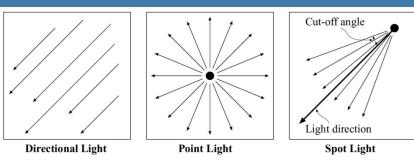
Lighting i=i_{amb}+i_{diff}+i_{spec}

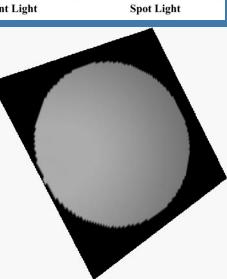


- This is just a hack!
- Has little to do with how reality works!

Additions to the lighting equation

- Depends on distance: 1/(a+bt+ct²)
- Can have more lights: just sum their respective contributions
- Different light types:





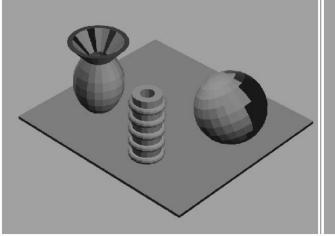
OpenGL Example – (fixed pipeline)

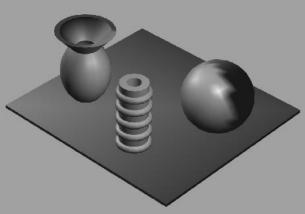
Sets constant (no) attenuation: glLight(GL_LIGHT0, GL_CONSTANT_ATTENUATION, 1.0); glLight(GL_LIGHT0, GL_LINEAR_ATTENUATION, 0.0); glLight(GL_LIGHT0, GL_QUADRATIC_ATTENUATION, 0.0);

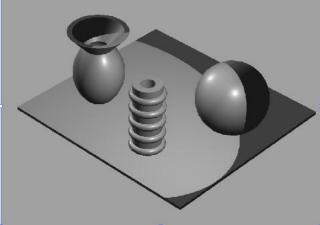
Attenuation often looks unnatural in OpenGL, due to only 8-bit colors (too small intensity range)

Shading

- Shading: do lighting (at e.g. vertices) and determine pixel's colors from these
- Three common types of shading:
 - Flat, Goraud, and Phong
 - Old: glShadeModel(GL FLAT / GL SMOOTH);

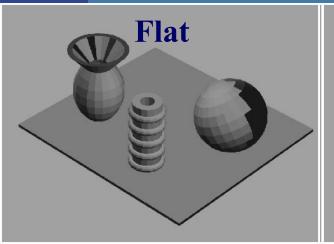




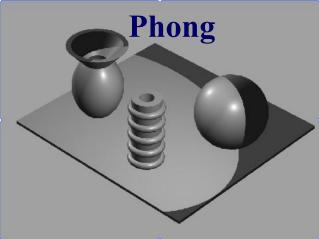


Shading

- Three common types of shading:
 - Flat, Goraud, and Phong
- In standard Gouraud shading the lighting is computed per triangle vertex and for each pixel, the color is interpolated from the colors at the vertices.
- In Phong Shading the lighting is <u>not</u> per vertex. Instead the normal is interpolated per pixel from the normals defined at the vertices and full lighting is computed per pixel using this normal. This is of course more expensive but looks better.







```
// Vertex Shader
#version 130
                    Gouraud Shading Code
in vec3 vertex;
in vec3 normal;
uniform vec3 mtrlAmb, mtrlDiffuse, mtrlSpec, mtrlEmission;
uniform vec3 lightAmb, lightDiffuse, lightSpec, lightEmission;
uniform float shininess:
uniform mat4 modelViewProjectionMatrix, normalMatrix, modelViewMatrix;
uniform vec4 lightPos; // in view space
out vec3 outColor;
void main()
    gl Position = modelViewProjectionMatrix*vec4(vertex,1);
    // ambient
    outColor = lightAmb * mtrlAmb;
    // diffuse
    vertex = vec3(modelViewMatrix * vec4(vertex,1));
    normal = normalize(normalMatrix * normal);
    vec3 lightDirection = normalize(lightPos - vertex.xyz);
    float intensity=max(0, dot(normal, lightDirection)
    outColor += lightDiffuse*mtrlDiffuse*intensity;
    // specular
    vec3 viewVec = -vertex.xyz; // because we are in view space
    vec3 reflVec = -lightDirection + normal*(2*dot(normal*lightDirection))
    intensity=pow(max(0,(dot(reflVec, viewVec)), shininess));
    outColor += lightSpec * mtrlSpec * max(0,intensity);
```

```
// Fragment Shader:
#version 130
in vec3 outColor;
out vec4 fragColor;
void main()
   fragColor = vec4(outColor,1);
```

 $\mathbf{r} = -\mathbf{l} + 2(\mathbf{n} \cdot \mathbf{l})\mathbf{n}$

 $\mathbf{i}_{spec} = ((\mathbf{n} \cdot \mathbf{l}) < 0) ? 0 : \max(0, (\mathbf{r} \cdot \mathbf{v}))^{m_{shi}} \mathbf{m}_{spec} \otimes \mathbf{s}_{spec}$

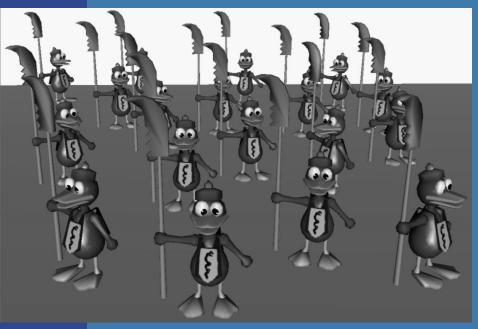
Phong Shading Code

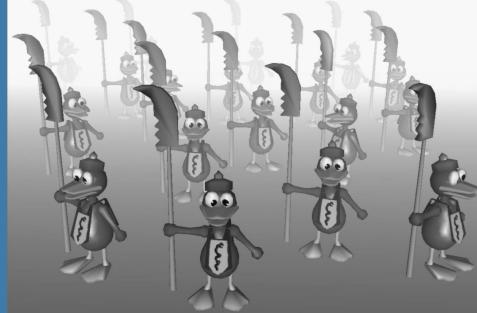
```
// Vertex Shader
#version 130
in vec3 vertex;
in vec3 normal:
uniform vec3 mtrlAmb:
uniform vec3 lightAmb;
uniform vec4 lightPos;
uniform mat4 modelViewProjectionMatrix;
uniform mat4 normalMatrix;
uniform mat4 modelViewMatrix;
out vec3 outColor;
out vec3 N;
out vec3 viewVec;
out vec3 lightDirection;
void main()
    gl Position = modelViewProjectionMatrix*
            vec4(vertex,1);
    // ambient
    outColor = lightAmb * mtrlAmb;
    N= normalize(normalMatrix * normal);
    lightDirection = normalize(lightPos - vertex.xyz);
    viewVec=-vec3(modelViewMatrix*vec4(vertex,1));
```

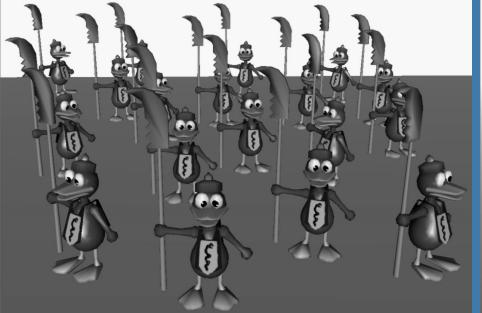
```
// Fragment Shader:
#version 130
in vec3 outColor, lightDirection, N, pos;
in vec3 viewVec;
uniform vec3 mtrlDiffuse, mtrlSpec, mtrlEmission;
uniform vec3 lightDiffuse, lightSpec, lightEmission;
uniform float shininess;
out vec4 fragColor;
void main()
  // diffuse
  float intensity=max(0, dot(normal, lightDirection)
  outColor += lightDiffuse*mtrlDiffuse*intensity;
  // specular
  vec3 reflVec = -lightDirection + N*(2*dot(N*lightDirection));
  intensity=pow(max(0,(dot(reflVec, viewVec)), shininess));
  outColor += lightSpec * mtrlSpec * max(0,intensity);
  fragColor = vec4(outColor,1);
```

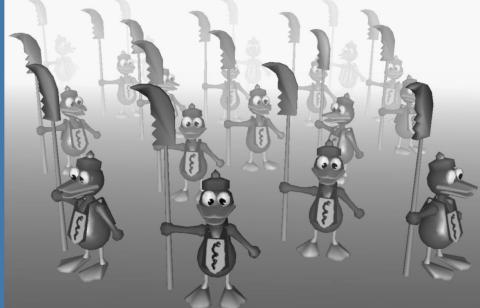
Fog

- Simple atmospheric effect
 - A little better realism
 - Help in determining distances









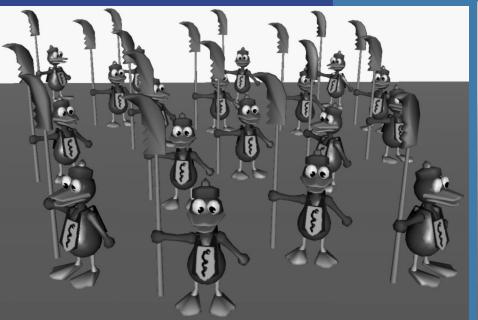
• Color of fog: \mathbf{c}_f color of surface: \mathbf{c}_s

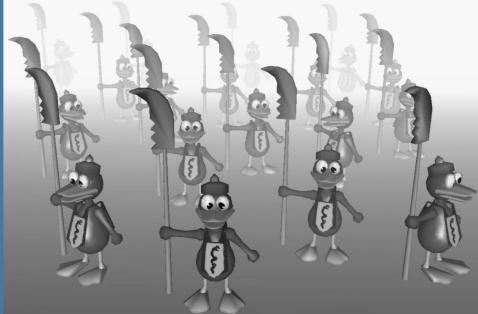
$$\mathbf{c}_p = f\mathbf{c}_s + (1 - f)\mathbf{c}_f \qquad f \in [0,1]$$

- How to compute f?
- 3 ways: linear, exponential, exponential-squared
- Linear:

$$f = \frac{z_{end} - z_{p}}{z_{end} - z_{start}}$$

Fog example





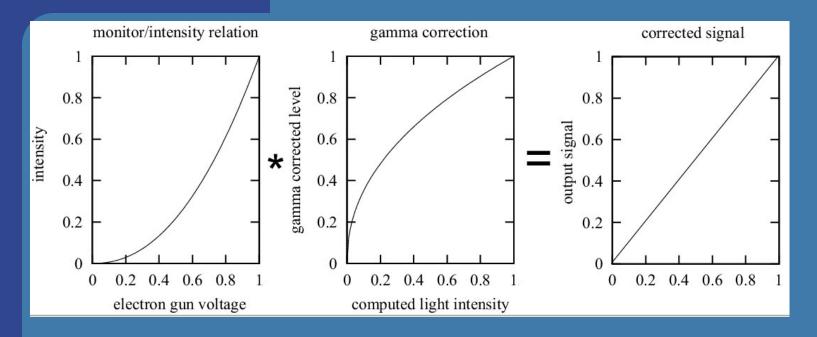
- Often just a matter of
 - Choosing fog color
 - Choosing fog model
 - Old OpenGL just turn it on. New OpenGL program it yourself in the fragment shader

Fog in up-direction



Akenine-Mőller © 2002

Gamma correction



- If input to gun is 0.5, then you don't get 0.5 as output in intensity
- Instead, gamma correct that signal: gives linear relationship

Gamma correction

$$I = a(V + \varepsilon)^{\gamma}$$

- *I*=intensity on screen
- V=input voltage (electron gun)
- a,ε, and γ are constants for each system
- Common gamma values: 2.2-2.6
- Assuming ε =0, gamma correction is:

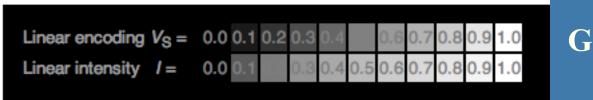
$$c = c_i^{(1/\gamma)}$$

Why is it important to care about gamma correction?

- Portability across platforms
- Image quality
 - Texturing
 - Anti-aliasing
- One solution is to put gamma correction in hardware...
- sRGB asumes gamma=2.2
- Can use EXT_framebuffer_sRGB to render with gamma correction directly to frame buffer

Gamma correction today

- Standard is 2.2
- Happens to give more efficient color space when compressing intensity from 32-bit floats to 8-bits. Thus, still somewhat motivated.



Gamma of 2.2

On most displays (those with gamma of about 2.2), one can observe that the linear-intensity scale has a large jump in perceived brightness between the intensity values 0.0 and 0.1, while the steps at the higher end of the scale are hardly perceptible. The linearly-encoded scale, which has a nonlinearly-increasing intensity, will show much more even steps in perceived brightness.

Transparency and alpha

- Transparency
 - Very simple in real-time contexts
- The tool: alpha blending (mix two colors)
- Alpha (α) is another component in the frame buffer, or on triangle
 - Represents the opacity
 - 1.0 is totally opaque
 - 0.0 is totally transparent
- The over operator:

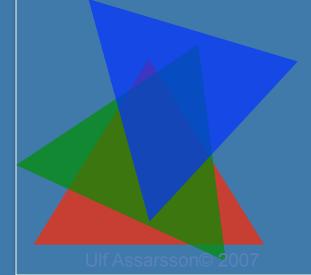
$$\mathbf{c}_o = \alpha \mathbf{c}_s + (1 - \alpha)\mathbf{c}_d$$

Transparency

- Need to sort the transparent objects
 - Render back to front (blending is order dep.)
- Lots of different other blending modes

ullet Can store RGBlpha in textures as well

So the texture rectangle does not hide objects behind



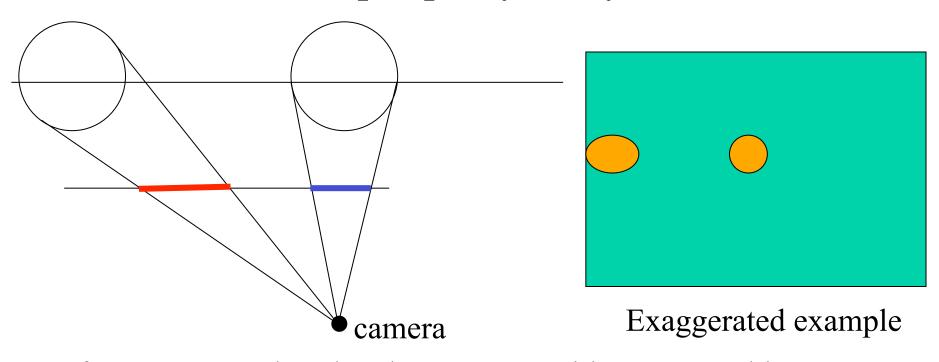
Blending

- Used for
 - Transparency
 - glBlendFunc(GL_SRC_ALPHA, GL_ONE_MINUS_SRC_ALPHA)
 - Effects (shadows, reflections)
 - Complex materials
 - Quake3 used up to 10 rendering passes, blending toghether contributions such as:
 - Diffuse lighting (for hard shadows)
 - Bump maps
 - Base texture
 - Specular and emissive lighting
 - Volumetric/atmospheric effects
 - Enable with glEnable(GL_BLEND)



Perspective distorsion

• Spheres often appear as ellipsoids when located in the periphery. Why?



If our eye was placed at the camera position, we would not see the distorsion. We are often positioned way behind the camera.