

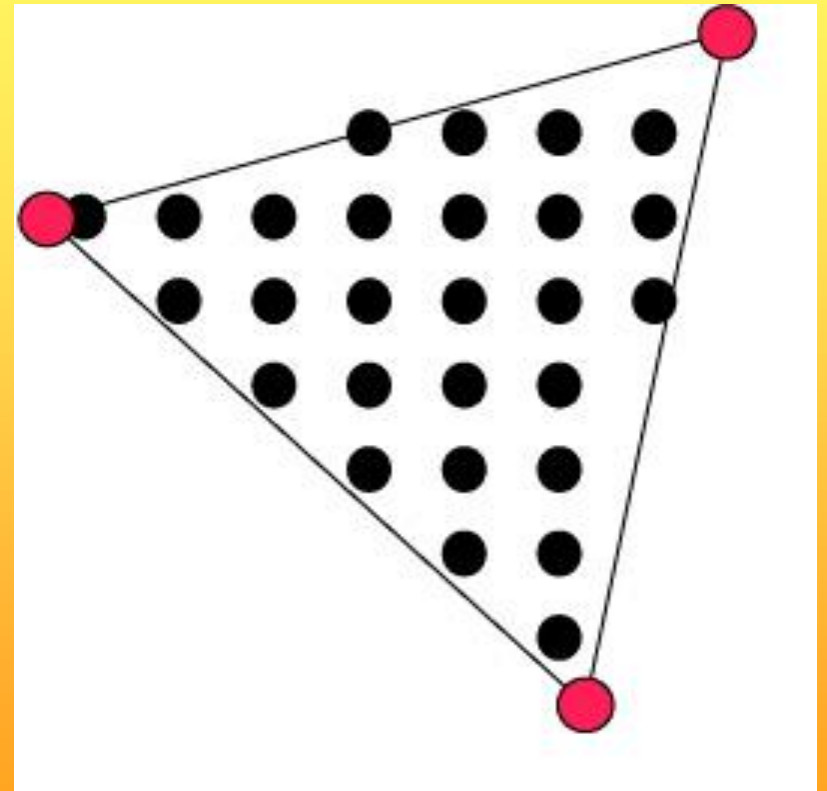
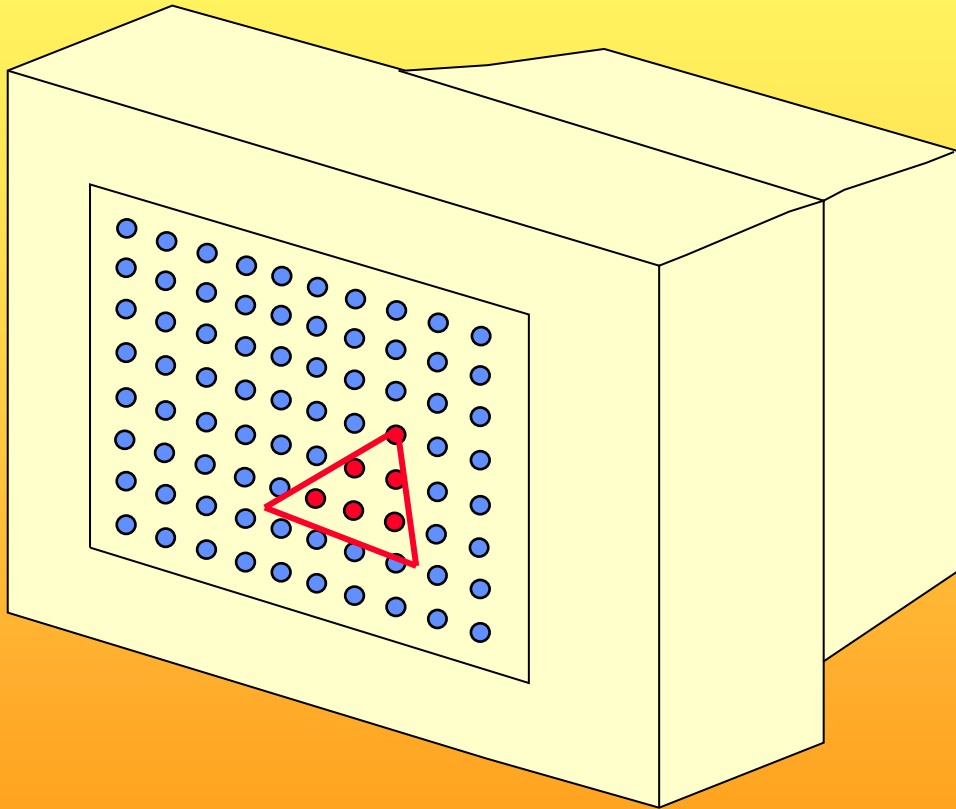
CHALMERS

3D Graphics in Games and Movies



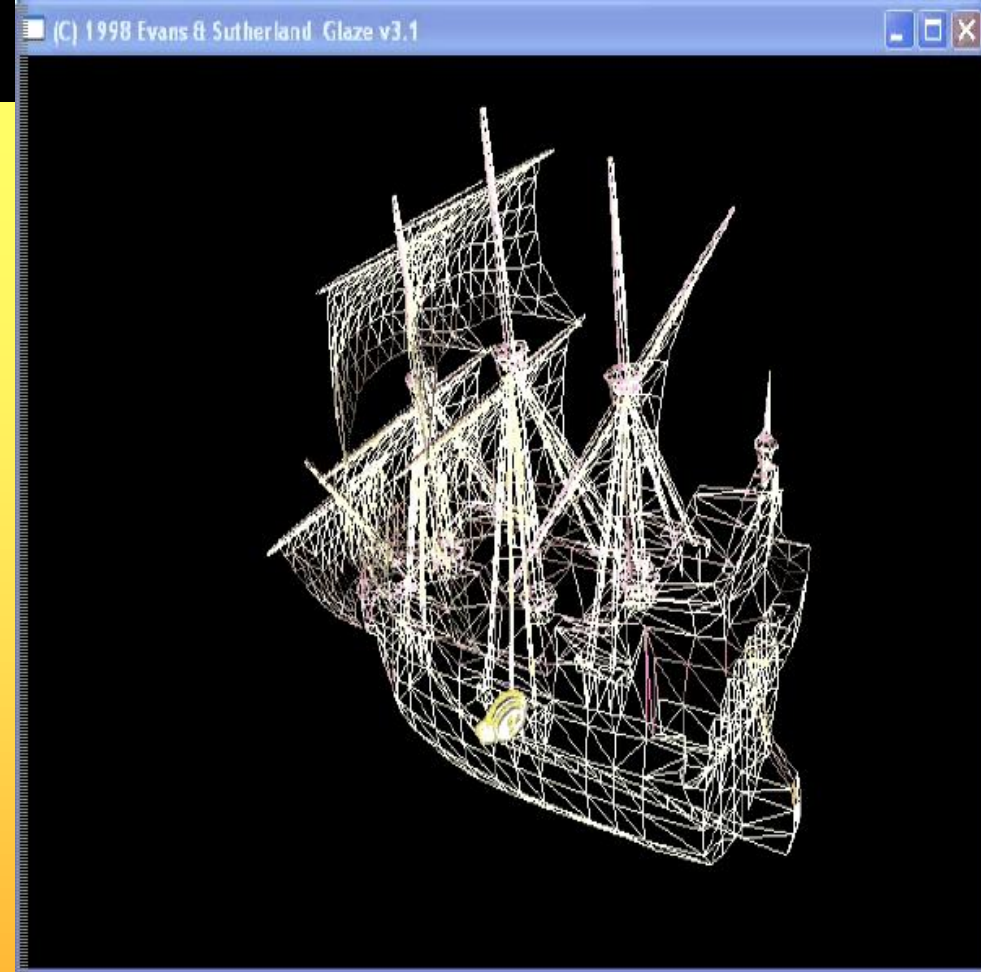
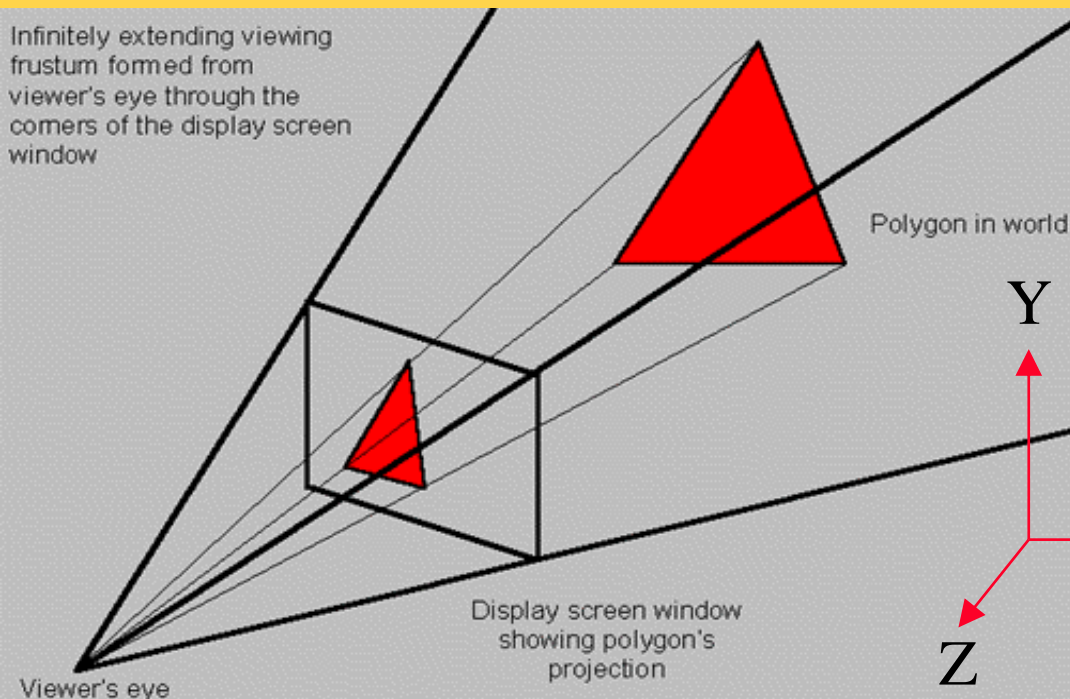
Ulf Assarsson

The screen consists of pixels



3D-Rendering

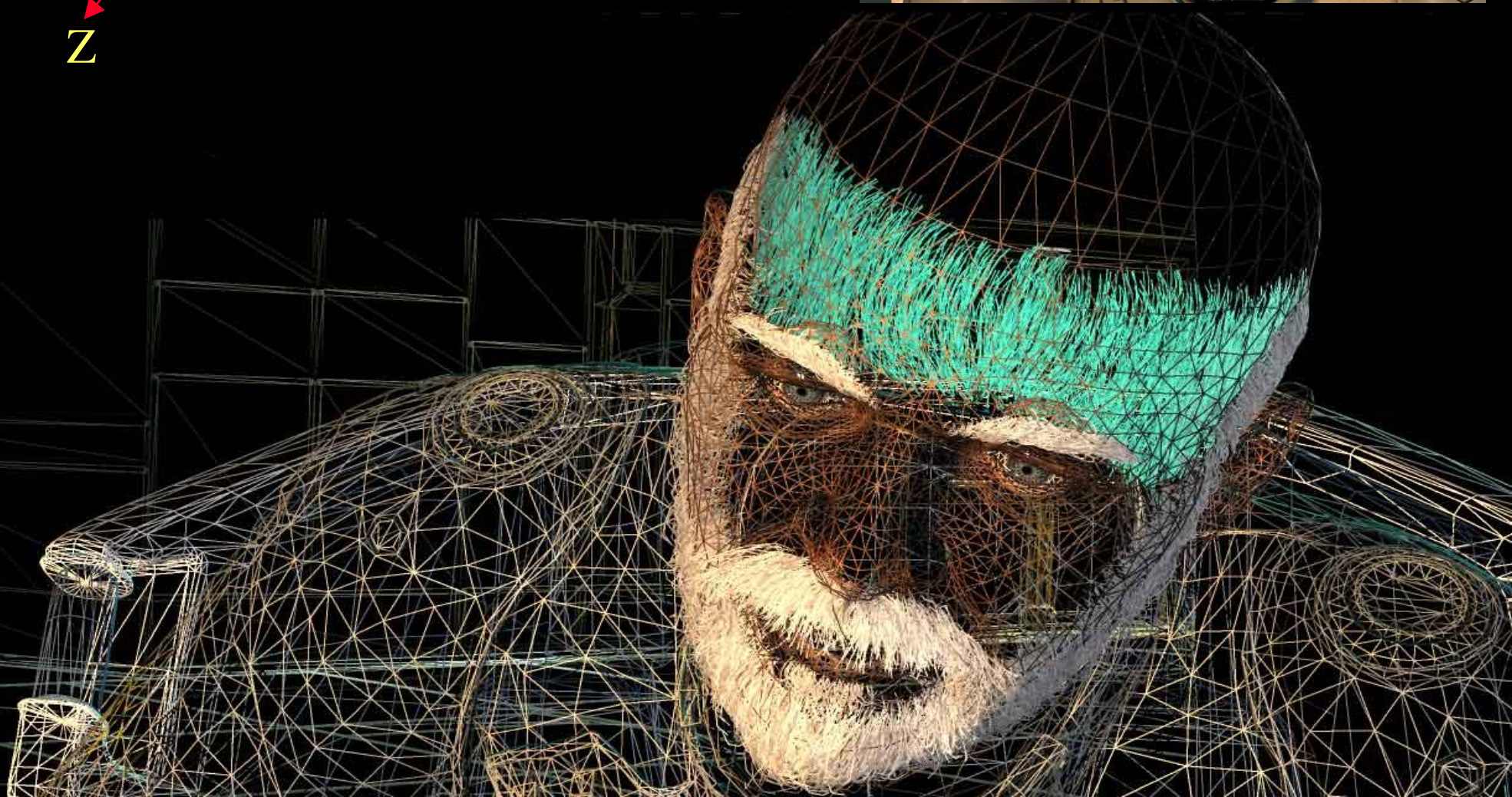
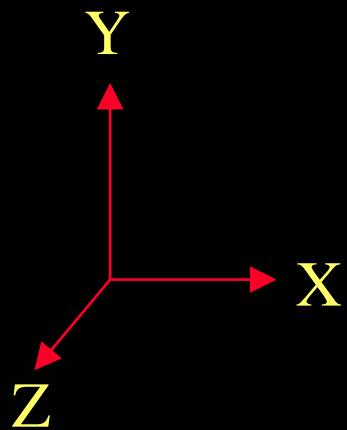
- Objects are often made of triangles
- x, y, z - coordinate for each vertex



Why only triangles?

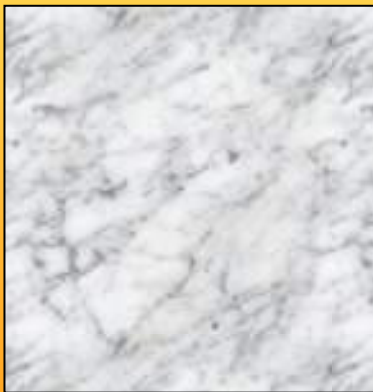
4D Matrix Multiplication

$$\begin{bmatrix} s_x & \bullet & \bullet & t_x \\ \bullet & s_y & \bullet & t_y \\ \bullet & \bullet & s_z & t_z \\ 0 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x \\ y \\ z \\ w \end{bmatrix}$$

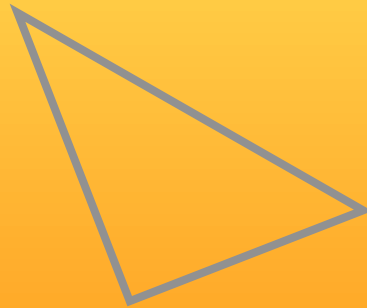


Textures

- One application of texturing is to "glue" images onto geometrical object



+



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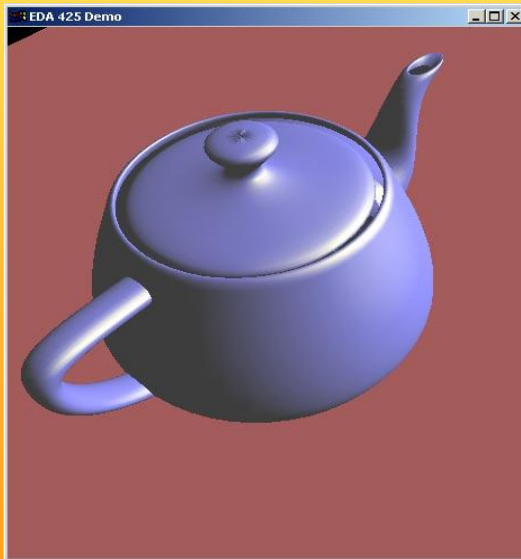


Texturing: Glue images onto geometrical objects

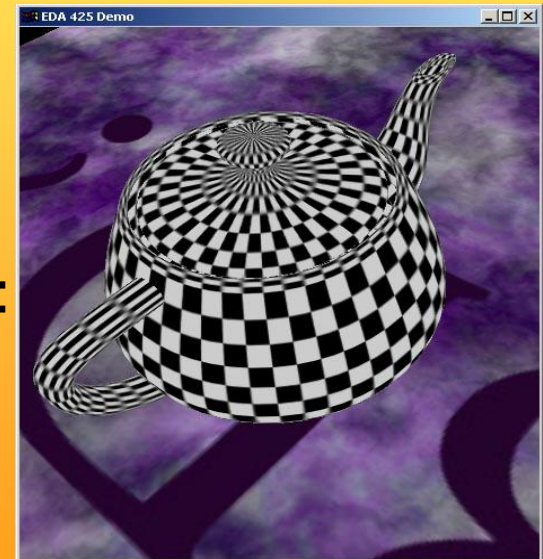
- Purpose: more realism, and this is a cheap way to do it



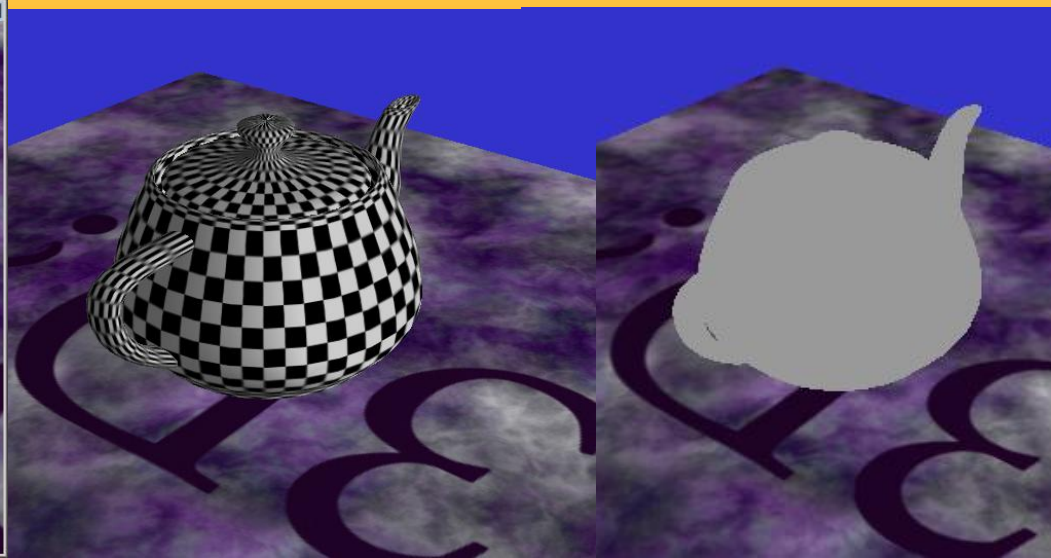
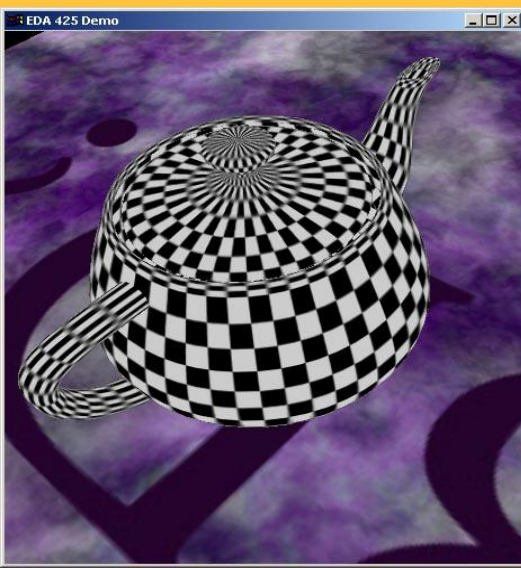
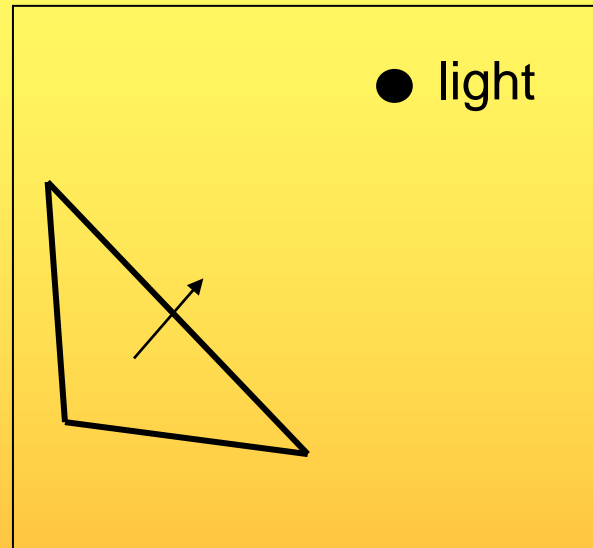
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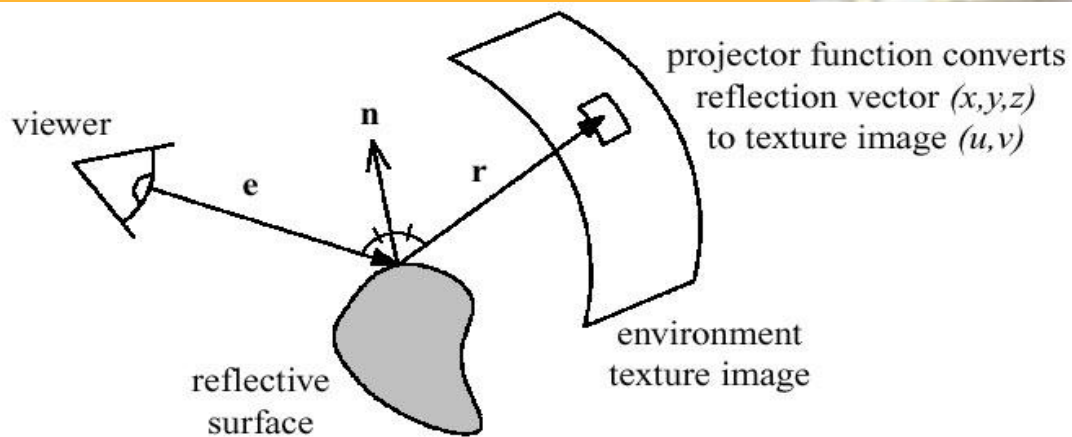
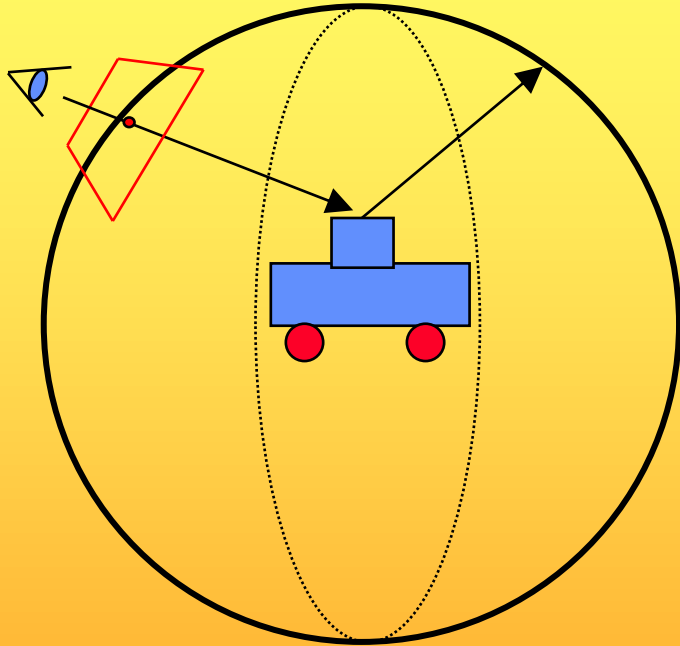
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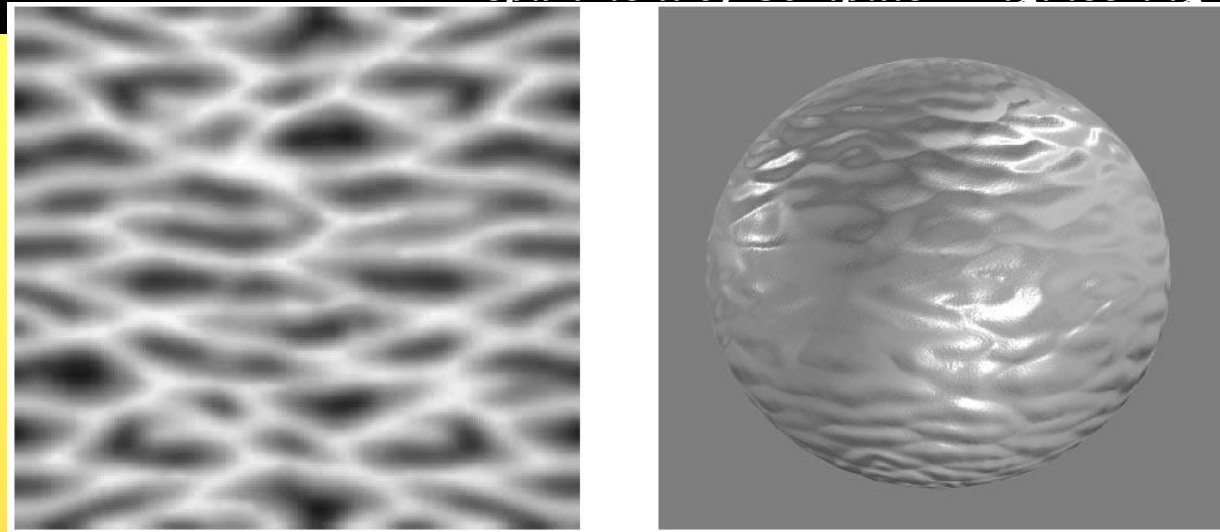
Light computation per triangle



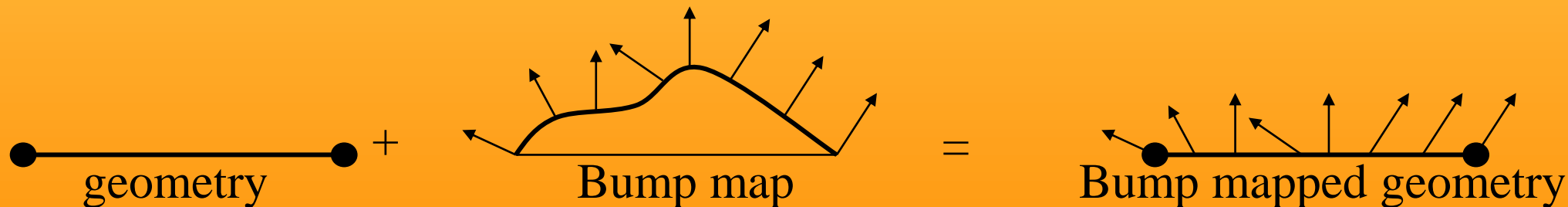
Environment mapping



Bump mapping

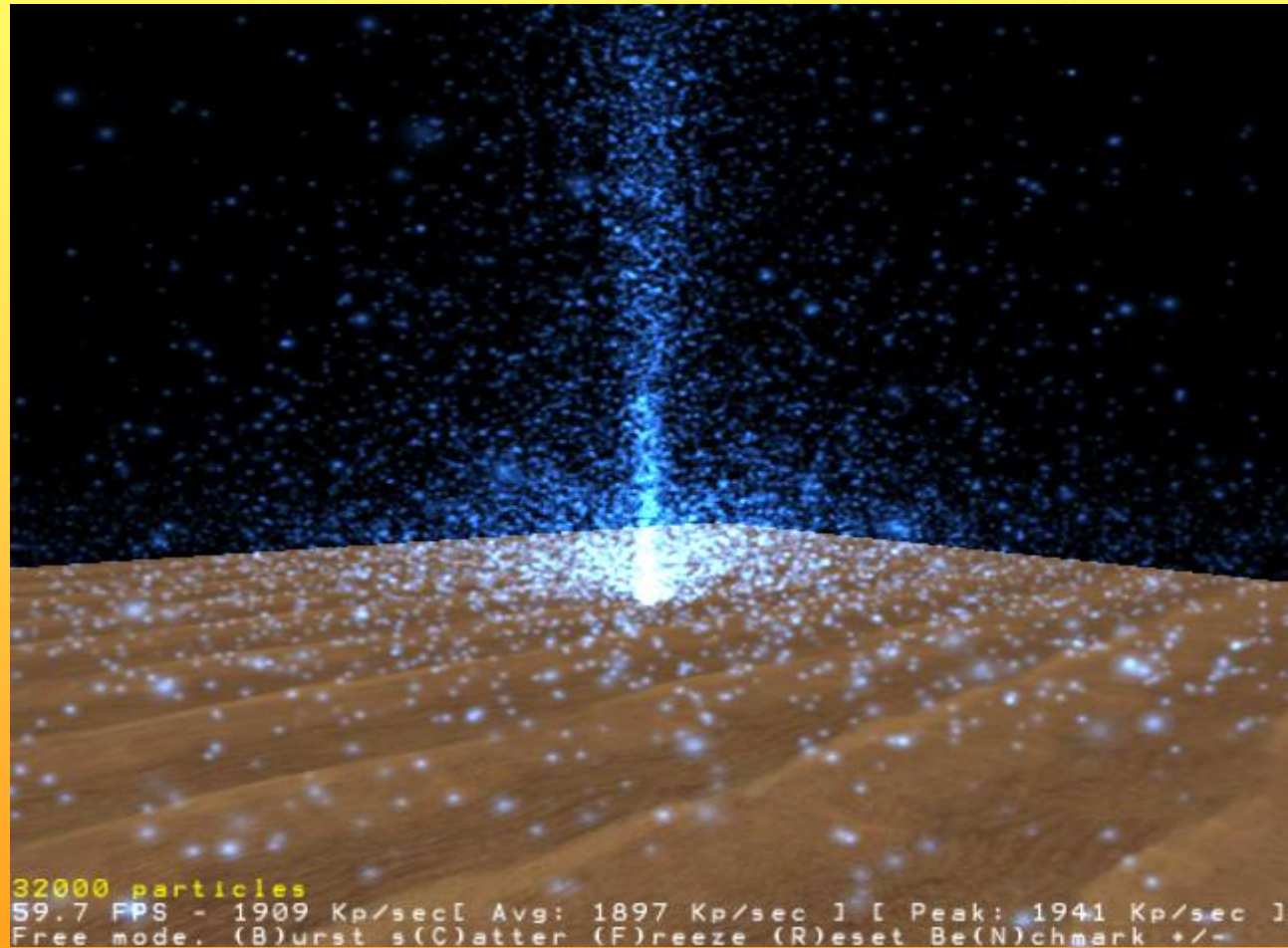


- by Blinn in 1978
- Inexpensive way of simulating wrinkles and bumps on geometry
 - Too expensive to model these geometrically



Stores heights: can derive normals

Particle System



Particles

Shadows

- More realism and atmosphere

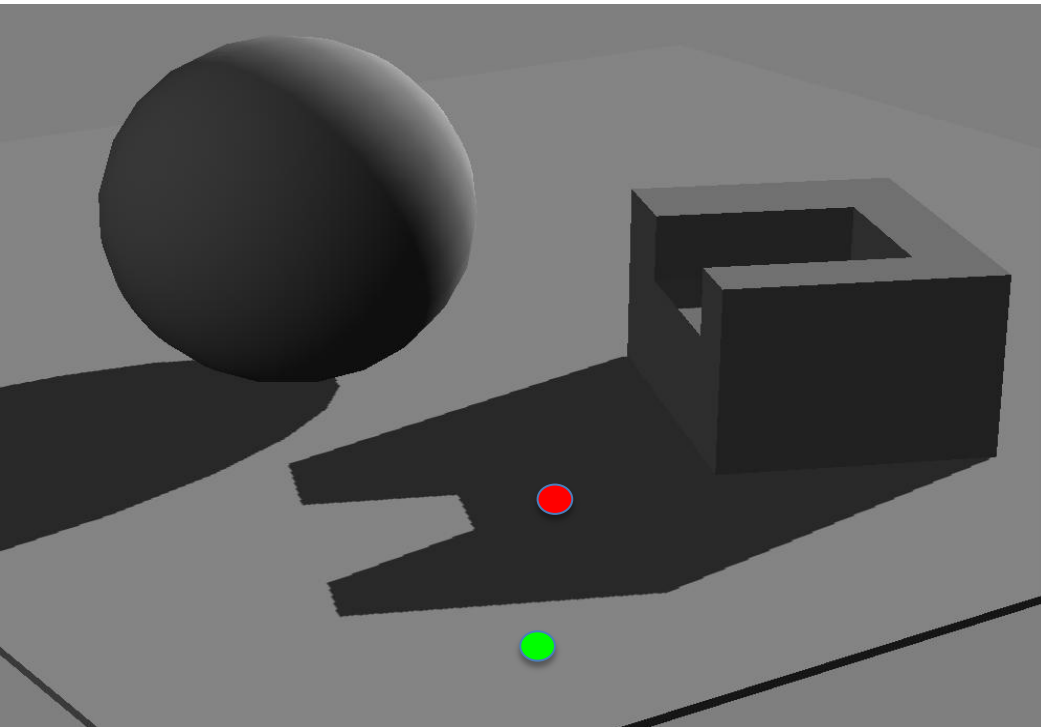


Neverwinter Nights

Shadows play an important role for realism

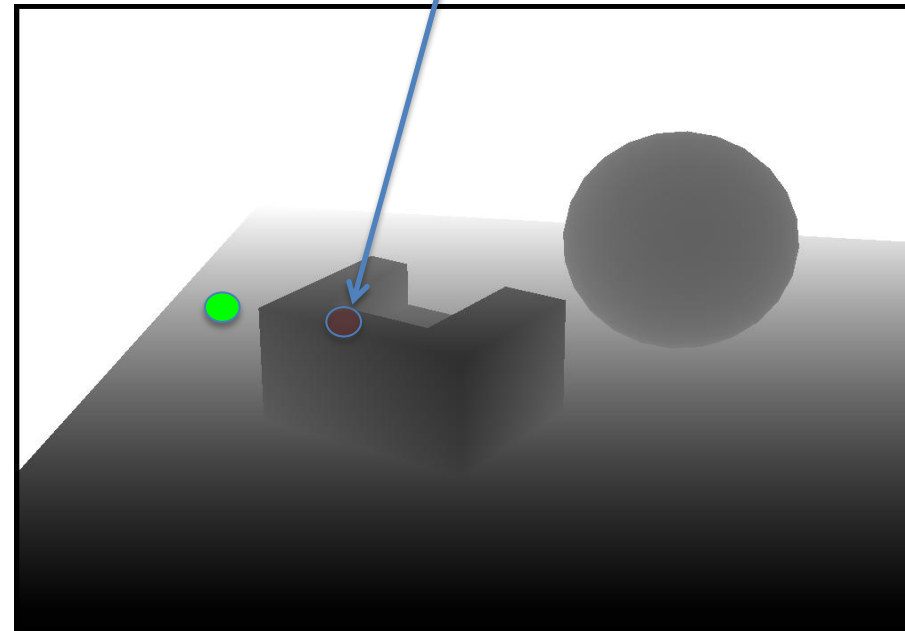


Shadow Maps



Camera's view

Point not represented
in shadow map (point
is behind box)



Light's view
(Shadow Map)

State of the art (realtime)



A few hundred
textured polygons

Beyond Programmable Shading



Half a million individual line
segments

Real time hair rendering



Main challenges

Shadowing

Hard shadowing techniques fail

Shadow Maps => aliasing at silhouette edges

Shadow Volumes => overdraw proportional to the number of silhouette edges

Needs **ALL** silhouette edges

Ray tracing technique handles transparency

Transparency

Hair strand should contribute very little to a pixel (~1%)

Hair strands are actually refractive and at least some

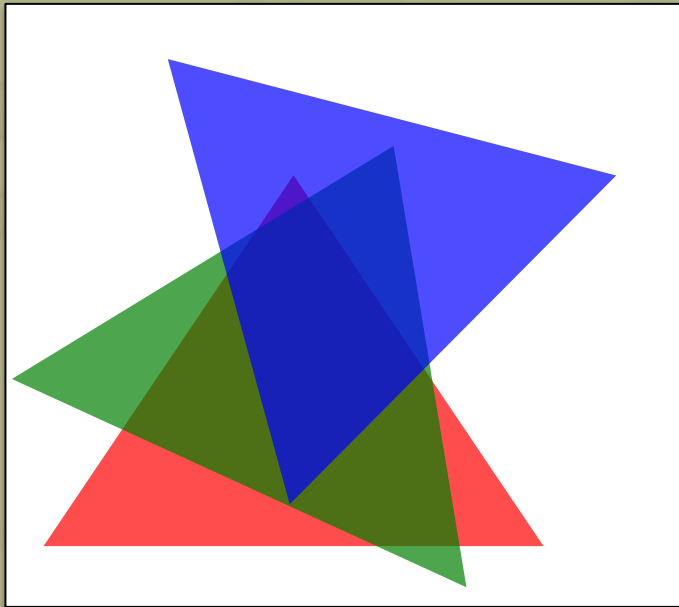
refractive effect is required

Alpha blending works very well to handle this

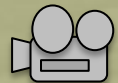
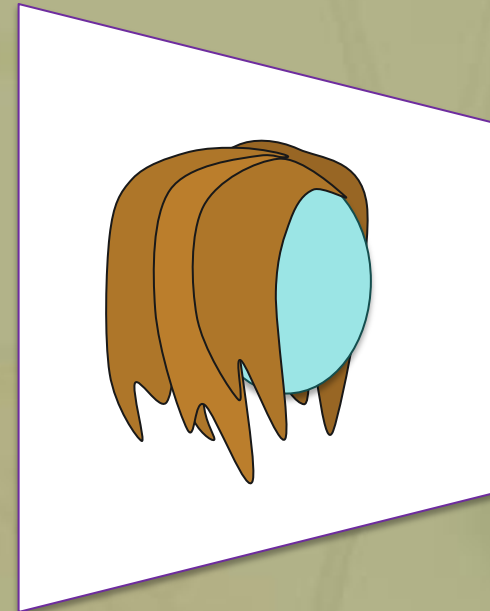


Draw transparent objects back-to-front

Painter's algorithm:
sort transparent primitives and
render back-to-front.



E.g. 30% transparency means
objects behind show through by
30%.



Importance of Shadows



Images from: Tom Lokovic and Erich Veach, “*Deep Shadow Maps*”, pp 385-392, *Siggraph 2000*.

Importance of Transparency

- Hair is sub-pixel sized and transparent, alpha blending is absolutely necessary



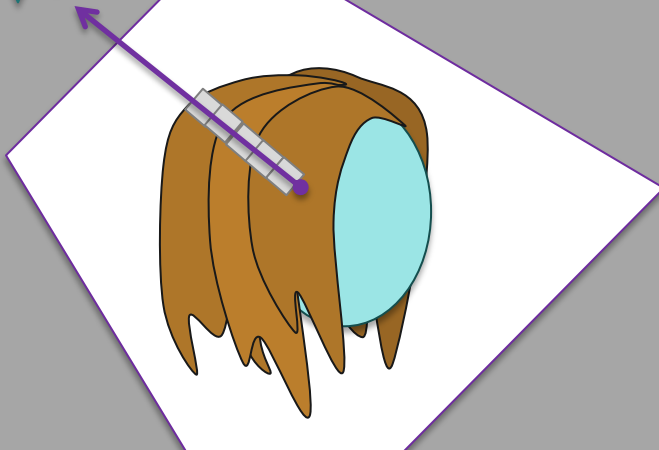
Without alpha blending



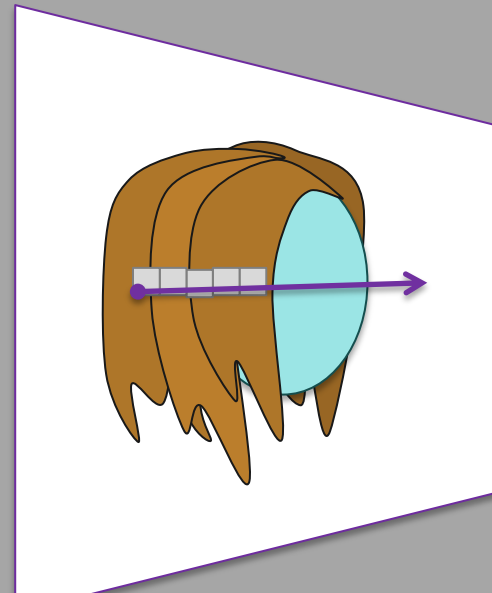
With alpha blending

Real time hair rendering

The two problems are quite similar



For shadows, we want to know how much the hair fragments, in front, blocks the light
- Can be solved by sorting



For transparency, we need the hair strands sorted in back-to-front order

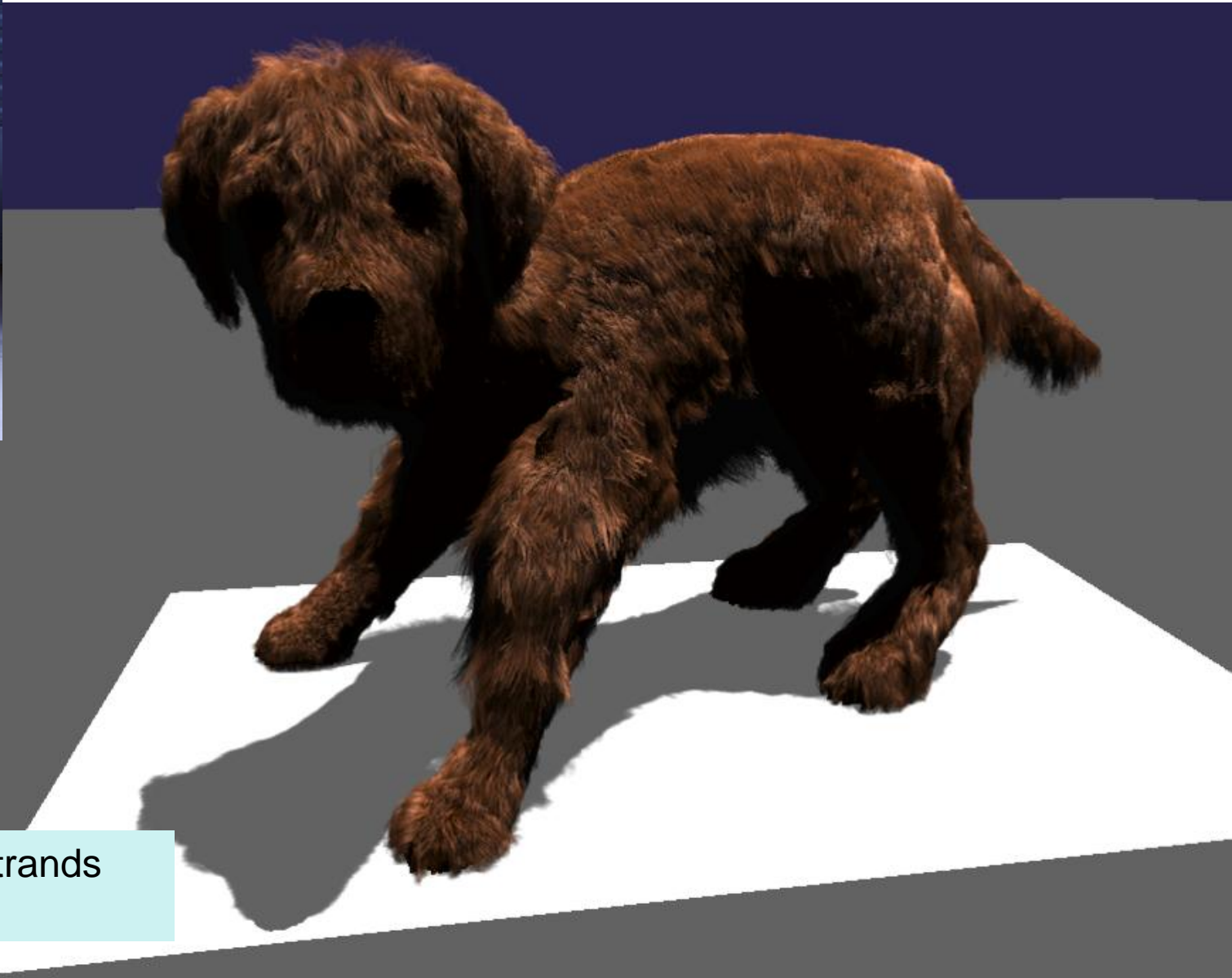
Results



About half a million line segments rendered with 256 Opacity Map slices and approximate alpha sorting at 70 fps (GTX480)



Results

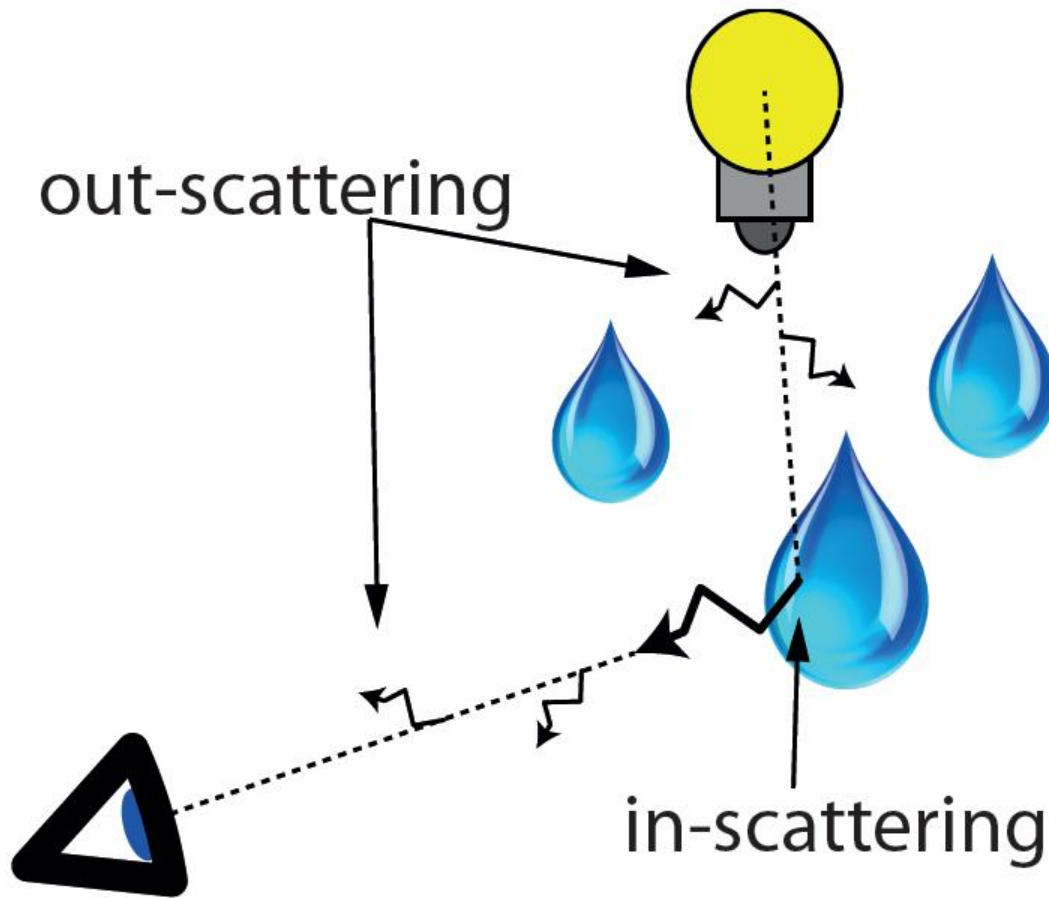


46 fps using 400k hair strands
(1.8M line segments)

Beyond Programmable

Volumetric Shadows

- Single Scattering in Participating Media





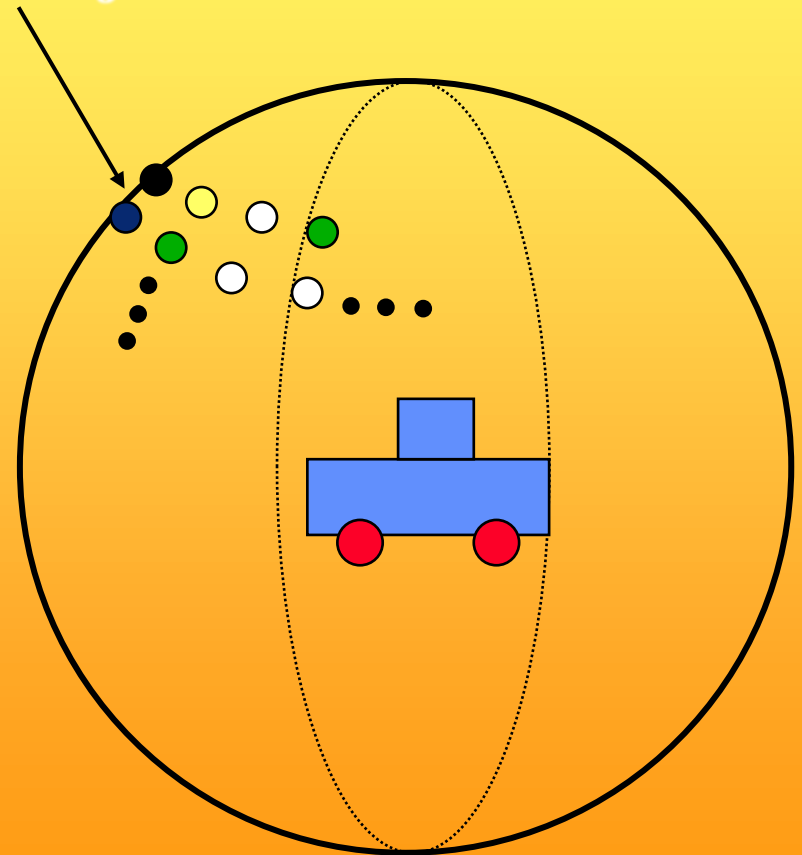
With courtesy of Illuminate Labs

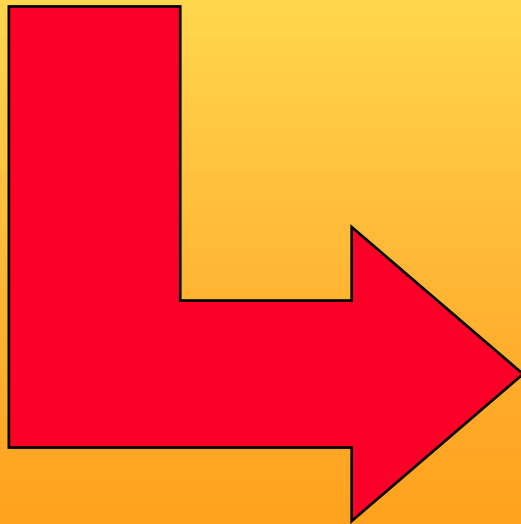
How making objects appear as belonging to a certain environment?

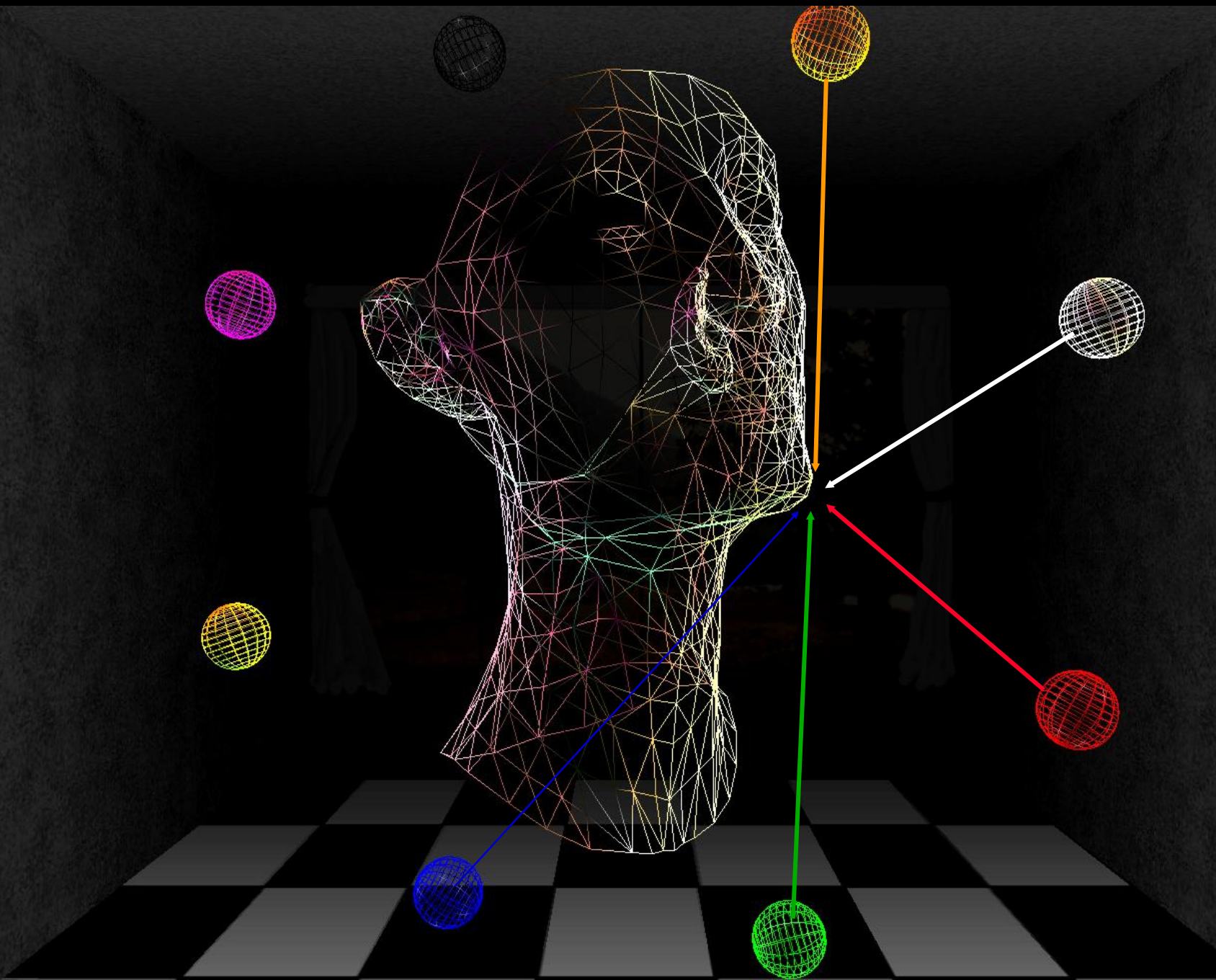


Photograph of full environment

**Lamps illuminating
our object**







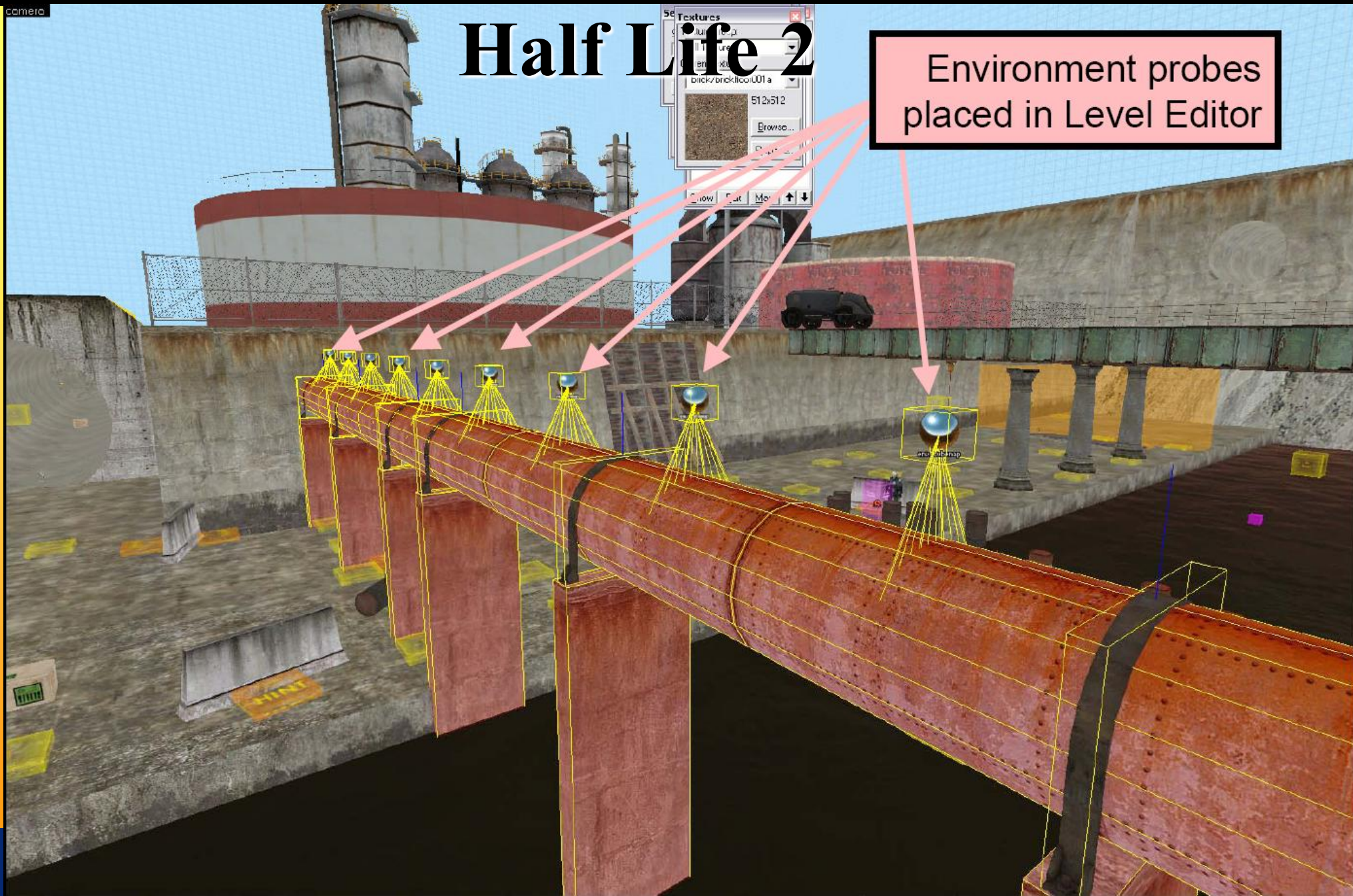




With courtesy of Dorna Sports: Moto GP2

Half Life 2

Environment probes
placed in Level Editor



Spherical Harmonics

$$f(r, \theta, \varphi) = \sum_{\ell=0}^{\infty} \sum_{m=-\ell}^{\ell} r^{-1-\ell} f_{\ell}^m Y_{\ell}^m(\theta, \varphi) + \sum_{\ell=0}^{\infty} \sum_{m=-\ell}^{\ell} r^{\ell} f_{\ell}^{m'} Y_{\ell}^m(\theta, \varphi),$$

$$\text{Re}[Y_{\ell}^m(\theta, \phi)]^2$$



$$\text{Re}[Y_{\ell}^m(\theta, \phi)] \text{Re}[Y_{\ell}^m(\theta, \phi)]^2$$



$$\text{Re}[Y_{\ell}^m(\theta, \phi)] \text{Re}[Y_{\ell}^m(\theta, \phi)] \text{Re}[Y_{\ell}^m(\theta, \phi)]^2$$



$$\text{Re}[Y_{\ell}^m(\theta, \phi)] \text{Re}[Y_{\ell}^m(\theta, \phi)] \text{Re}[Y_{\ell}^m(\theta, \phi)] \text{Re}[Y_{\ell}^m(\theta, \phi)]^2$$



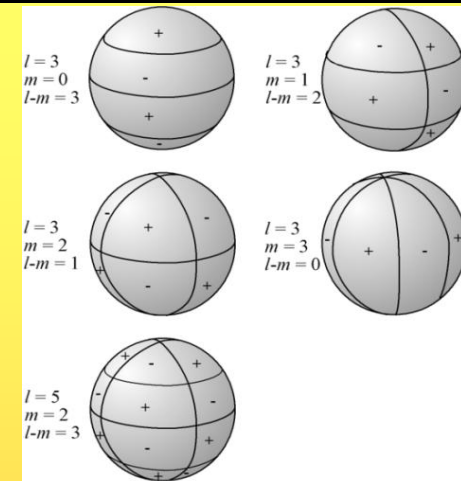
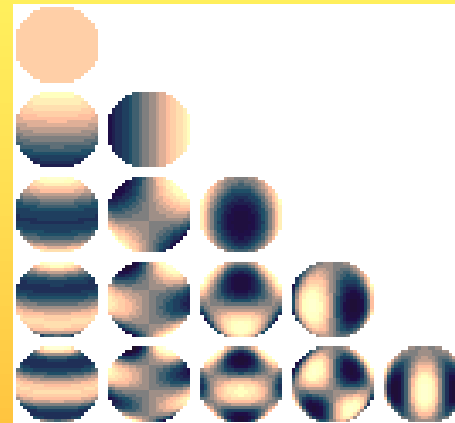
$$\text{Im}[Y_{\ell}^m(\theta, \phi)]^2$$



$$\text{Im}[Y_{\ell}^m(\theta, \phi)]^2 \text{Im}[Y_{\ell}^m(\theta, \phi)]^2$$



$$\text{Im}[Y_{\ell}^m(\theta, \phi)]^2 \text{Im}[Y_{\ell}^m(\theta, \phi)]^2 \text{Im}[Y_{\ell}^m(\theta, \phi)]^2$$



$$Y_{\ell}^{ms}(\theta, \phi) \equiv \sqrt{\frac{2\ell+1}{4\pi} \frac{(\ell-m)!}{(\ell+m)!}} P_{\ell}^m(\cos \theta) \sin(m\phi)$$

$$P_{\ell}^{(m)}(x) = \frac{(-1)^m}{2^{\ell} \ell!} (1-x^2)^{m/2} \frac{d^{\ell+m}}{dx^{\ell+m}} (x^2-1)^{\ell}.$$

- The general solution to Laplace's equation is a linear combination of the spherical harmonic functions multiplied by the coefficients.

Subsurface Scattering

- Photons go into the surface, and bounce around



Standard way



Subsurface scattering

NVIDIA Skin



CHALMERS

Vill du veta mer?

Välkommen till TDA361

Computer Graphics

Lp2, 2012