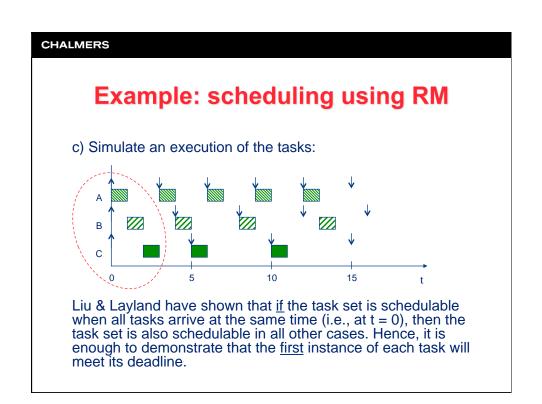
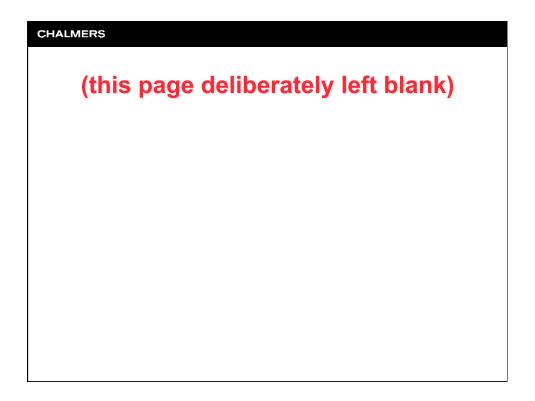
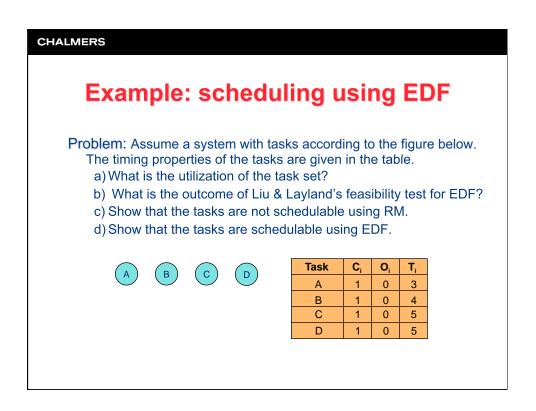
| CHALMERS | | | | | |
|---|------|----|----------------|----|--|
| Example: scheduling using RM | | | | | |
| Problem: Assume a system with tasks according to the figure below. The timing properties of the tasks are given in the table. Schedule the tasks using rate-monotonic scheduling (RM). a) What is the utilization of the task set? b) What is the outcome of Liu & Layland's feasibility test for RM? c) Show that the tasks are schedulable using RM. | | | | | |
| A B C | Task | Ci | O _i | Ti | |
| | A | 1 | 0 | 3 | |
| | В | 1 | 0 | 4 | |
| | С | 1 | 0 | 5 | |
| | | | | | |
| | | | | | |
| | | | | | |

| CHALMERS |
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| Example: scheduling using RM |
| a) The utilization U of the system is |
| $U = \sum_{i=1}^{n} \frac{C_i}{T_i} = \frac{1}{3} + \frac{1}{4} + \frac{1}{5} \approx 0.783$ |
| b) The utilization bound $U_{\scriptstyle lub}$ of the test is |
| $U_{lub} = n(2^{1/n} - 1) = 3(2^{1/3} - 1) \approx 0.780$ |
| Since $U > U_{lub}$ and the test is only a sufficient one, we cannot yet determine whether the task set is schedulable or not. |







| CHALMERS |
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| Example: scheduling using EDF |
| a) The utilization U of the system is $U = \sum_{i=1}^{n} \frac{C_i}{T_i} = \frac{1}{3} + \frac{1}{4} + \frac{1}{5} + \frac{1}{5} \approx 0.983$ |
| b) Since $U < 1$ we know that the task set is schedulable according to Liu & Layland. |
| |
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