

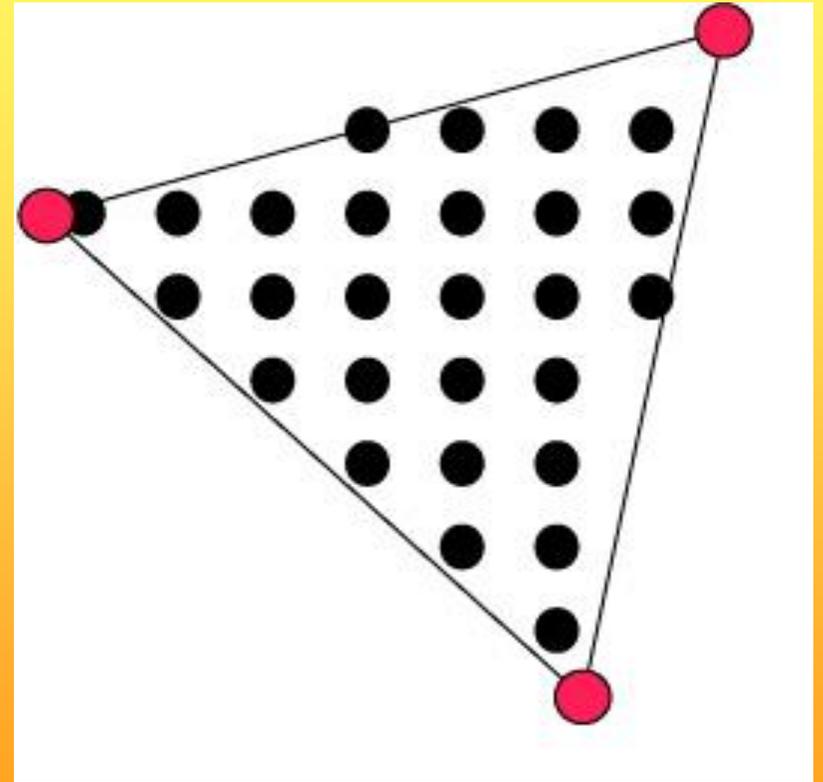
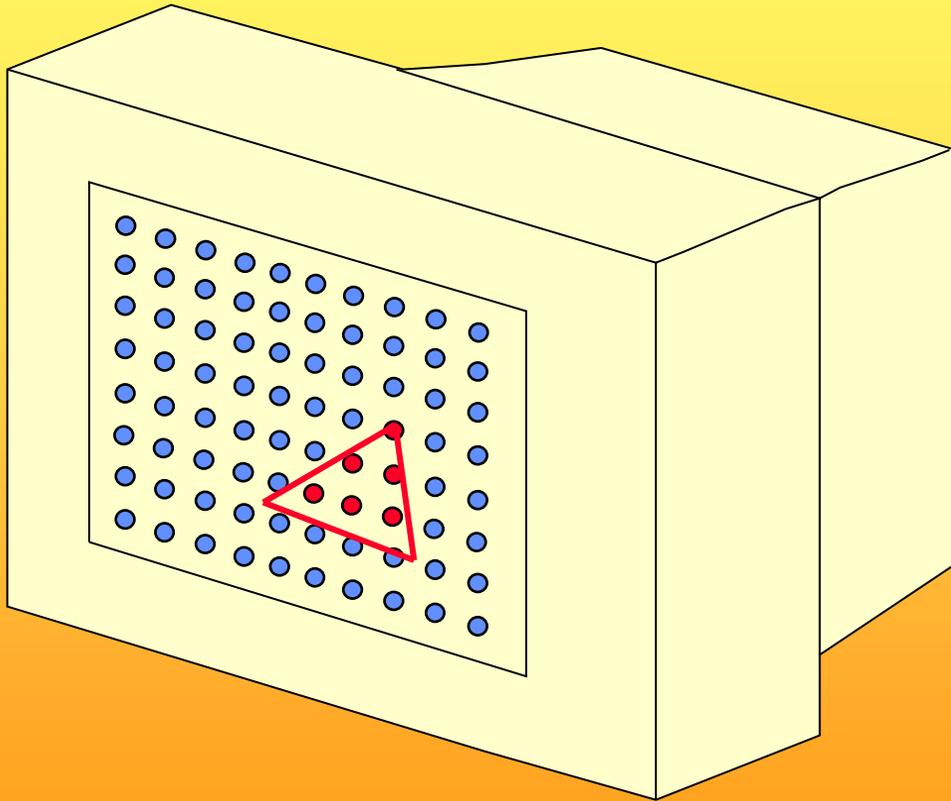
CHALMERS

# 3D Graphics in Games and Movies



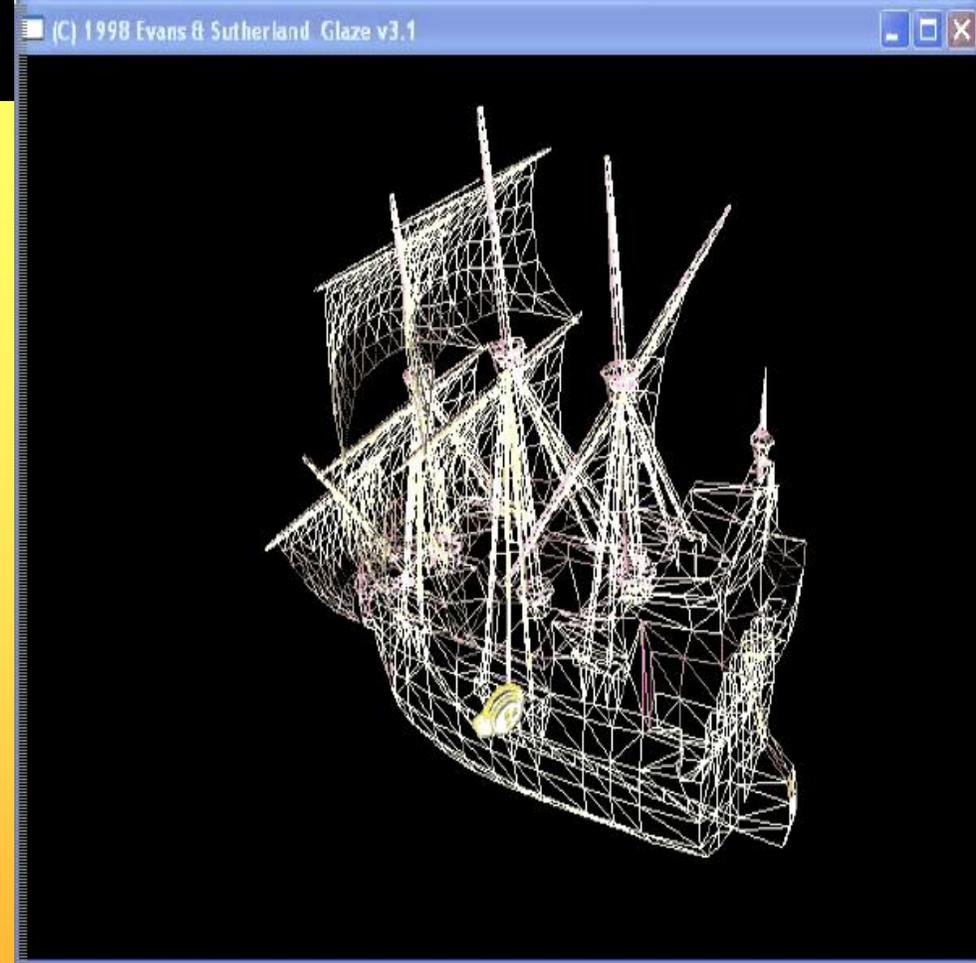
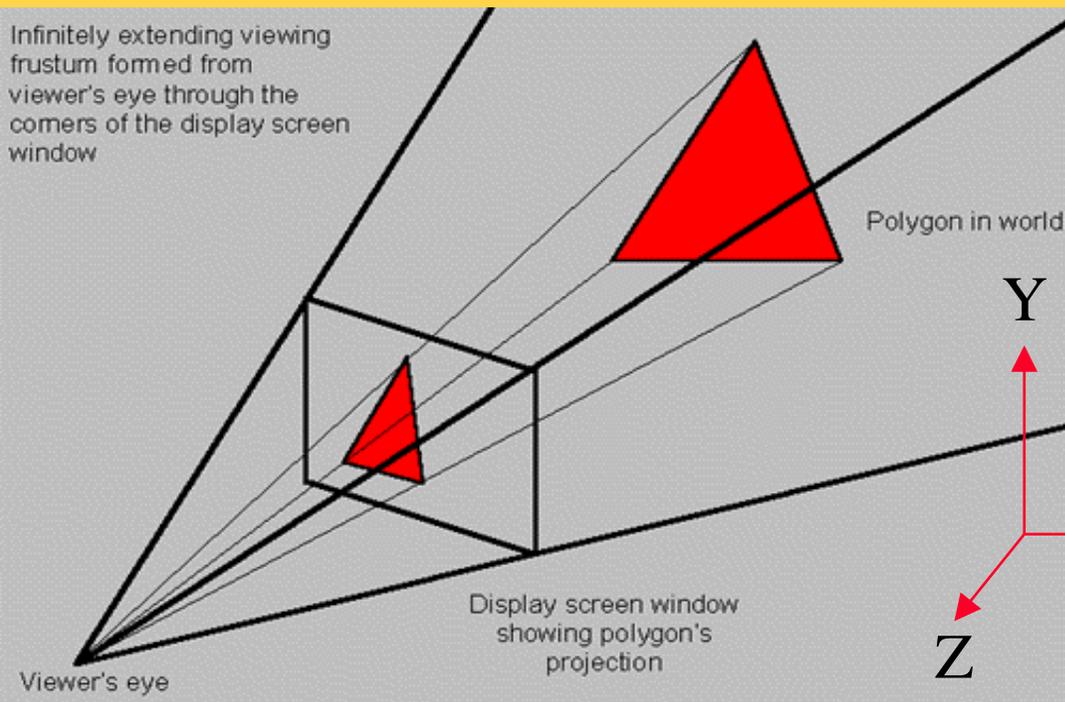
Ulf Assarsson

# The screen consists of pixels



# 3D-Rendering

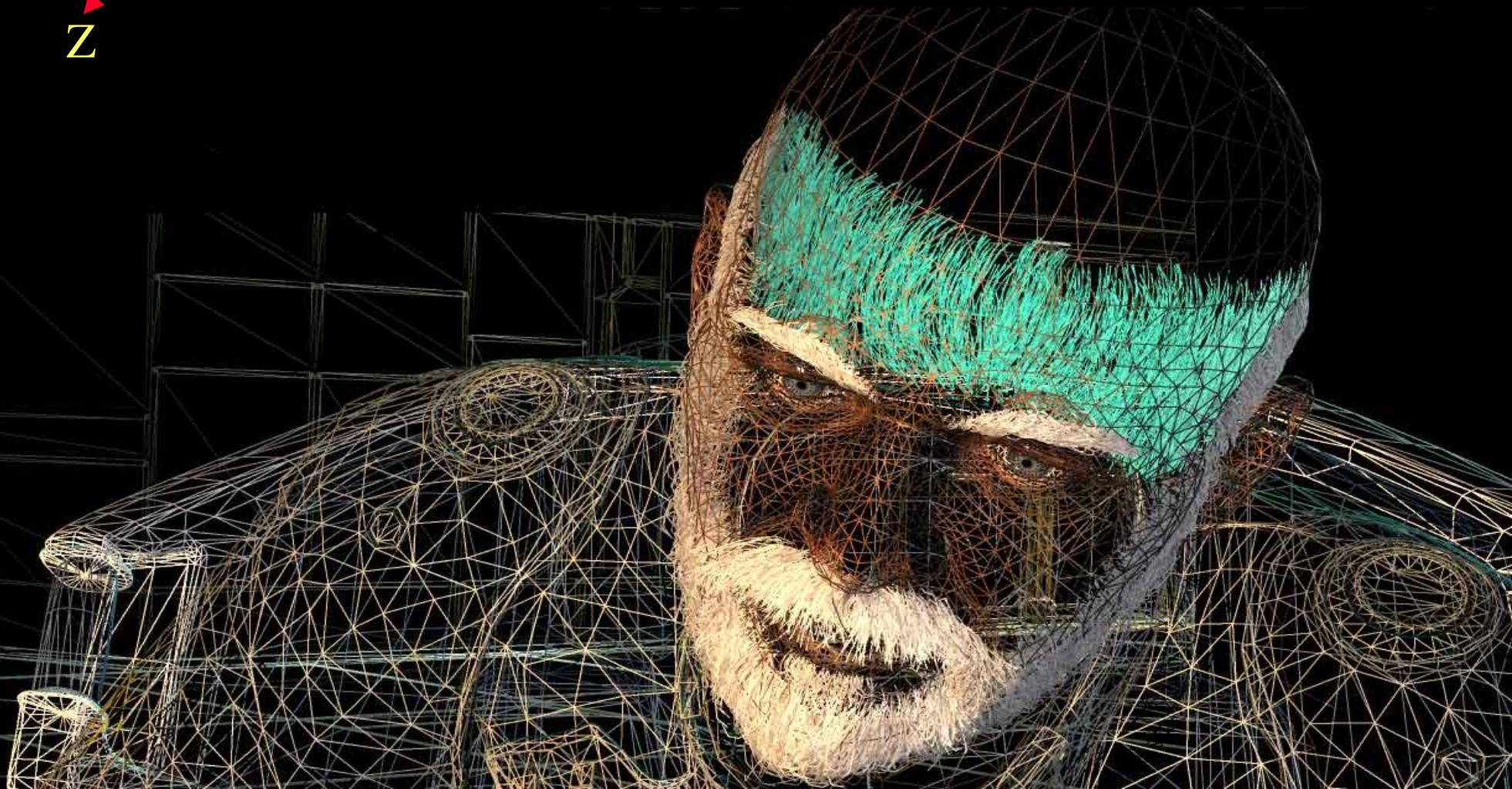
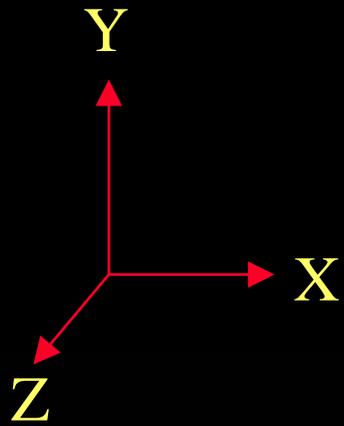
- Objects are often made of triangles
- $x, y, z$ - coordinate for each vertex



Why only triangles?

# 4D Matrix Multiplication

$$\begin{bmatrix} s_x & \bullet & \bullet & t_x \\ \bullet & s_y & \bullet & t_y \\ \bullet & \bullet & s_z & t_z \\ 0 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x \\ y \\ z \\ w \end{bmatrix}$$

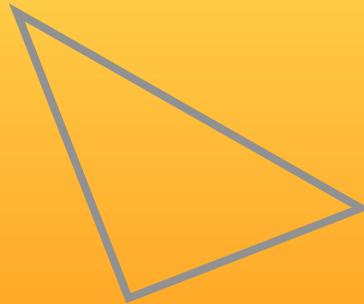


# Textures

- One application of texturing is to "glue" images onto geometrical object



+



=



# Texturing: Glue images onto geometrical objects

- Purpose: more realism, and this is a cheap way to do it



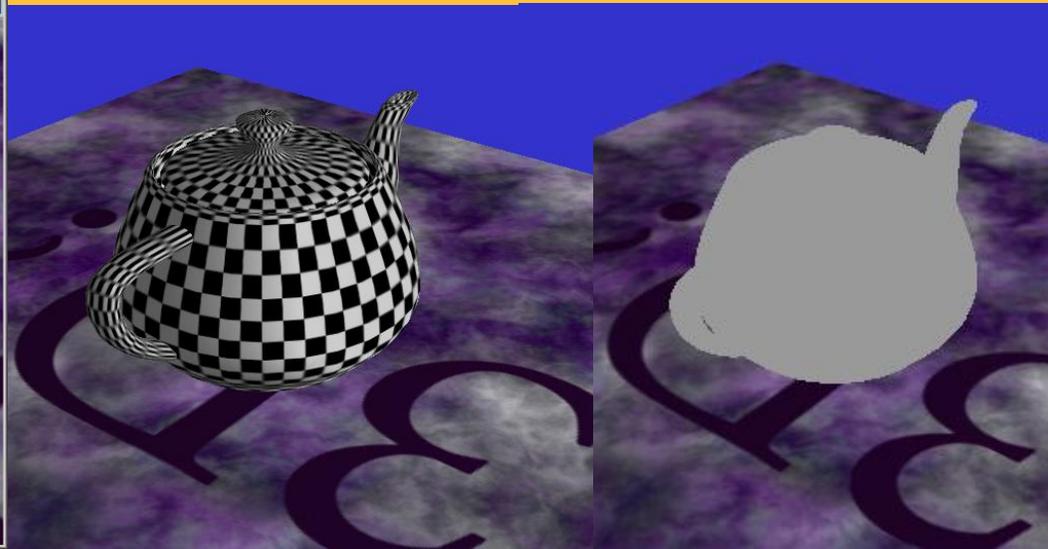
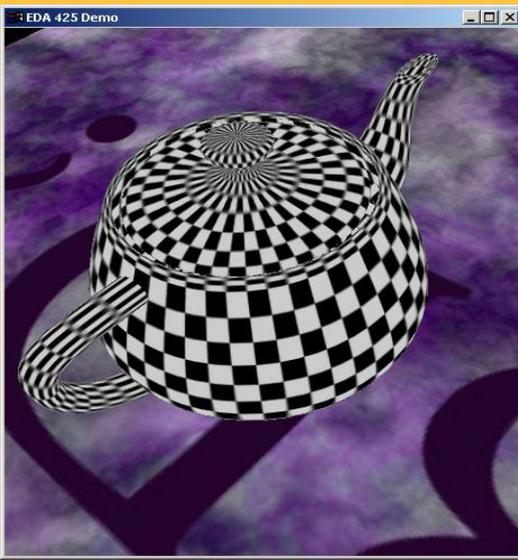
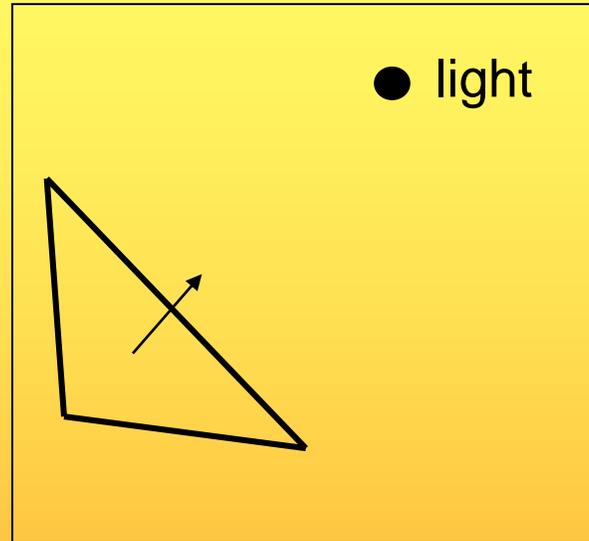
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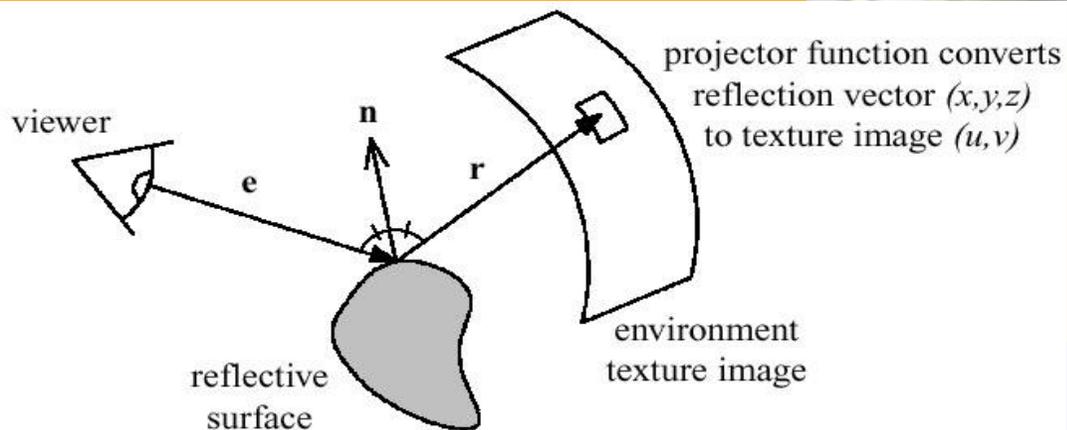
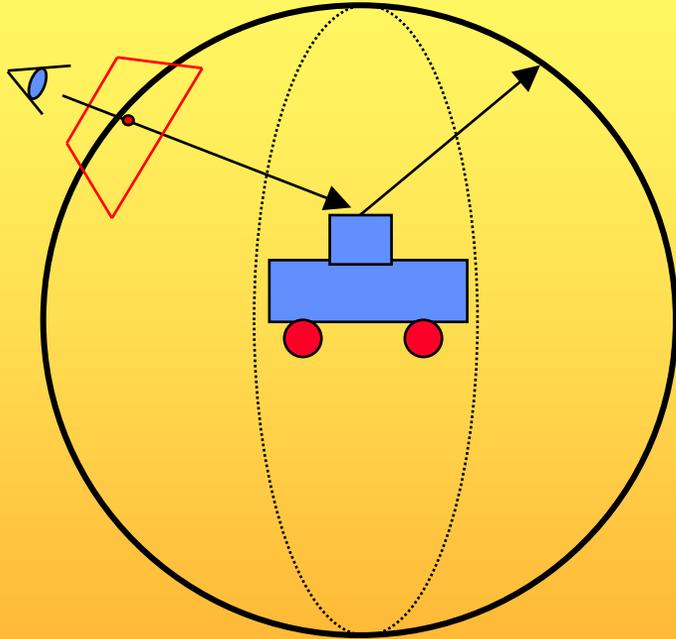
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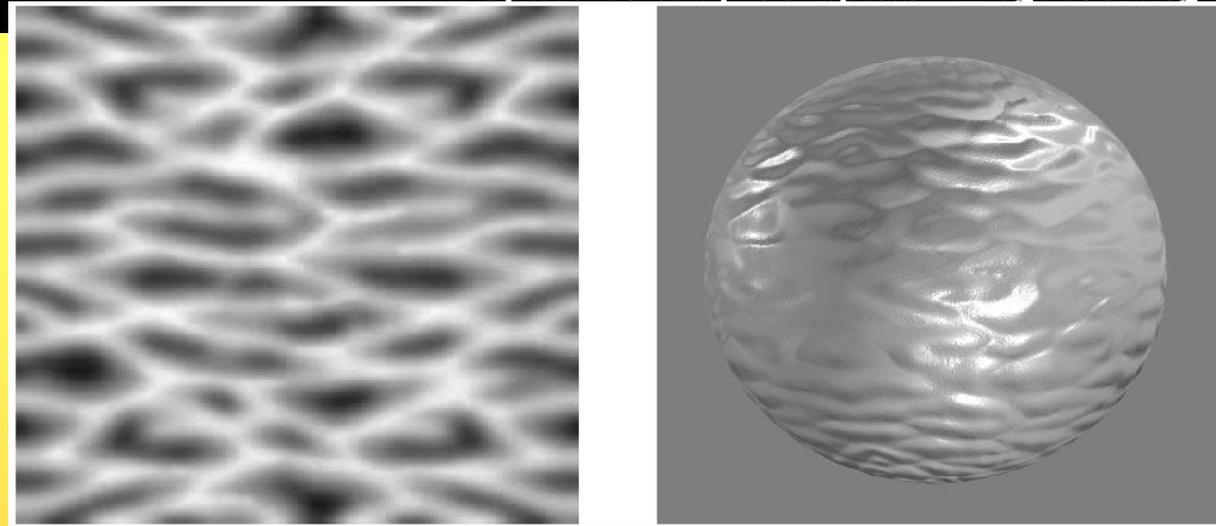
# Light computation per triangle



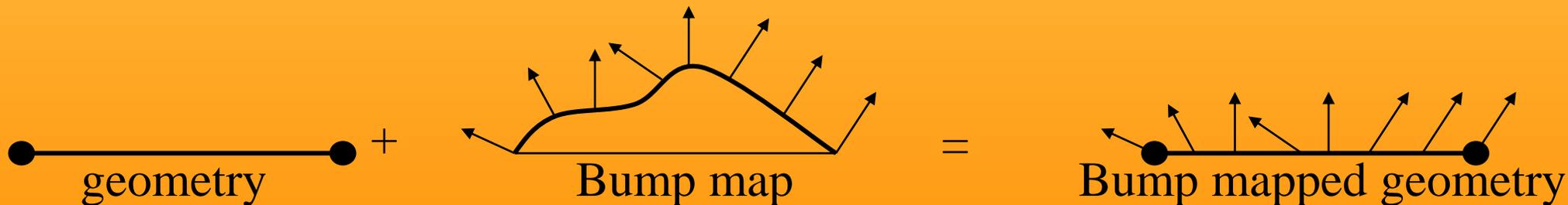
# Environment mapping



# Bump mapping

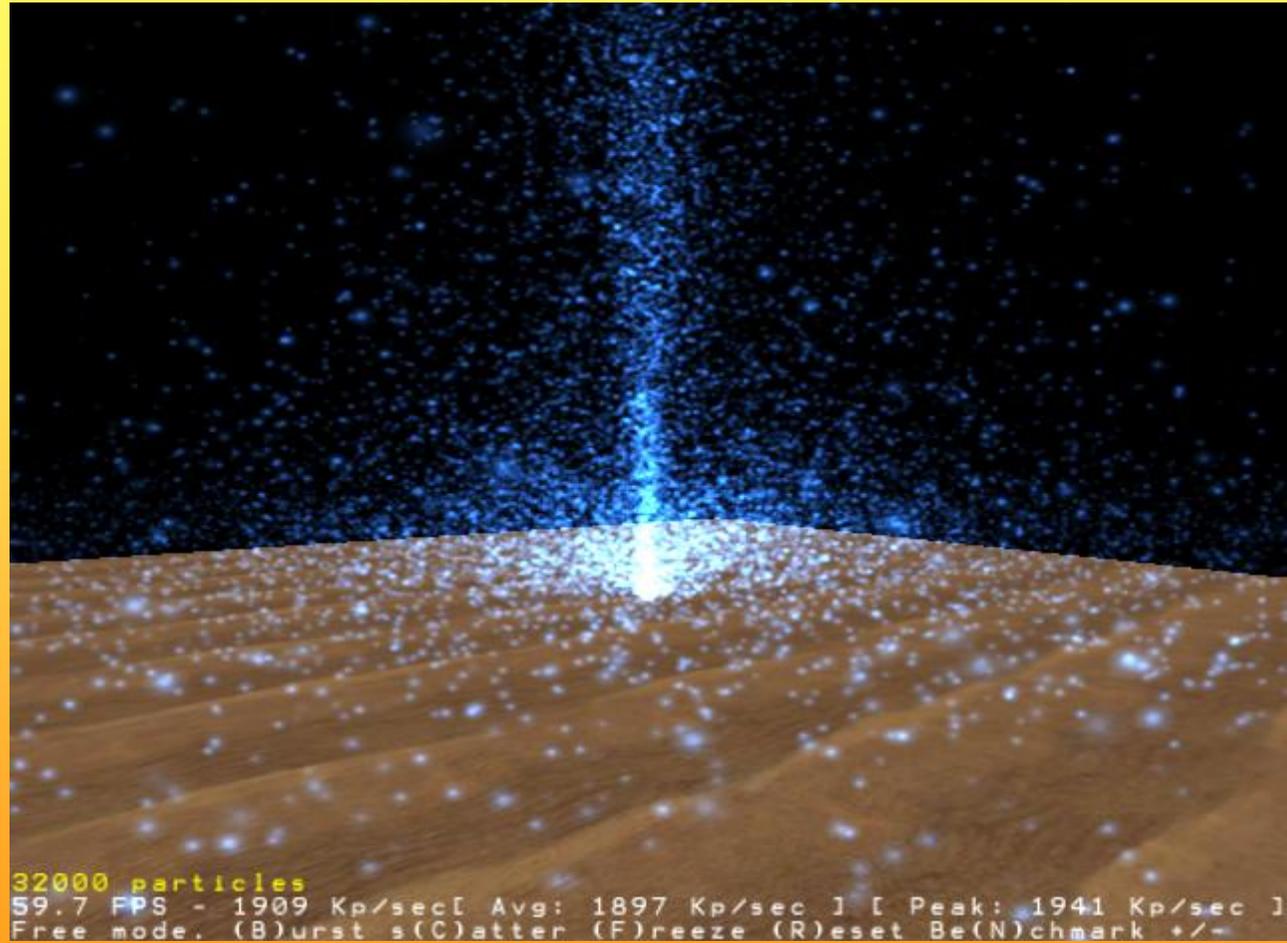
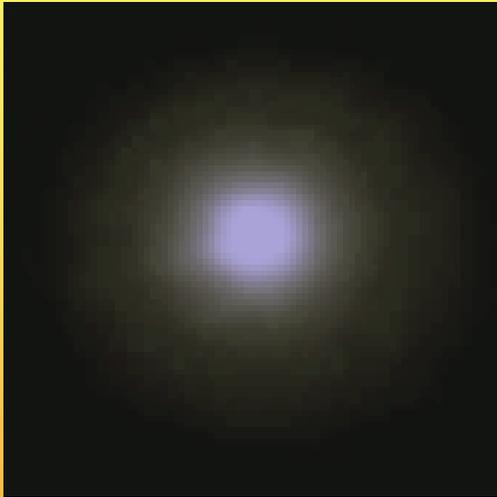


- by Blinn in 1978
- Inexpensive way of simulating wrinkles and bumps on geometry
  - Too expensive to model these geometrically



Stores heights: can derive normals

# Particle System



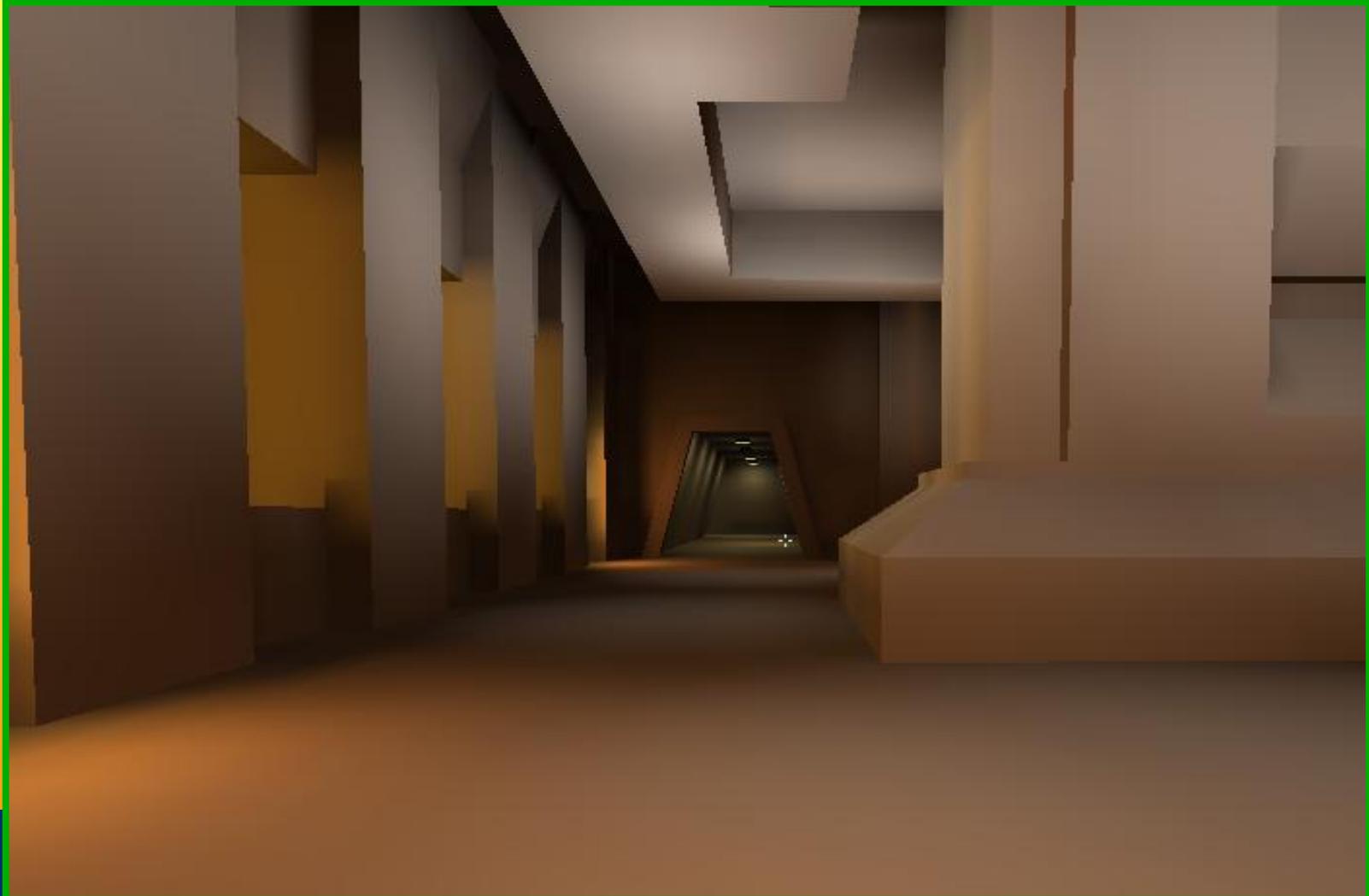
**Particles**

# Shadows

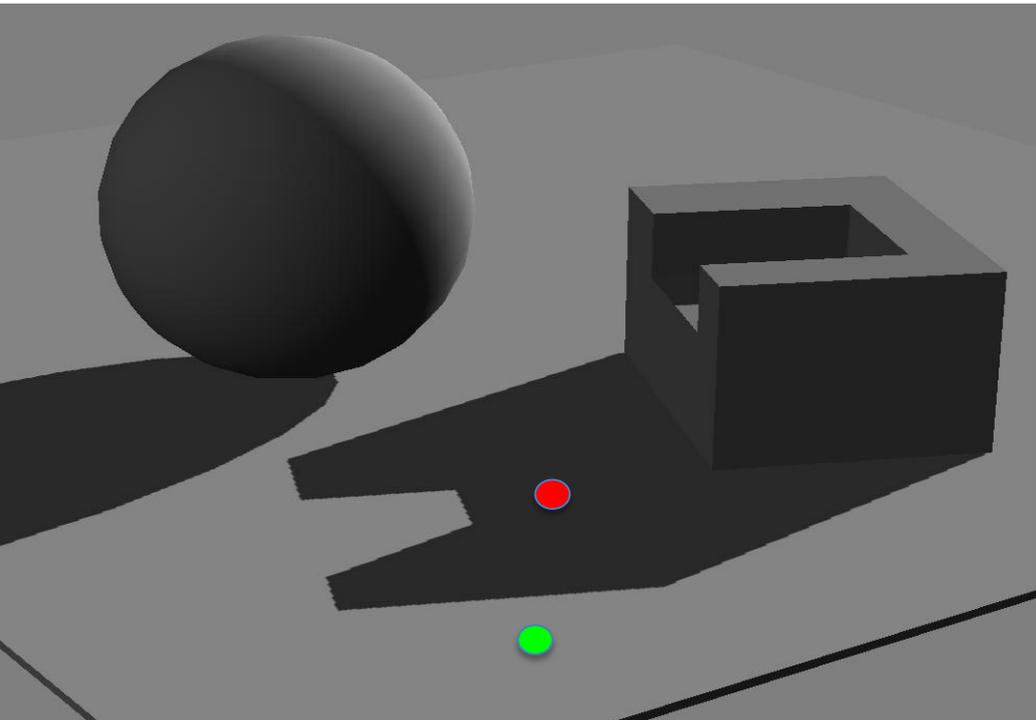
- More realism and atmosphere



# Shadows play an important role for realism

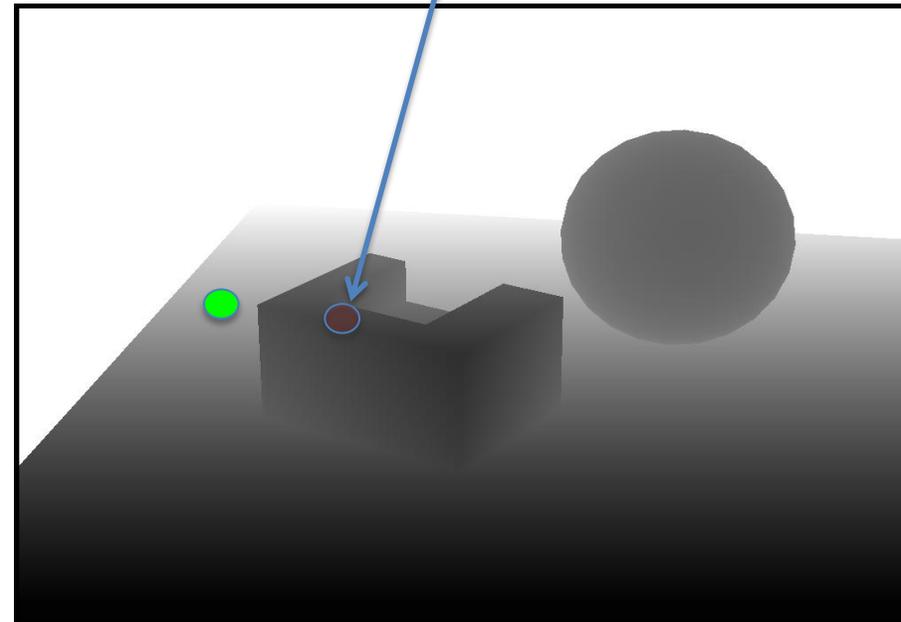


# Shadow Maps



Camera's view

Point not represented  
in shadow map (point  
is behind box)



Light's view  
(Shadow Map)

# State of the art (realtime)



A few hundred  
**textured polygons**

Beyond Programmable Shading

Half a million individual line  
**segments**

# Real time hair rendering



## Main challenges

### Shadowing

Hard shadowing techniques fail

Low Maps => aliasing at silhouette edges

Low Volumes => overdraw proportional to the number of silhouette edges

Needs **ALL** silhouette edges

Current technique handles transparency

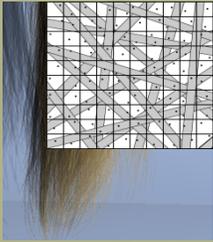
### Transparency

Strand should contribute very little to a pixel (~1%)

Strands are actually refractive and at least some

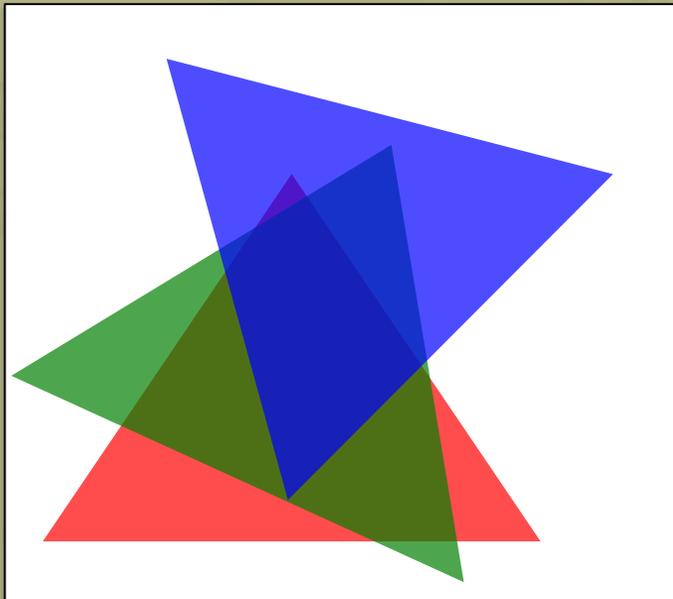
Transparency effect is required

Current blending works very well to handle this

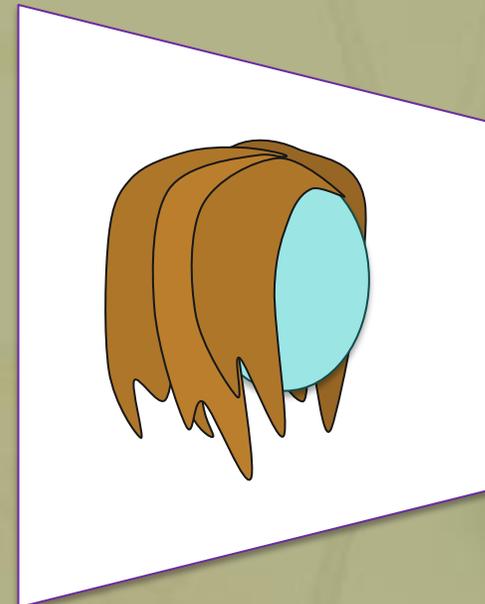


# Draw transparent objects back-to-front

Painter's algorithm:  
sort transparent primitives and  
render back-to-front.



E.g. 30% transparency means  
objects behind show through by  
30%.



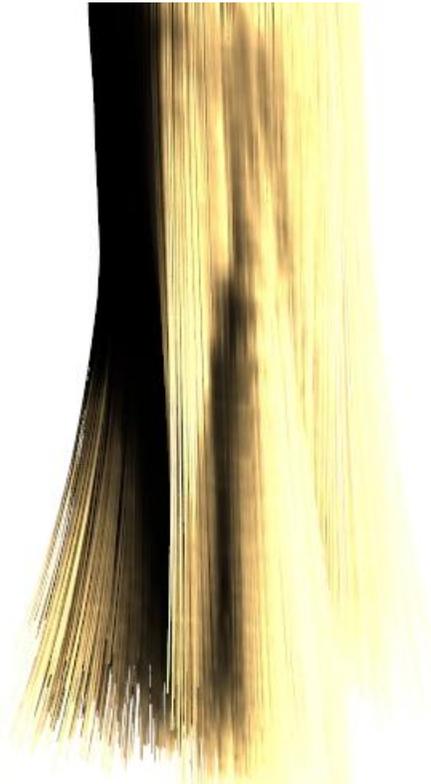
# Importance of Shadows



Images from: Tom Lokovic and Erich Veach, “*Deep Shadow Maps*”, pp 385-392, *Siggraph 2000*.

# Importance of Transparency

- Hair is sub-pixel sized and transparent, alpha blending is absolutely necessary



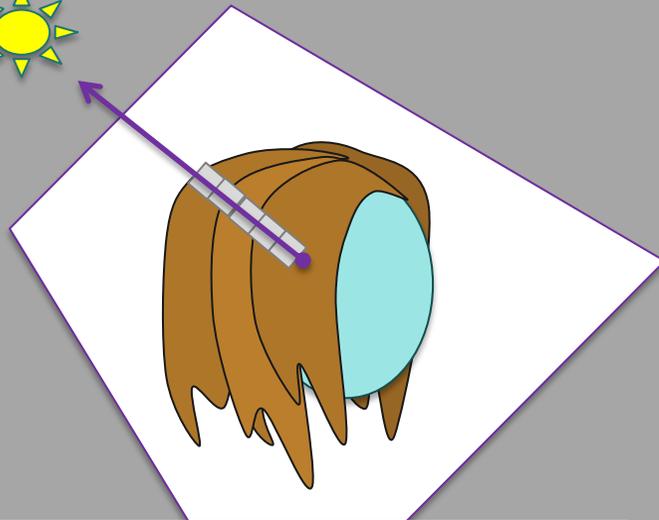
Without alpha blending



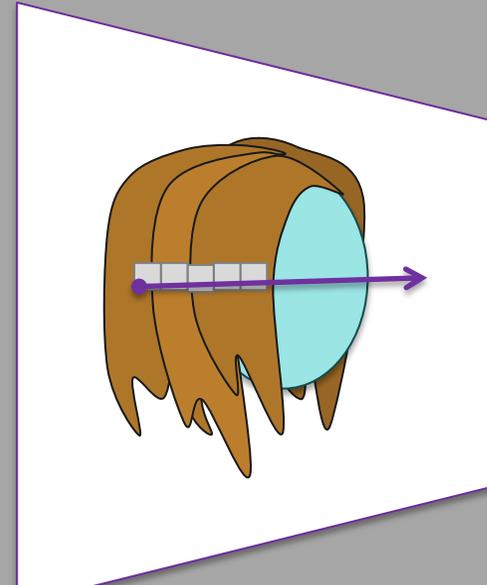
With alpha blending

# Real time hair rendering

The two problems are quite similar



For shadows, we want to know how much the hair fragments, in front, blocks the light  
- Can be solved by sorting



For transparency, we need the hair strands sorted in back-to-front order

# Results



About half a million line segments rendered with 256 Opacity Map slices and approximate alpha sorting at 70 fps (GTX480)



# Results

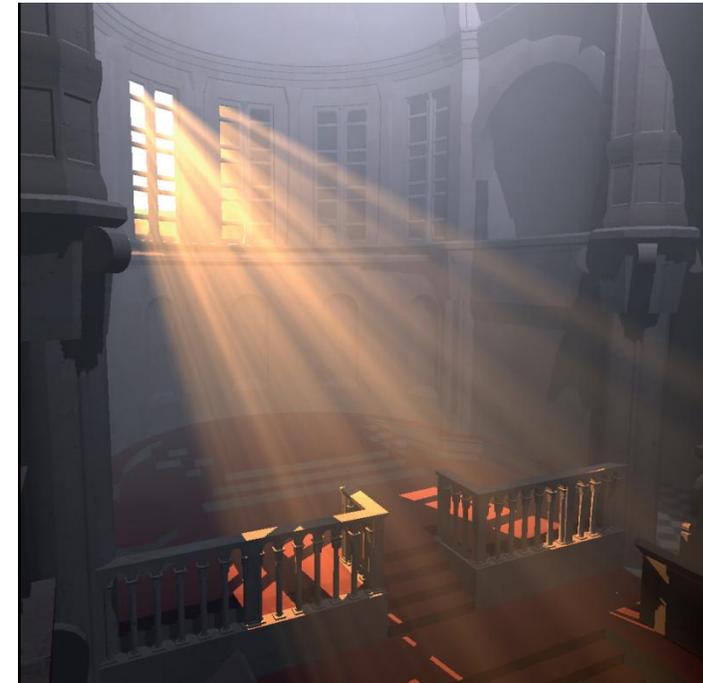
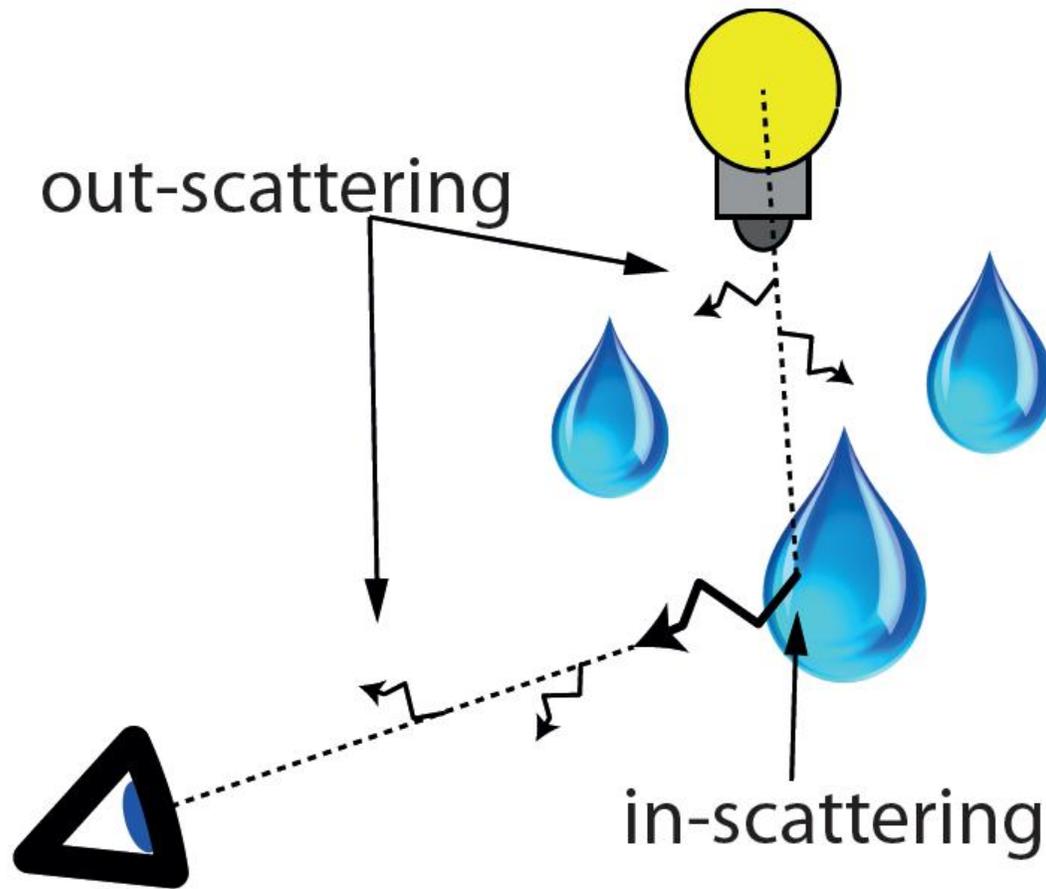


46 fps using 400k hair strands  
(1.8M line segments)

Beyond Programmable

# Volumetric Shadows

- Single Scattering in Participating Media





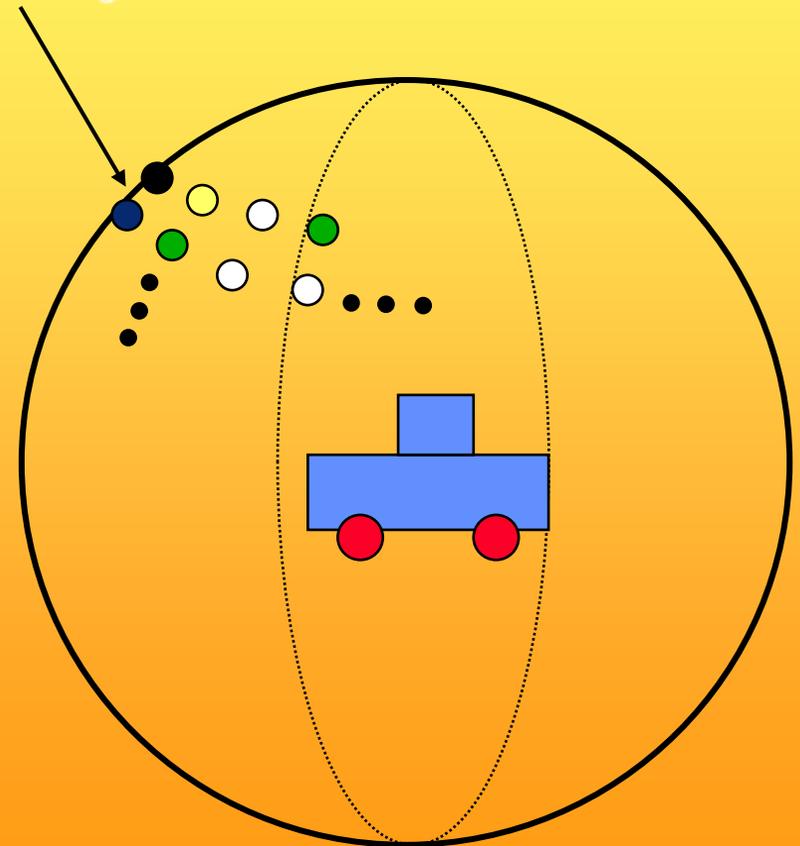
With courtesy of Illuminate Labs

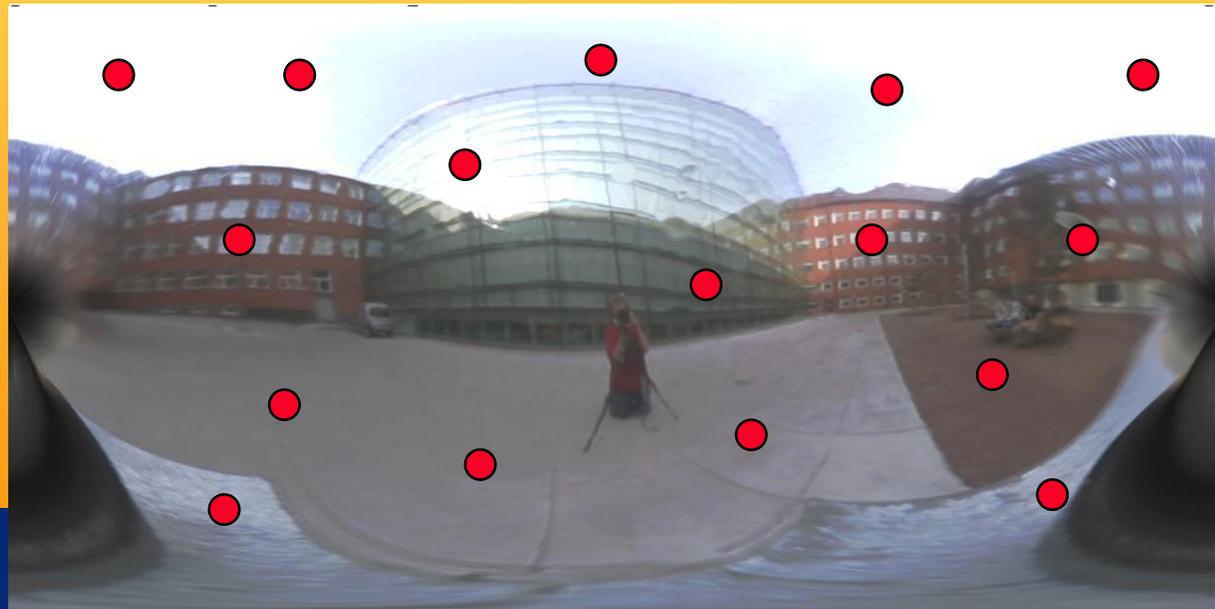
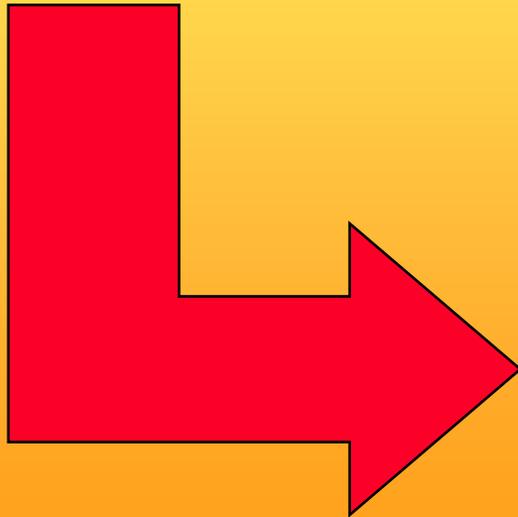
How making objects appear as belonging to a certain environment?

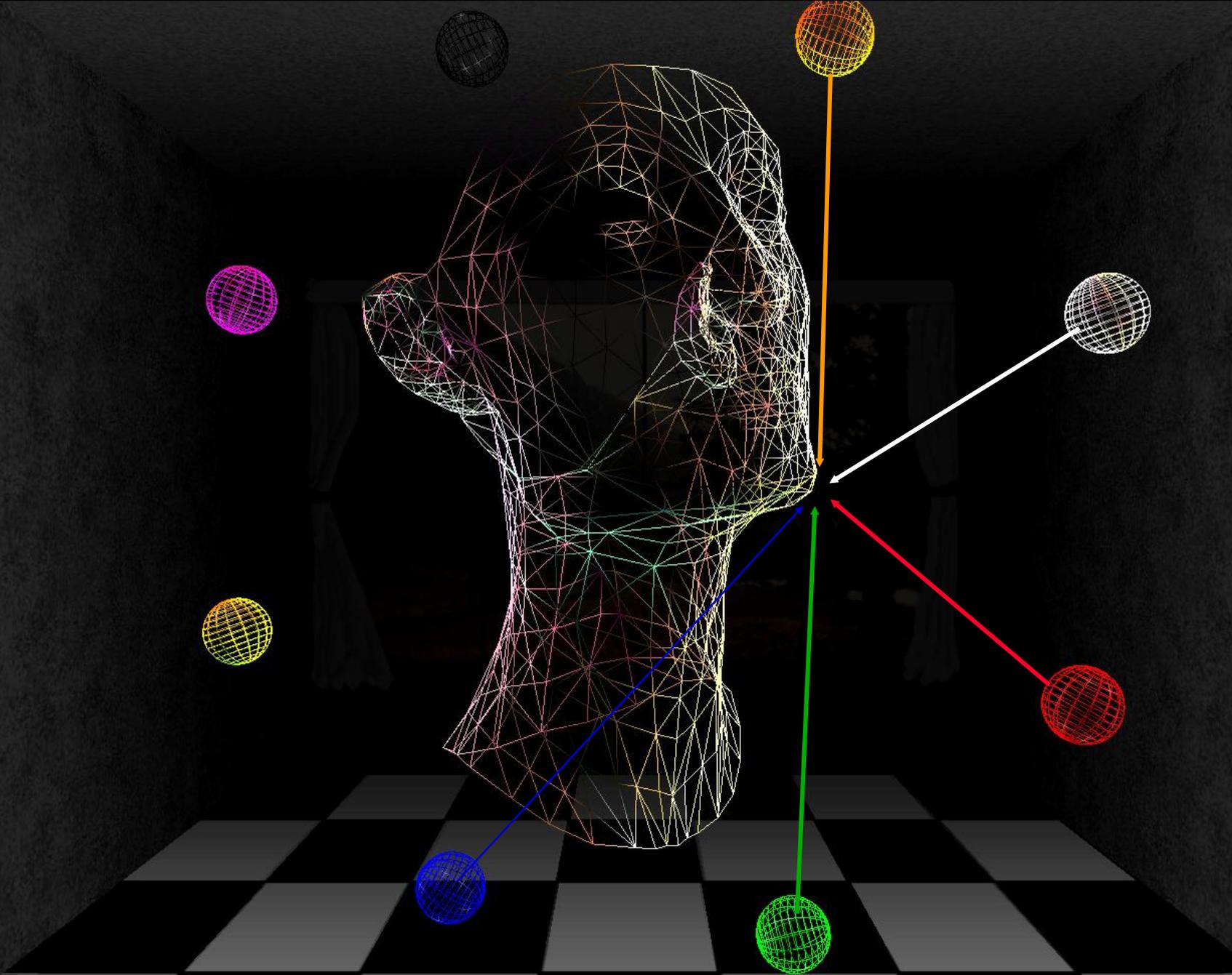


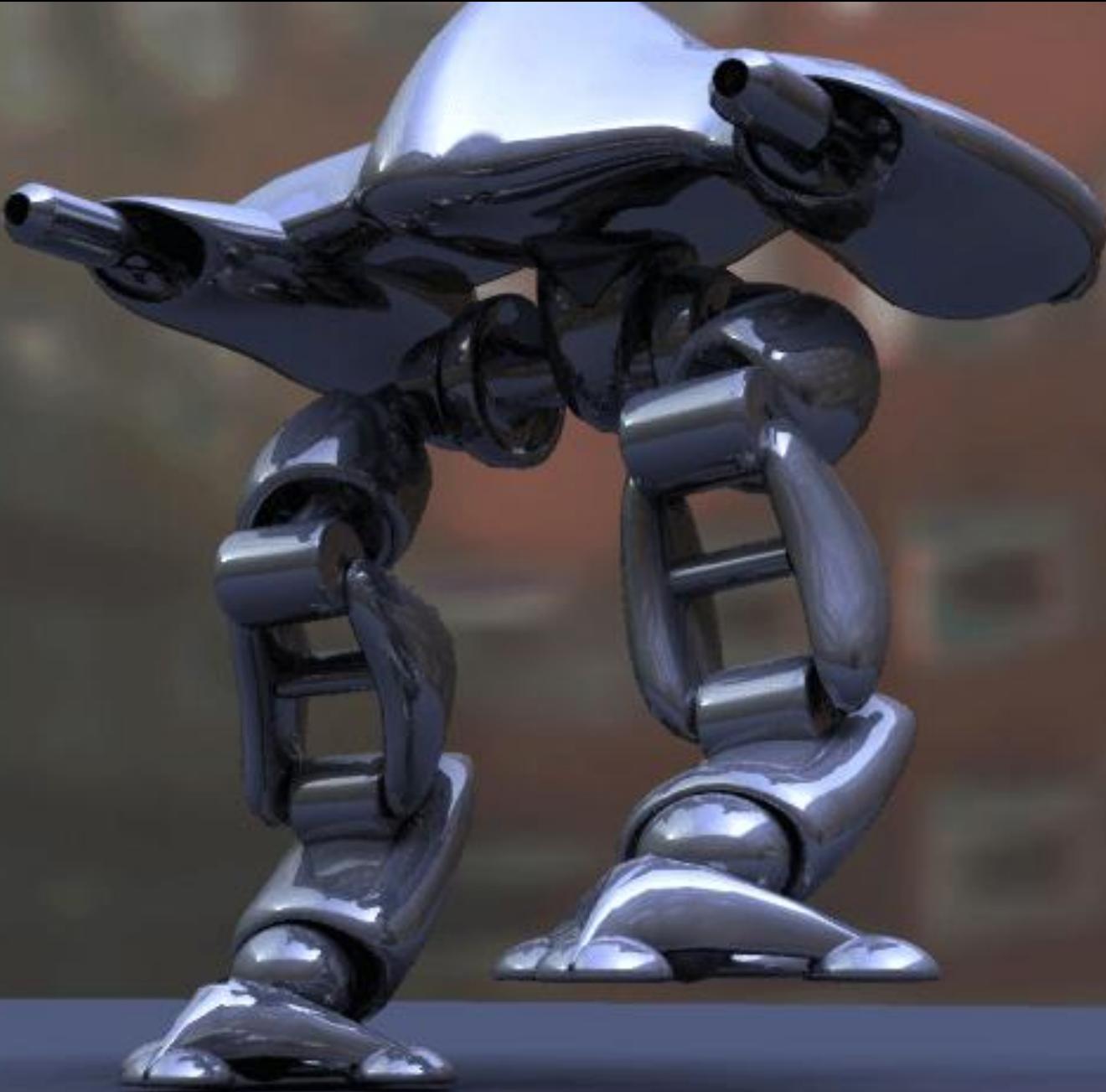
**Photograph of full environment**

**Lamps illuminating our object**











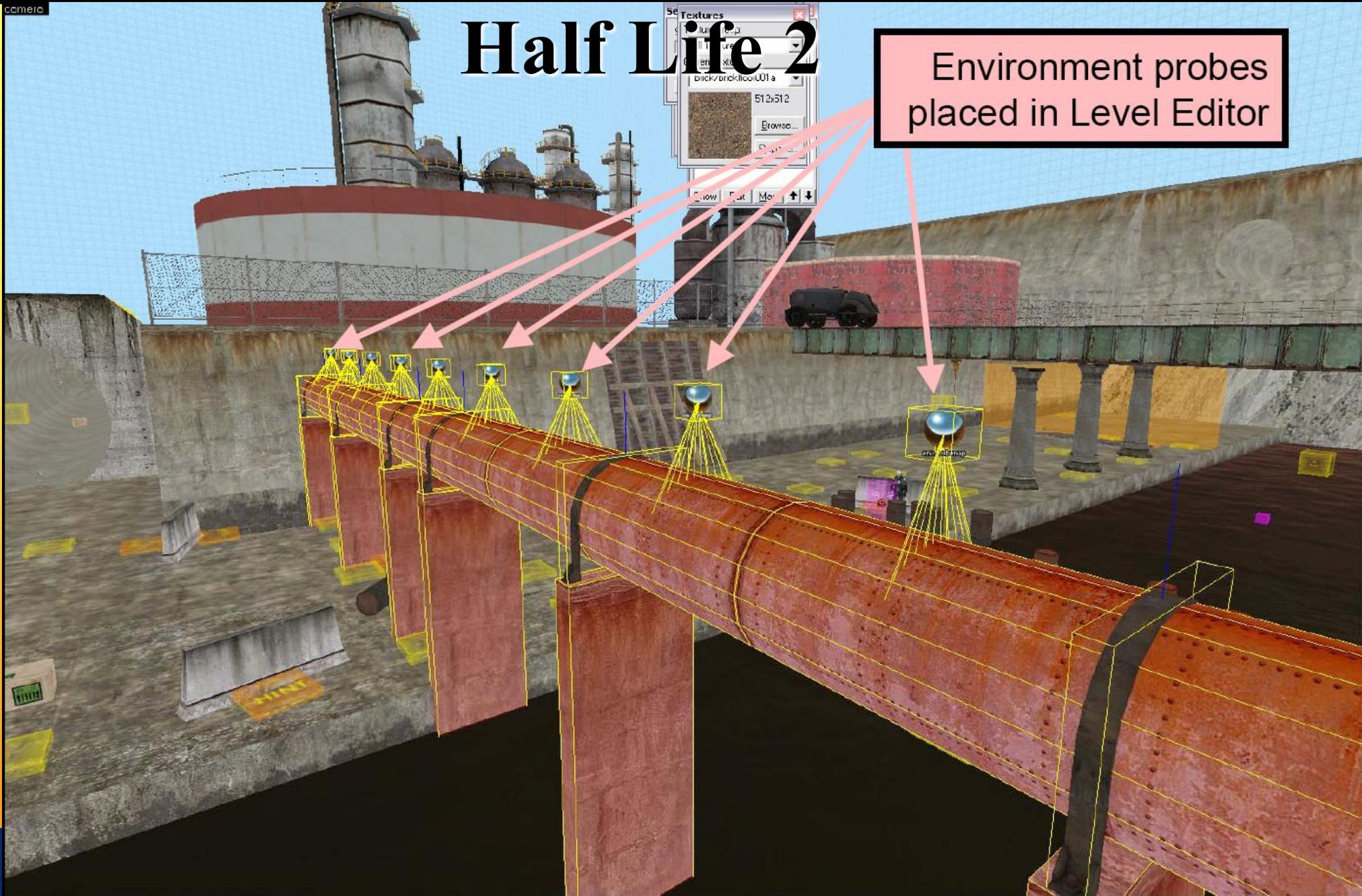
**motogp 2**

**THQ**  
www.thq.com

With courtesy of Dorna Sports: Moto GP2

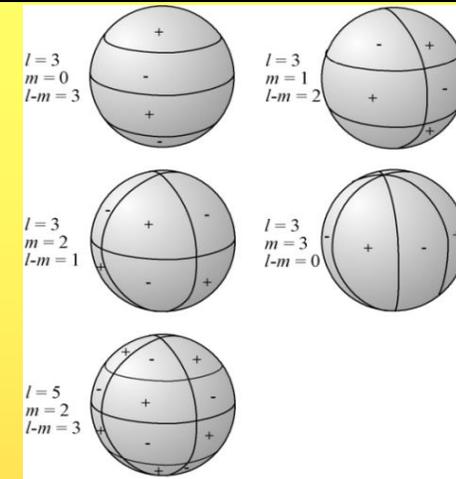
# Half Life 2

Environment probes placed in Level Editor



# Spherical Harmonics

$$f(r, \theta, \varphi) = \sum_{\ell=0}^{\infty} \sum_{m=-\ell}^{\ell} r^{-1-\ell} f_{\ell}^m Y_{\ell}^m(\theta, \varphi) + \sum_{\ell=0}^{\infty} \sum_{m=-\ell}^{\ell} r^{\ell} f_{\ell}^{m'} Y_{\ell}^m(\theta, \varphi),$$



$$\text{Re}[Y_{\ell}^m(\theta, \phi)]^2$$



$$\text{Re}[Y_{\ell}^m(\theta, \phi)]\text{Re}[Y_{\ell}^m(\theta, \phi)]^2$$



$$\text{Im}[Y_{\ell}^m(\theta, \phi)]^2$$



$$\text{Re}[Y_{\ell}^m(\theta, \phi)]\text{Re}[Y_{\ell}^m(\theta, \phi)]\text{Re}[Y_{\ell}^m(\theta, \phi)]^2$$



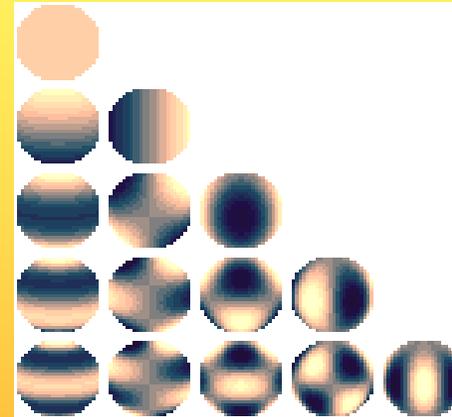
$$\text{Im}[Y_{\ell}^m(\theta, \phi)]^2\text{Im}[Y_{\ell}^m(\theta, \phi)]^2$$



$$\text{Re}[Y_{\ell}^m(\theta, \phi)]\text{Re}[Y_{\ell}^m(\theta, \phi)]\text{Re}[Y_{\ell}^m(\theta, \phi)]\text{Re}[Y_{\ell}^m(\theta, \phi)]^2$$



$$\text{Im}[Y_{\ell}^m(\theta, \phi)]^2\text{Im}[Y_{\ell}^m(\theta, \phi)]^2\text{Im}[Y_{\ell}^m(\theta, \phi)]^2$$



$$Y_{\ell}^{ms}(\theta, \phi) \equiv \sqrt{\frac{2\ell+1}{4\pi} \frac{(\ell-m)!}{(\ell+m)!}} P_{\ell}^m(\cos \theta) \sin^m \phi$$

$$P_{\ell}^{(m)}(x) = \frac{(-1)^m}{2^{\ell} \ell!} (1-x^2)^{m/2} \frac{d^{\ell+m}}{dx^{\ell+m}} (x^2-1)^{\ell}$$

- The general solution to Laplace's equation is a linear combination of the spherical harmonic functions multiplied by the coefficients.

# Subsurface Scattering

- Photons go into the surface, and bounce around



Standard way



Subsurface scattering

# NVIDIA Skin



CHALMERS

Vill du veta mer?

Välkommen till TDA361

Computer Graphics

Lp2, 2012