

Model-Based Testing

(DIT848 / DAT260)

Spring 2014

Lecture 12

FSMs, EFSMs and ModelJUnit

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Outline

- The Qui-Donc example
- Modeling Qui-Donc with an FSM
- Some simple techniques on how to generate tests from the Qui-Donc model
- EFSM
- The ModelJUnit library
- A Java "implementation" of an EFSM for the Qui-Donc example
- Remark: No test automation today!

Qui-Donc

- France Telecom service to get name and address given a phone number (vocal service)
- Informal requirements of the system in what follows

Qui-Donc: Informal requirements (1)

Qui-Donc: Informal requirements (2)

Modeling Qui-Donc with FSM

- Decision: What to **abstract**?
 - Too big! (FSM cannot represent data structures, variables, timeouts, etc.)

What would you abstract?

Suggest some interesting cases to keep (representative), others that might be “forgotten”

Modeling Qui-Donc with FSM

- Decision: What to **abstract**?
 - Too big! (FSM cannot represent data structures, variables, timeouts, etc.)
- For testing purpose our abstraction considers:
 - The 4 "special" keys (1, 2, *, #)
 - 4 representative numbers
 - 18 - Emergency number
 - num1 (03 81 11 11 11) - disconnected number (not in the database)
 - num2 (03 81 22 22 22) - we know address and name
 - bad (12 34 56 78 9) - wrong number (9 digits instead of 10)

Modeling Qui-Donc with FSM

Relating Inputs with the Real World

- **Input alphabet** of our model: {dial, num1, num2, bad, 18, 1, 2, *, #, wait}
- dial: pick up phone, dial Q-D service, wait for response
- 1, 2, *, #: press the corresponding key
- 18: press 1 then 8, then # (within 6 sec)
- num1: press all digits followed by # (within 20 sec)
- num2 (bad): press all digits followed by # (as quick as possible)
- wait: wait without pressing anything until Q-D does something (timeout: 20 sec for ENTER state, 6 sec for others)

Qui-Donc FSM Model

Outputs

Example of Input/
Output sequence:

dial/WELCOME,
wait/WELCOME,
*/ENTER,
num1/NAME+INFO,
2/ADDR,
wait/INFO,
wait/BYE

Modeling Qui-Donc with FSM

- We will use a special kind of FSM
- A **Mealy machine** is an FSM where
 - Each transition is labeled with **input/output** (exactly one input per transition; output may be empty)
 - Must have one **initial** state
 - May have one or more **final** states
- Generated tests should start in initial state and finish in one of the final states
 - If no final state: allowed to end in any state

Qui-Donc FSM Model

- Not easy to model timeouts in FSMs
- To model them we have 3 different states Star1, Star2, Star3, (similarly for Enter and Info)
- That's why we have repeated wait/_ on the transitions from those states (message repeated up to 3 times)

Representations of FSM State Table

Utting & Legeard book:
Table 5.2 pp.147!

Source: M. Utting and B. Legeard, *Practical Model-Based Testing*

"Properties" of FSM

- **Deterministic**
 - For every state, every outgoing transition labeled with different input
- **Initially connected**
 - Every state reachable from initial state
- **Complete**
 - For each state, outgoing transitions cover all inputs
- **Minimal**
 - No redundant states (no 2 states generating the same set of input/output sequences with same target states)
- **Strongly connected**
 - Every state is reachable from every other state

Generating Tests

(from the Qui-Donc model)

We will see in what follows:

- State, input, and output coverage
- Transition coverage
- Explicit test case specifications
- Complete testing methods
 - More powerful FSM test generation

Generating Tests:

State, input, and output coverage

- **State coverage:** Percentage of FSM states visited
 - Q-D: 1 test, 12 transitions 100% (dial,wait,wait,*,wait,wait,18,*,num2,wait,wait,wait - omitting outputs)
 - State coverage in FSM similar to statement coverage in PL
- **Input coverage:** Nr. of diff. input symbols sent to SUT
 - Q-D: 1 test, 90% out of 10 inputs
(dial/WELCOME, */ENTER, bad/ERROR, num1/SORRY, num2/NAME, 1/SPELL, 2/ADDR, */ENTER, 18/FIRE, wait/BYE)
- **Output coverage:** Nr. of diff. output responses from SUT
 - Q-D: same test sequence as for *Input coverage*, covers 9/11 outputs

Generating Tests: Transition coverage

- How many FSM transitions have been tested
- **Random path**: will eventually cover all
- **Transition tour**: best way - in particular the **Chinese Postman algorithm** (CPA)
 - CPA finds the shortest path
- Transition coverage in FSM similar to branch coverage in PL
- **Full transition coverage is a good minimum to aim!**
- See Utting&Legeard, listing 5.2 (pp.152) for the output of the Chinese Postman algorithm in Qui-Donc

Generating Tests:

Explicit test case specifications

- Useful to write an **explicit test case specification**
 - Define which kind of test to be generated from the model (low-level)
 - High-level test designed by **engineer**; low-level details and expected SUT output from the **model**
- Q-D (example) - Test slow people failing to complete input before timeout: `*,Star3,*,Enter3,*,Info3,*`
 - **Regular expression** over seq of **states**
 - `"*"` is a wildcard (any seq of actions)
 - Shortest test case satisfying the above: `dial/WELCOME,wait/WELCOME, wait/WELCOME, */ENTER,wait/ENTER,wait/ENTER,num2/NAME,wait/INFO,wait/INFO,wait/BYE`

Generating Tests:

Complete testing methods

- Many **complete test generation** methods for FSMs were invented (60's-80's): D-method, W-method, Wp-method, U-method, etc
 - Guarantees that SUT is "equivalent" to the FSM
 - Strong assumptions on the FSM: deterministic, minimal, complete, strongly connected, **and** must have the same complexity of the SUT
 - Some relaxation possible: weaker results

Read Utting&Legeard section 5.1.4 (pp 155-157), and references therein

Extended FSM (EFSM)

- **EFSMs** are like FSMs but more expressive (internal variables encode more detailed state information)
 - In FSM: Many Enter_i states
In EFSM: one Enter state + timeouts variable to count nr of timeouts
- It seems to have a small nr. of **visible states**: in reality a much larger nr. of **internal states**!
- Mapping large set of internal states of an EFSM into the smaller set of visible states: **abstraction**

Extended FSM (EFSM)

"An EFSM can model an SUT more accurately than an FSM, and its visible states define a 2nd layer of abstraction (an FSM) that drives test generation"

Source: M. Utting and B. Legeard, *Practical Model-Based Testing*

The two levels of abstractions give better control - used for different purpose:

- Medium-size state space of EFSM (and code in transitions) used to model the SUT behavior more accurately and thus generate more precise inputs and oracles for the SUT
- Smaller nr. of visible states of EFSM: defines an FSM used to drive test generation (eg, algorithm for transition tour)

Extended FSM (EFSM) Example

- Assume an SUT with infinite state space (integers)
- Model as EFSM with 2 int var ($x, y: 0..9$)
 - $10 \times 10 = 100$ internal states
- Partition state space into 3 (based on our test objectives):
A ($y \geq x$), **B** ($y < x$ and $x < 5$),
C ($y < x$ and $x \geq 5$)
- Code in transitions to make state updates
 - AB1: $x, y := 1, 0$ (no guard)
 - AB2: $y := 0$ (guard: $[x < 5]$)
 - AB3: $y := y - 1$
(guard $[x = y \text{ and } 0 < x < 5]$)

The ModelJUnit Library

- A set of Java classes designed as an extension of JUnit for MBT
- Allows (E)FSM to be written in Java, and tests are run as for JUnit
- Provides a collection of traversal algorithms for generating tests from the models
- Usually used for **online testing** (tests executed while being generated)
- EFSM plays 2 roles
 - Defines possible states and transitions to be tested
 - Acts as the **adaptor** connecting model and SUT (more on this in next lecture)

The ModelJUnit Library

- Each EFSM must have at least the following methods
- Object getState()
 - Returns the current visible state of EFSM (defines an abstraction function between EFSM internal state to EFSM visible states)
- Void reset(boolean)
 - Resets the EFSM to initial state - When online testing, also reset SUT (or create new instance)
- @Action void name_i()
 - Define transitions of the EFSM (also sends test inputs to SUT and check answers)
- boolean name_iGuard()
 - Guard of the action method; actions with no guard defined have an implicit true guard

Qui-Donc's EFSM (In Java)

states

Initial
state

Get
current
state

Reset

Qui-Donc's EFSM (In Java)

3 transitions
labelled with
“star” (*), from
states “Star”,
“Emerg”, and
“Info”

Guard of
“star”

Input
(action)
“star”

Transitions
with input
“star” (*)
incoming to
“Enter” state

EFSM of Qui-Donc (from the Java model)

Group exercise

- Is the graph an Euler graph?

No!

- Eulerize it!

Add a "copy" of **num18**

- Give (abstract) test cases to obtain 100% transition coverage

Proposed solution:

wait, dial, wait, star,
num1, bad, wait, num2,
key1, key2, wait, star,
num18, star, num18,
wait

Validating the Model

- Possible to write a main method to call methods iteratively
- Do a manual traversal using transition tour (e.g. Chinese Postman)
- You might find errors in your model
 - Correct, iterate

Generating Tests from the Model

- In the Qui-Donc - You can generate a random walk to get a test sequence randomly generated
- You can use the output as a manual test script
- To manually test the real system by giving the inputs and checking the expected output

Final Remarks

- We have used ModelJUnit to generate **offline** testing only
 - The Qui-Donc example is a physical device and we used EFSM and ModelJUnit to automatically generate test sequences to be manually tried on the physical device
- For **online** testing you need to define an **adaptor**, which links the model to the SUT
 - This is possible in ModelJUnit (next lecture)

References

- M. Utting and B. Legeard, *Practical Model-Based Testing*. Elsevier - Morgan Kaufmann Publishers, 2007
 - Chapter 5 (Sections 5.1-5.2)