

# Secure Programming via Libraries

## Disjunction Category Labels

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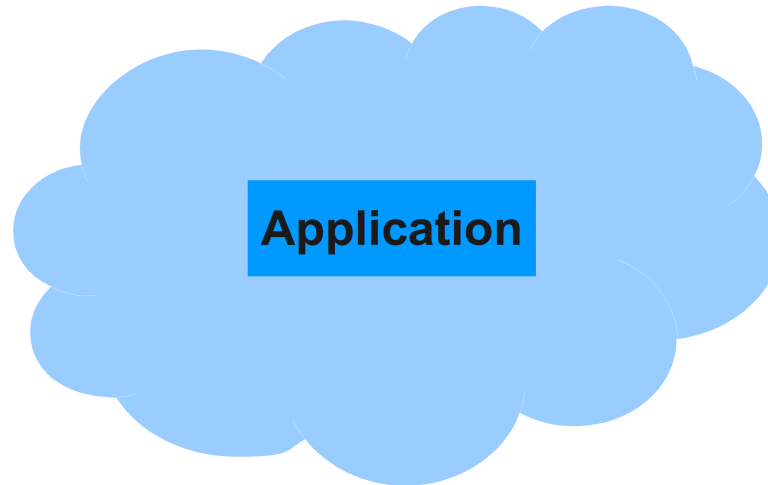
# Motivation

- It is usually common to consider the simple two-point lattice to represent confidential and public information
  - Information flows from public to secret
- In scenarios of **mutual distrust**, things are a little bit more complicated
- Let us see a concrete scenario

# Motivaton



Alice



Bob



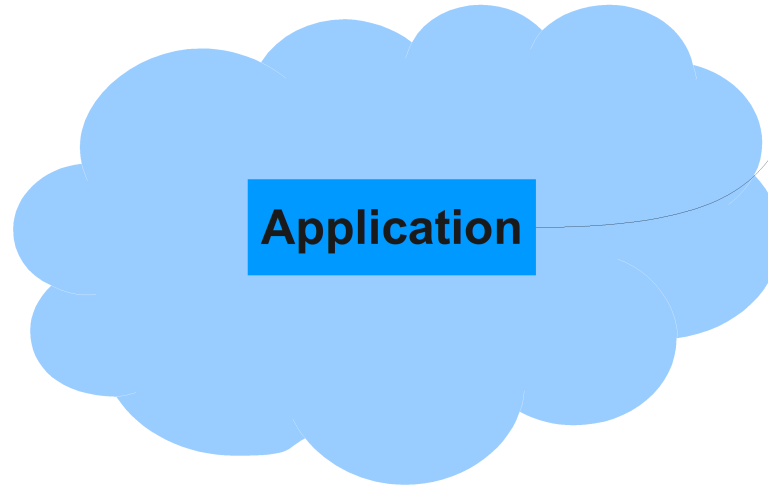
Charlie

# Motivaton: Confidentiality

(private data-leak)



Alice



What is Charlie up to?



Bob



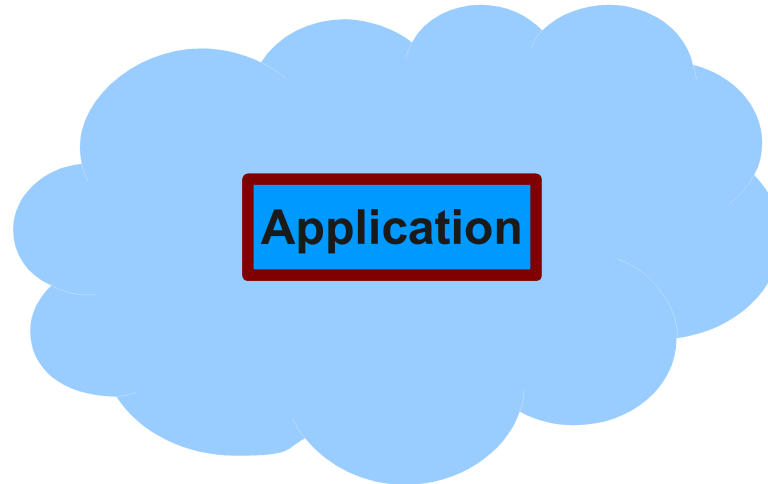
Charlie

# Motivaton: Confidentiality

(private data-leak)



Alice



Bob



Charlie

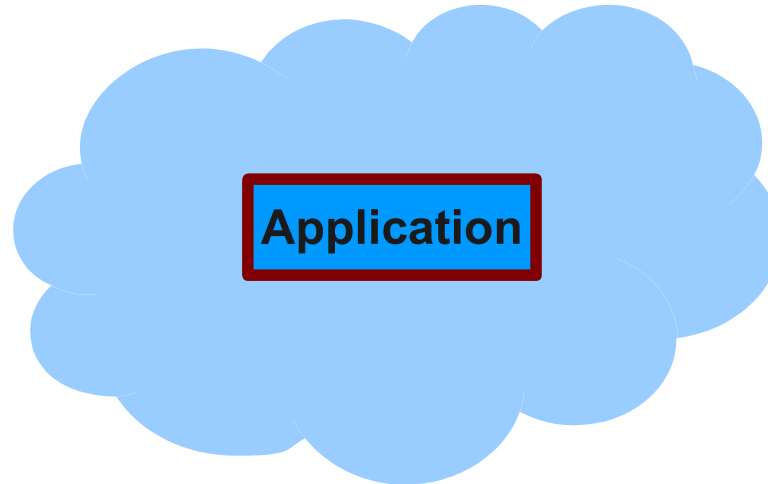
Charlie is the owner of that information, therefore he **decides** where it goes. The system should respect that decision.

# Motivaton: Confidentiality

(private data-leak)



Alice



Bob



Charlie

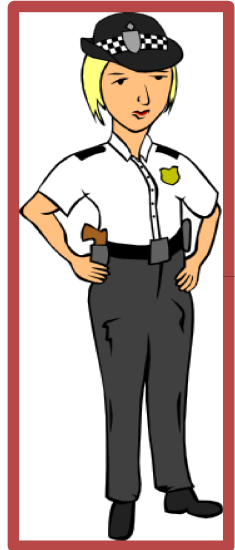
Alice and Bob **collaborate** in creating  
**aggregated data**

The system must not  
send that data to Charlie unless Alice  
and Bob **agree** on that!

# Motivaton: Integrity

(user-forged write)

What is this?



Alice

Let's involve the mayor in something illegal.

Application



Bob

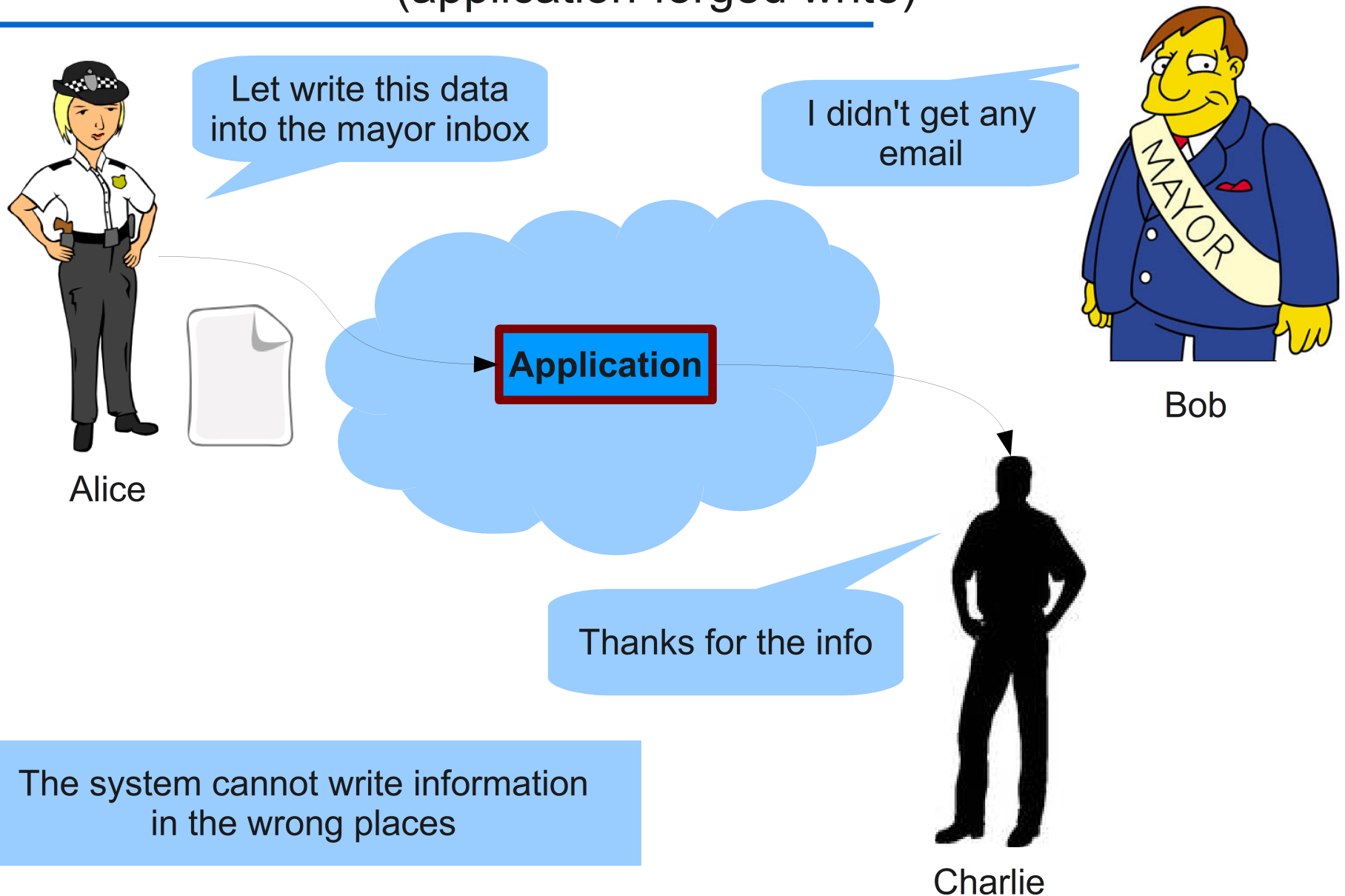


Charlie

Bob should be the only one **modifying** its own information (unless indicated otherwise)

# Motivaton: Integrity

(application-forged write)





# Disjunction Category Labels

[Stefan, Russo, Mazieres] (work-in-progress)

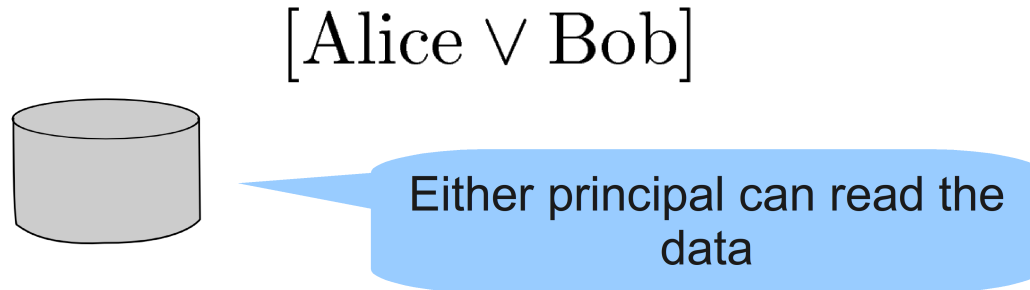
- For short: **DCLabels**
- It is a label system to express **restrictions** on data which allows to **reflect the concern of multiple parties**
- Principal
  - Source or authority (e.g., Alice, Bob, and Charly)
- Disjunction Category (just category)
  - Set of principals
  - Each principal is said to **own** the category
- Categories are associated to data

# Disjunction Category

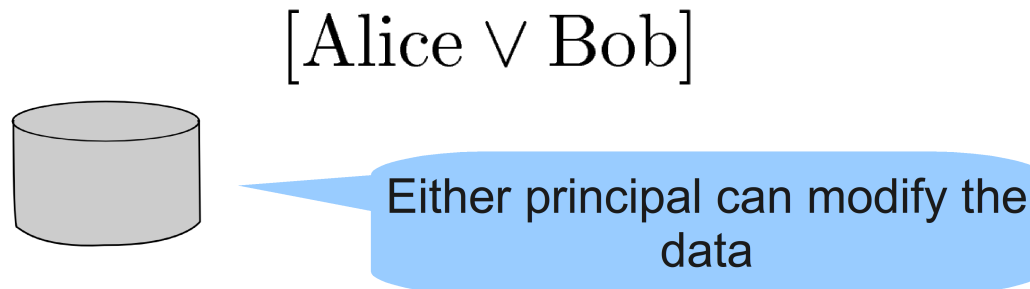
- Set of principals
  - {Alice, Bob}
- We write it as a disjunction
  - [Alice  $\vee$  Bob]
- What is the meaning?
  - They are restrictions
  - It depends if we are considering ***confidentiality*** or ***integrity***

# Disjunction Category

- Confidentiality



- Integrity

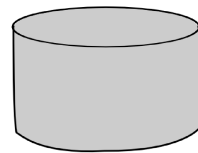


# Set of Disjunction Categories

- Data can be associated with several categories
  - It represents data with different restrictions (perhaps imposed by different parties in the system)
  - $\{\{Alice, Bob\}, \{Charlie\}\}$
- We write it as a conjunction
  - $[Alice \vee Bob] \wedge [Charlie]$
- What is the meaning?
  - It depends if we are considering ***confidentiality*** or ***integrity***

# Conjunctions of Disjunctions

- Confidentiality

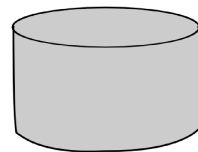


$[Alice \vee Bob] \wedge [Charlie]$

To read the data, it is required to be Alice and Charlie, or Bob and Charlie, at the same time!

**The categories represents the secrecy of the data! (confidentiality)**

- Integrity



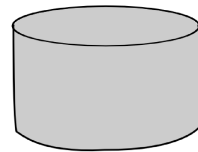
$[Alice \vee Bob] \wedge [Charlie]$

To write the data, it is required to be Alice and Charlie, or Bob and Charlie, at the same time!

**The categories represents who can vouch for the data! (trustworthiness)**

# Conjunctions of Disjunctions

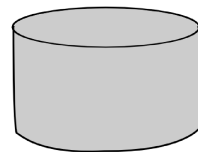
- Confidentiality



$[Alice \vee Bob] \wedge [Charlie] \wedge \dots \wedge \dots \wedge \dots$

**The more conjunctions,  
the more secret the data**

- Integrity



$[Alice \vee Bob] \wedge [Charlie] \wedge \dots \wedge \dots \wedge \dots$

**The more conjunctions,  
the more trustworthy the data**

# DCLabels

- What is a DCLabel?

*A DC label  $L = \langle S, I \rangle$  is a set  $S$  of secrecy categories and a set  $I$  of integrity categories.*

- The secrecy categories restrict who can read, receive, or propagate information
- The integrity categories restrict who can modify the data

# Information-flow

- Information can flow if all categories are respected
- Confidentiality

$\langle [Alice \vee Bob], [] \rangle \bullet \xrightarrow{\text{no}} \bullet \langle [Alice \vee Bob \vee Charlie], [] \rangle$

$\langle [Alice \vee Bob], [] \rangle \bullet \xrightarrow{\text{yes}} \bullet \langle [Alice], [] \rangle$

$\langle [Alice \vee Bob], [] \rangle \bullet \xrightarrow{\text{no}} \bullet \langle [Charlie] \wedge [Deian], [] \rangle$

$\langle [Alice] \wedge [Bob], [] \rangle \bullet \xrightarrow{\text{no}} \bullet \langle [Alice \vee Bob], [] \rangle$

$\langle [Alice] \wedge [Bob], [] \rangle \bullet \xrightarrow{\text{no}} \bullet \langle [Alice], [] \rangle$



# Information-flow

- Information can flow if all categories are respected
- Integrity

$\langle [], [Alice \vee Bob] \rangle \bullet \not\rightarrow \bullet \langle [], [Alice \vee Bob \vee Charlie] \rangle$

$\langle [], [Alice] \rangle \bullet \rightarrow \bullet \langle [], [Alice \vee Bob] \rangle$

$\langle [], [Alice \vee Bob] \rangle \bullet \not\rightarrow \bullet \langle [], [Charlie] \wedge [Deian] \rangle$

$\langle [], [Alice] \wedge [Bob] \rangle \bullet \not\rightarrow \bullet \langle [], [Alice] \rangle$

$\langle [], [Alice] \rangle \bullet \not\rightarrow \bullet \langle [], [Alice] \wedge [Bob] \rangle$

# Partial Order Between DCLabels

- We formalize a *can-flow-to* relationship, i.e. a partial order relationship  $\sqsubseteq$

Given any two DC labels  $L_1 = \langle S_1, I_1 \rangle$  and  $L_2 = \langle S_2, I_2 \rangle$ , and interpreting any principal as a boolean variable, we have

$$\frac{\forall c_1 \in S_1. \exists c_2 \in S_2 : c_2 \Rightarrow c_1 \quad \forall c_2 \in I_2. \exists c_1 \in I_1 : c_1 \Rightarrow c_2}{\langle S_1, I_1 \rangle \sqsubseteq \langle S_2, I_2 \rangle}$$

# Partial Order Between DCLabels

Given any two DC labels  $L_1 = \langle S_1, I_1 \rangle$  and  $L_2 = \langle S_2, I_2 \rangle$ , and interpreting any principal as a boolean variable, we have

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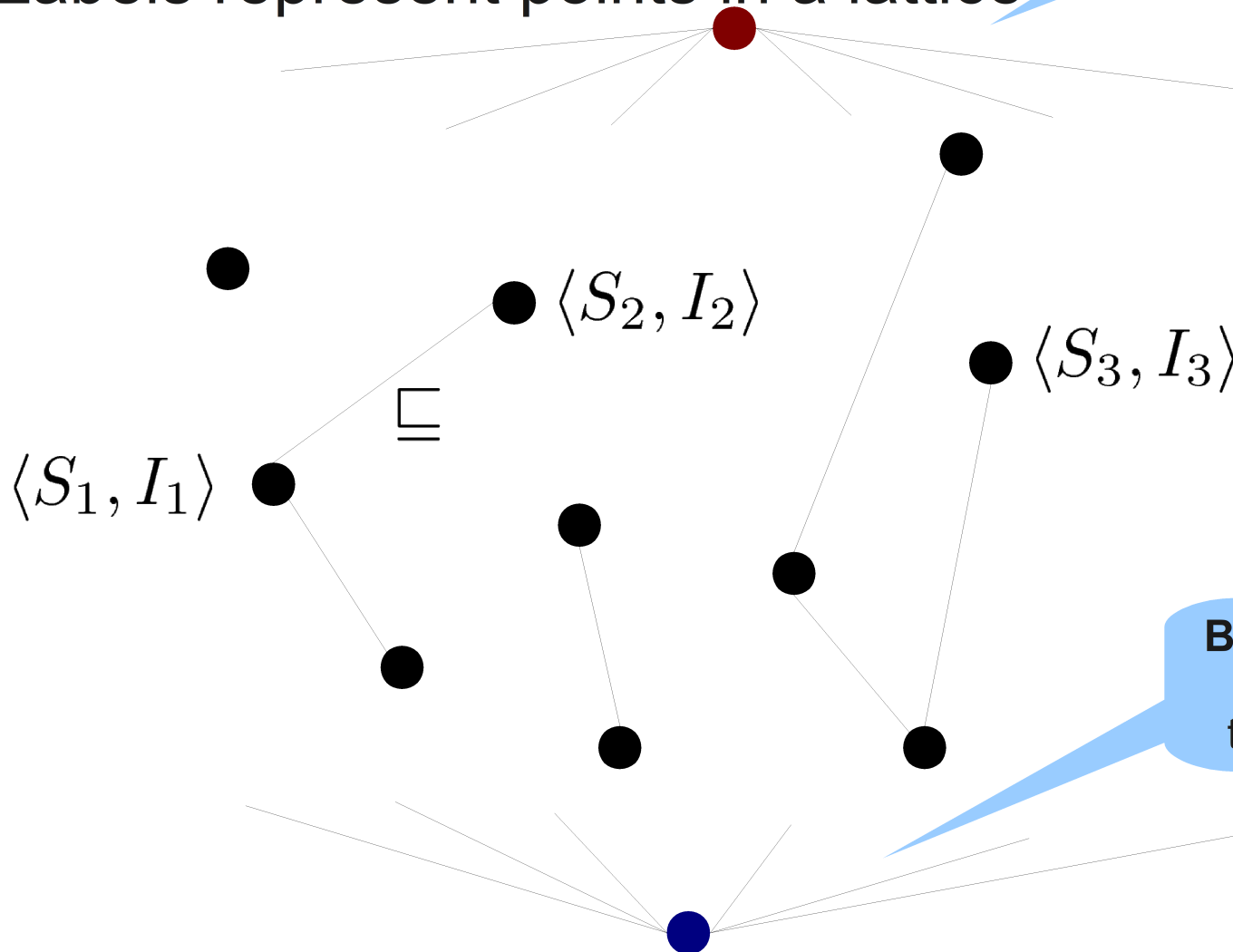
$\Leftrightarrow$

$$\frac{S_2 \Rightarrow S_1 \wedge I_1 \Rightarrow I_2}{\langle S_1, I_1 \rangle \sqsubseteq \langle S_2, I_2 \rangle}$$

# Lattice

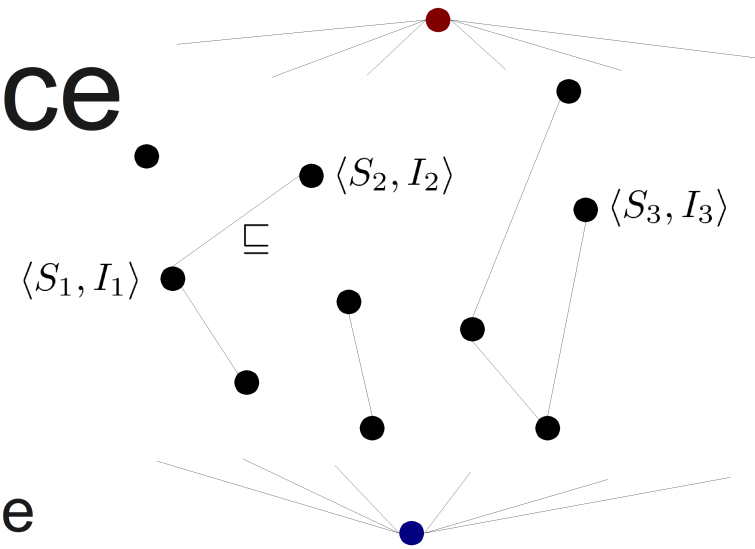
- DCLabels represent points in a lattice

**Top:** the most confidential and untrustworthy data

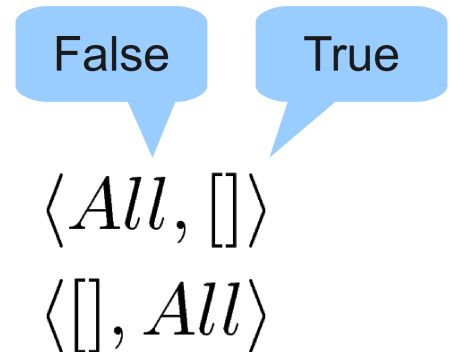


**Bottom:** the most public and trustworthy data

# Dynamic Lattice



- Principals and DCLabels can be generated at run-time
  - This lattice might be modified on run-time
- In a system with several principals (e.g., users), it is difficult to fit the lattice in one picture
  - Gmail? Hotmail? Facebook?
- Top element:  $\langle [P_1] \wedge [P_2] \wedge \dots \wedge [P_n], [] \rangle$
- Bottom element:  $\langle [], [P_1] \wedge [P_2] \wedge \dots \wedge [P_n] \rangle$
- Problem?
  - We do not always know all the principals in the system
    - Principals can come and go



# Join and Meet Operations

- It is possible to define the join and meet operations and prove their correctness
  - The authors of DLM [Myers, Liskov 98] have not proved this formally
    - “The formula for meet is sound, but unlike the formula for join, it does not always produce the most restrictive label for all possible extensions  $P'$ ”
    - “The result is that label inference must be conservative in some cases, which does not seem to be a significant problem”

# Join and Meet for DCLabels

- They are simply defined as

The join and meet for any two labels  $L_1 = \langle S_1, I_1 \rangle$  and  $L_2 = \langle S_2, I_2 \rangle$  are respectively defined as:

$$L_1 \sqcup L_2 = \langle S_1 \wedge S_2, I_1 \vee I_2 \rangle$$

$$L_1 \sqcap L_2 = \langle S_1 \vee S_2, I_1 \wedge I_2 \rangle$$

- We proved that this is actually the join and meet (exercise)
- These operations might introduce categories which are redundant

# Declassification/Endorsement

- Any system have some sort of intended release of information
- In a mutual distrust environment, it is necessary to declassify data after some collaborative effort

$$\langle [Alice] \wedge [Bob], [] \rangle \bullet \xrightarrow{\text{collaborative effort}} \bullet \langle [Alice], [] \rangle$$

- We describe a motivating example based on confidentiality but it also holds for integrity

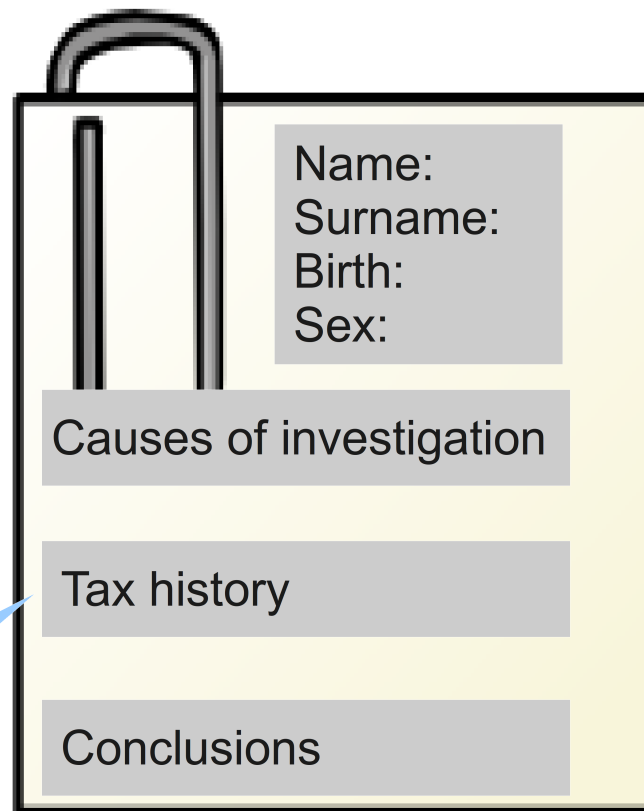


# Declassification

- Alice is carrying out an investigation and she needs the tax history of the suspect



Alice



Bob

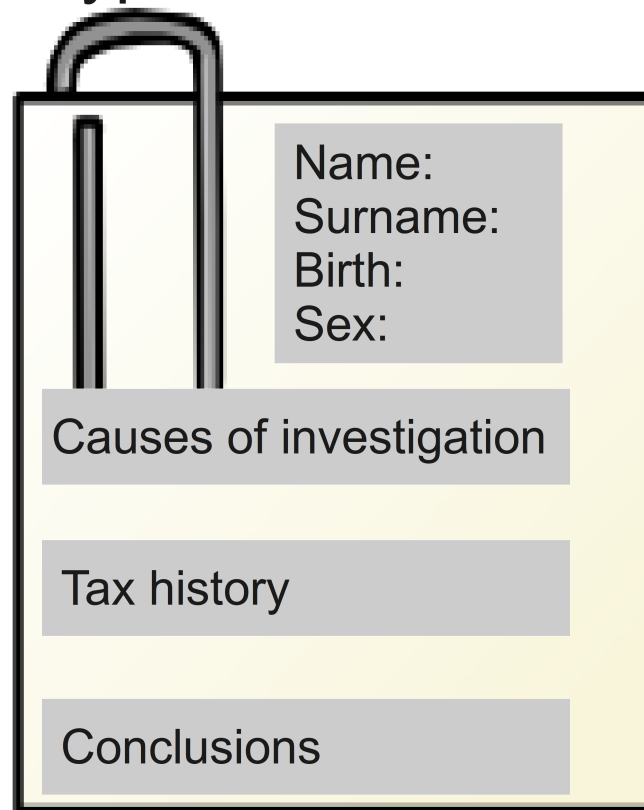
The mayor should provide the tax history

# Declassification

- The code that Alice is running has the privilege “Alice”
  - It allows to ignore the principal “Alice” in the DCLabels
  - Privileges help to bypass  $\square$

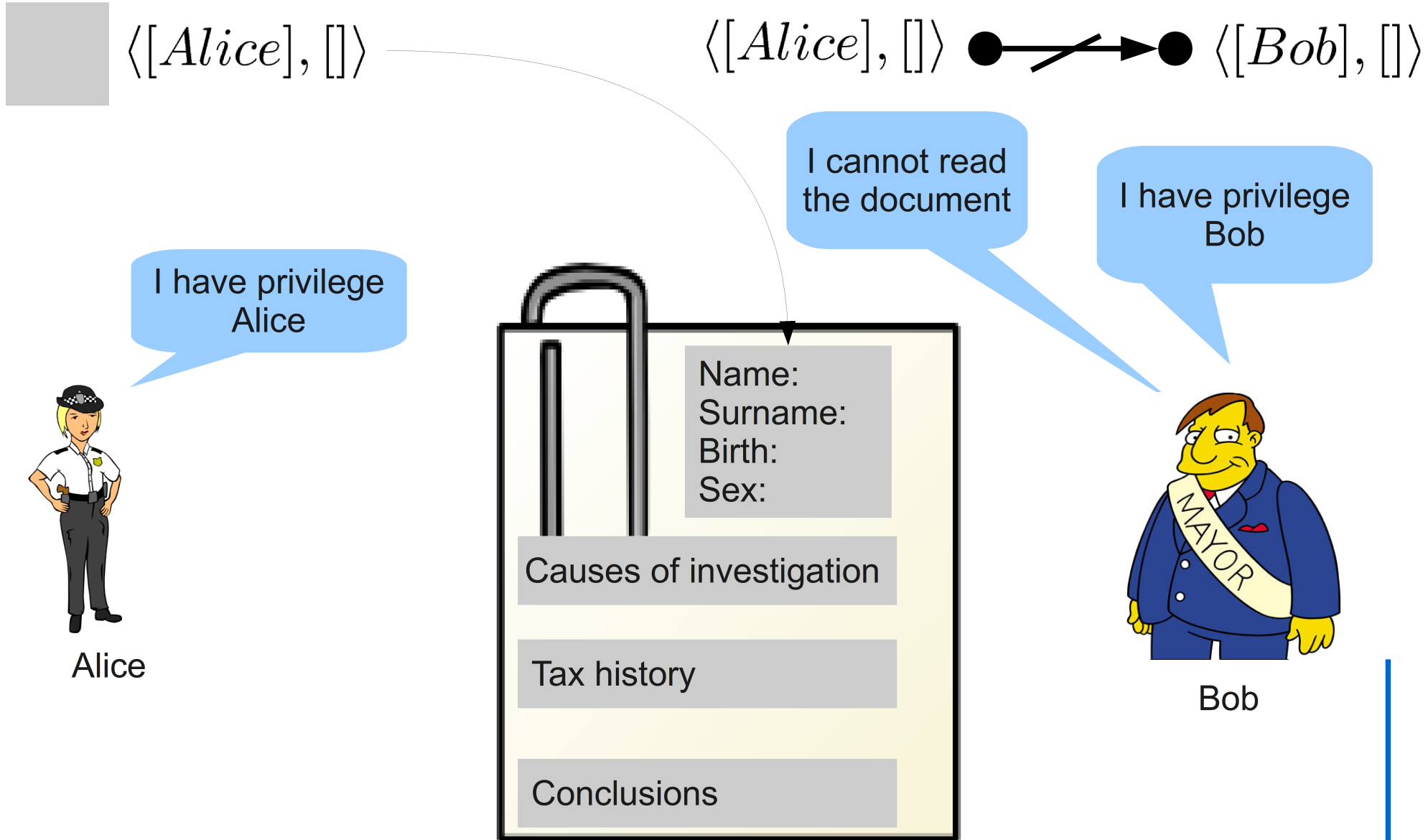


Alice



Bob

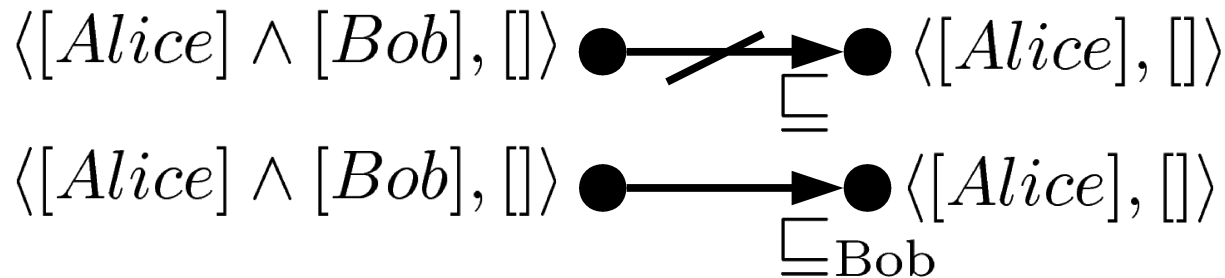
# Declassification



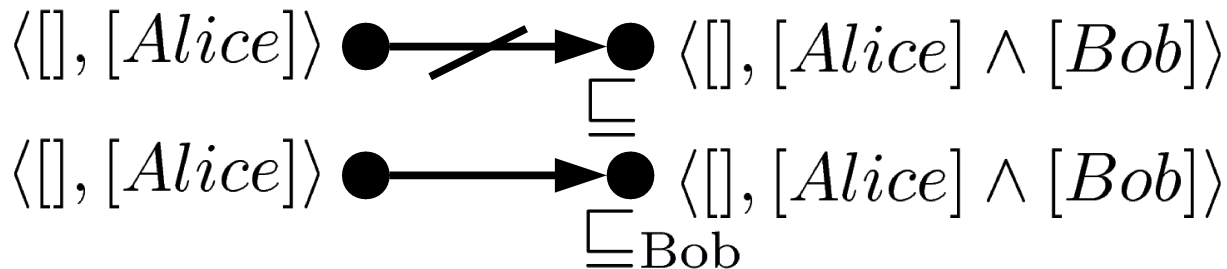
# Privileges

Given any two DC labels  $L_1 = \langle S_1, I_1 \rangle$  and  $L_2 = \langle S_2, I_2 \rangle$ , and a privilege set  $P$ , we can alternatively define the “can-flow-to given  $P$ ” relation as follows:

$$\frac{\langle S_1, I_1 \wedge P \rangle \sqsubseteq \langle S_2 \wedge P, I_2 \rangle}{\langle S_1, I_1 \rangle \sqsubseteq_P \langle S_2, I_2 \rangle}$$

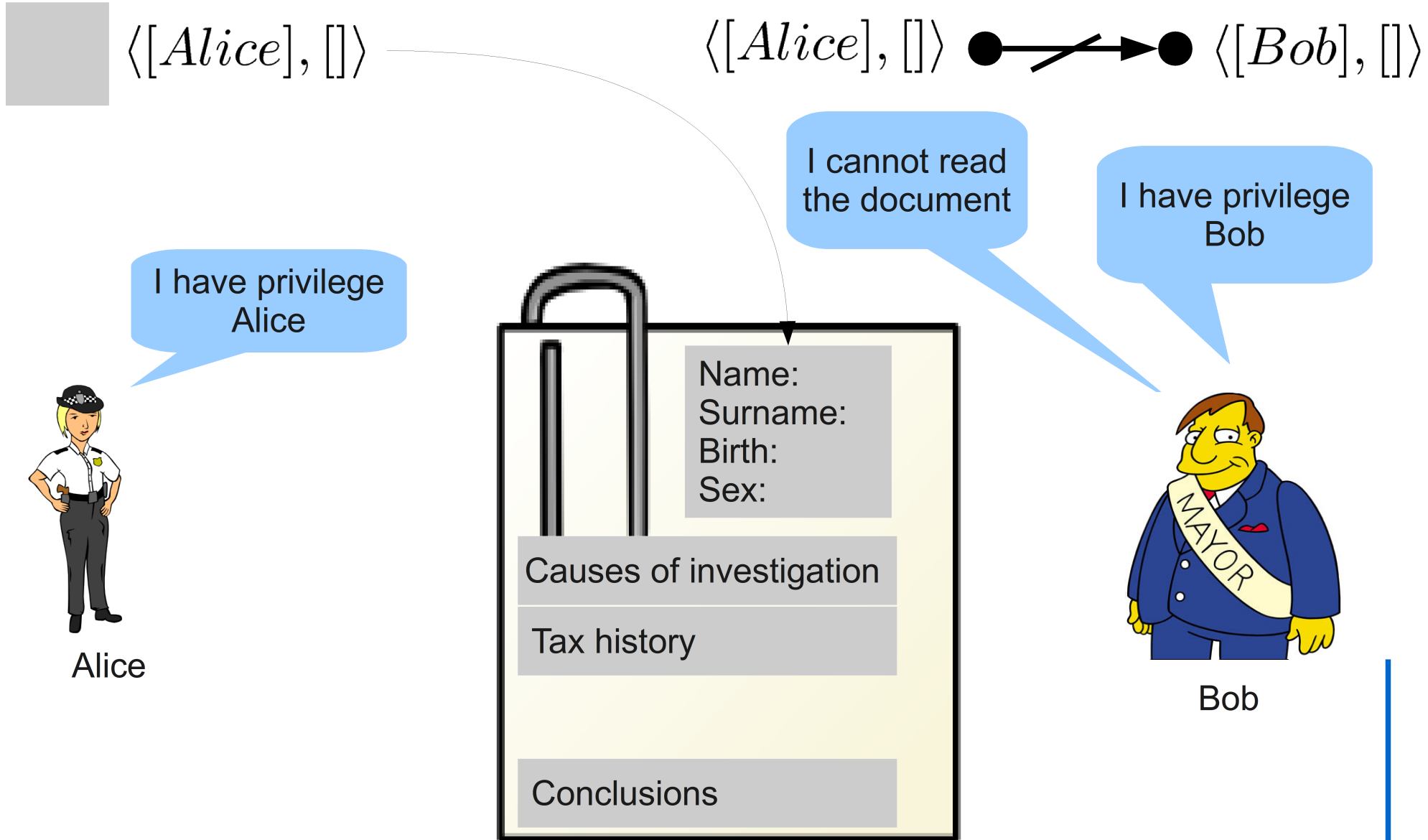


Bob declassifies his data

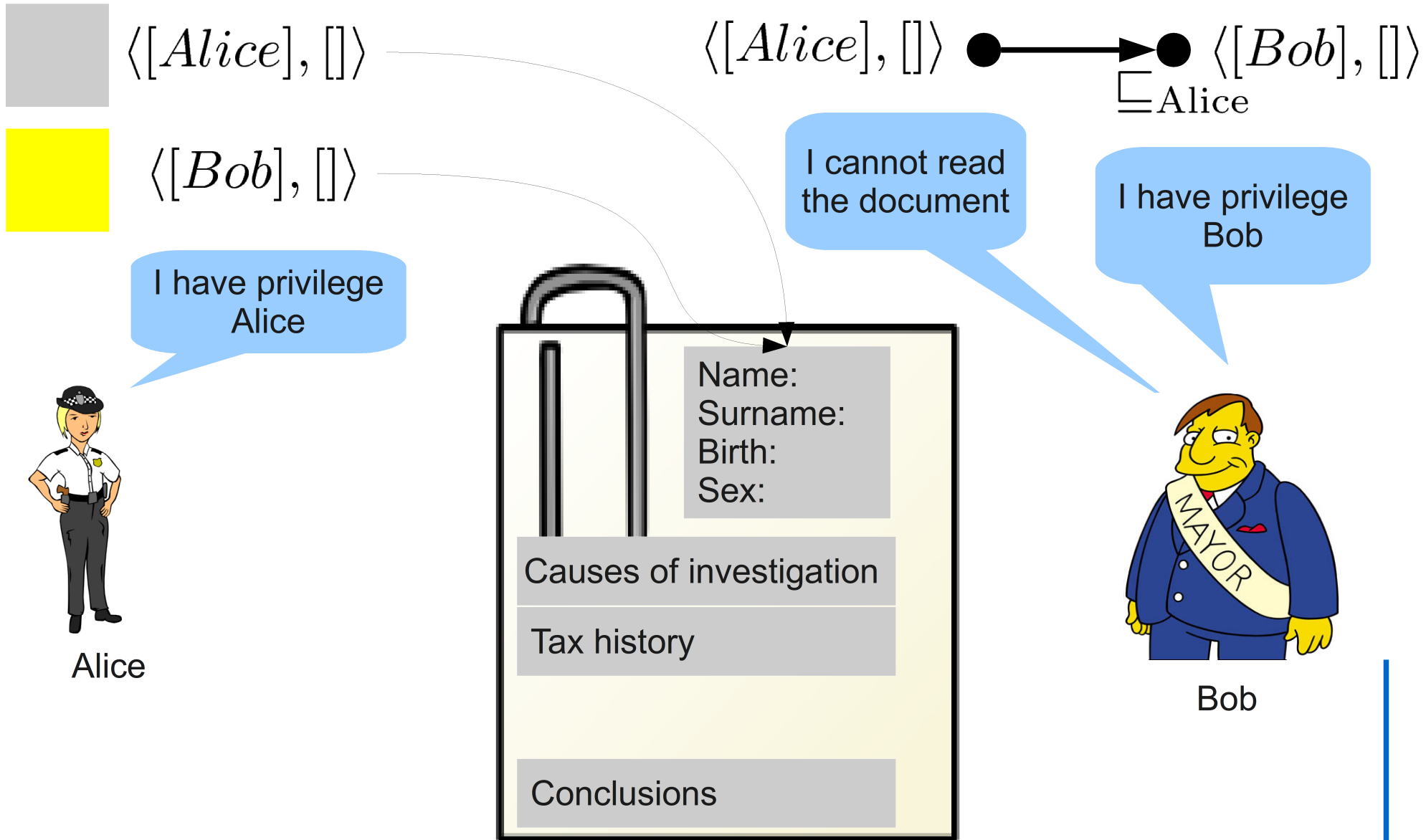


Bob endorses the data

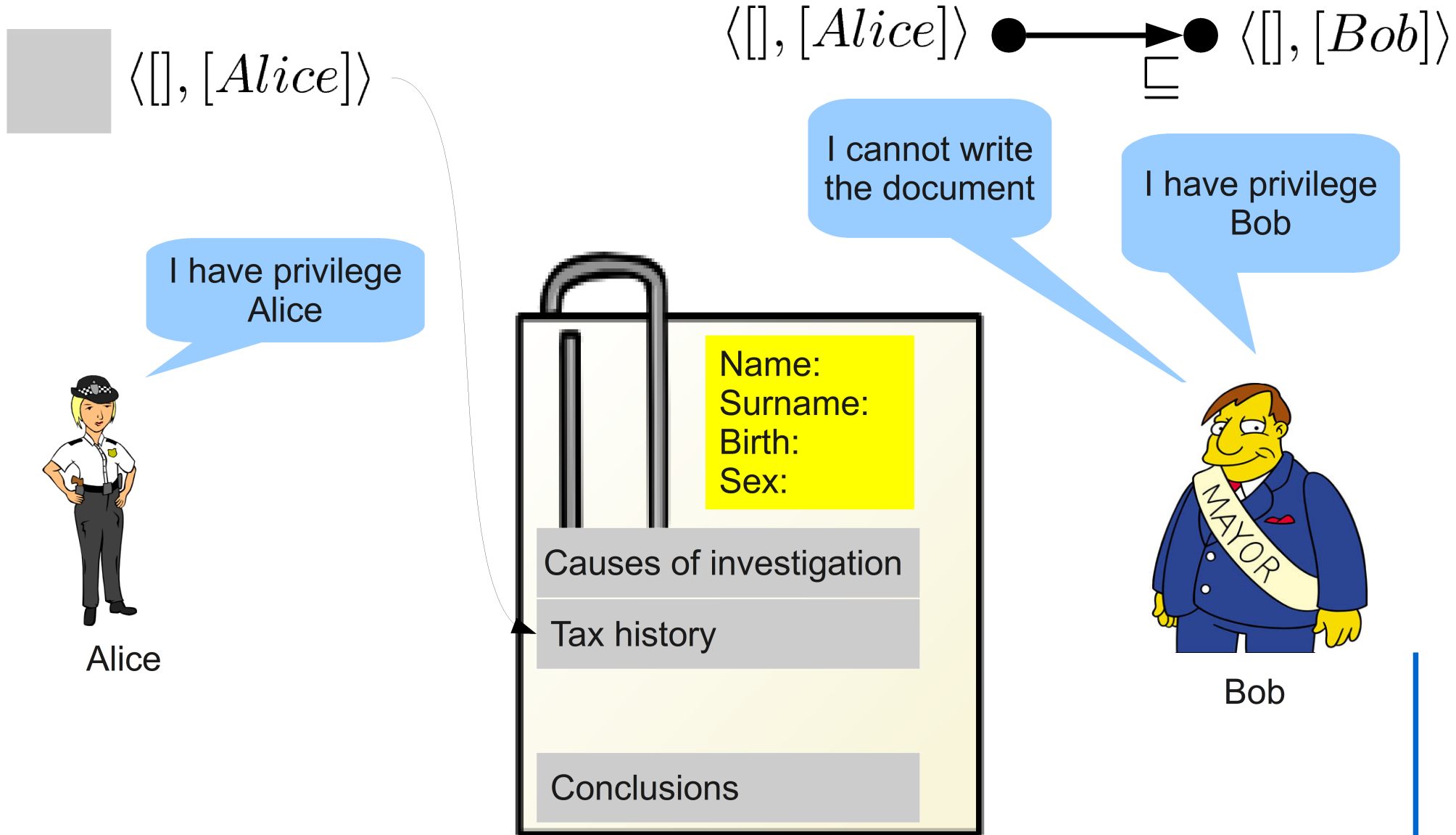
# Declassification



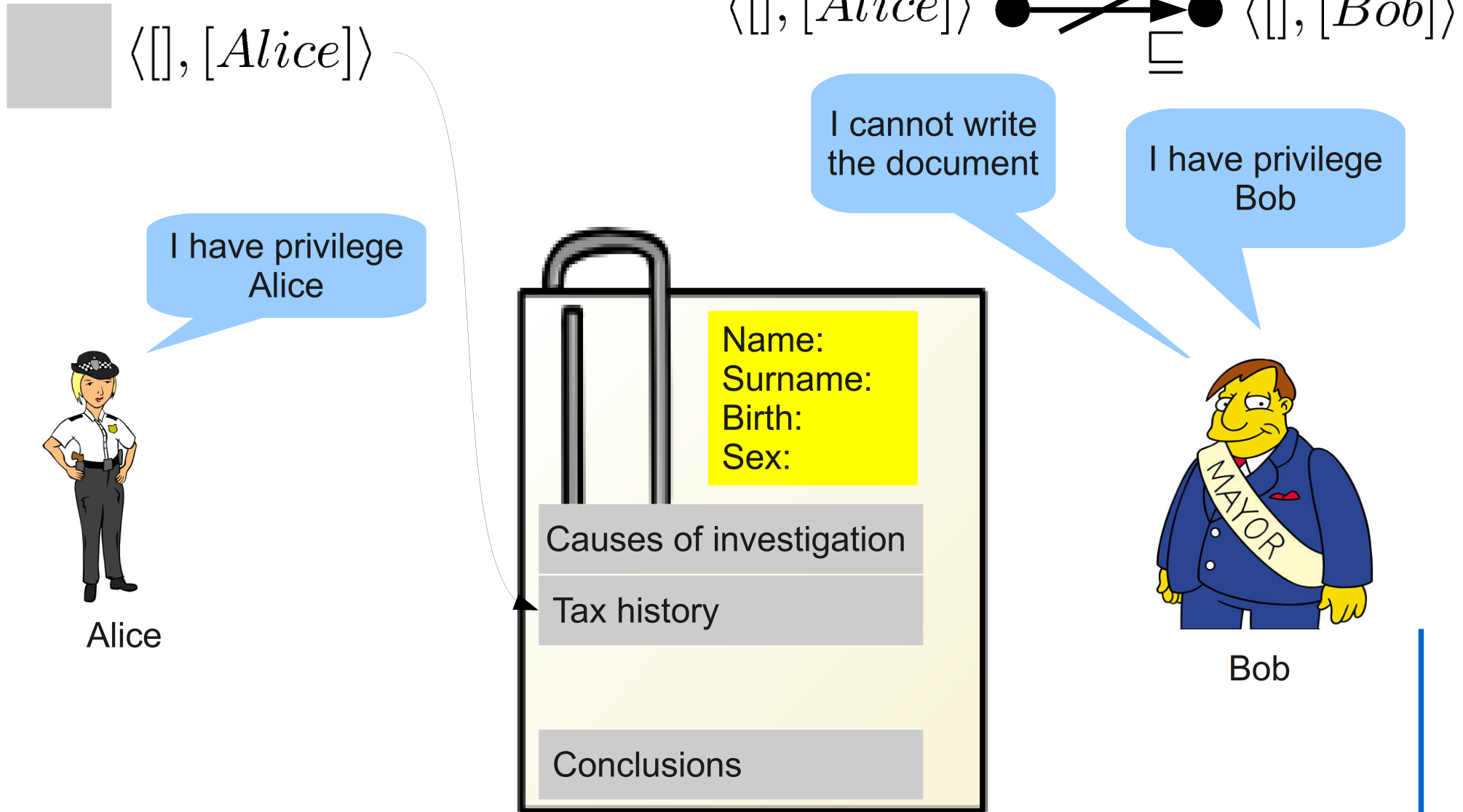
# Declassification



# Endorsement

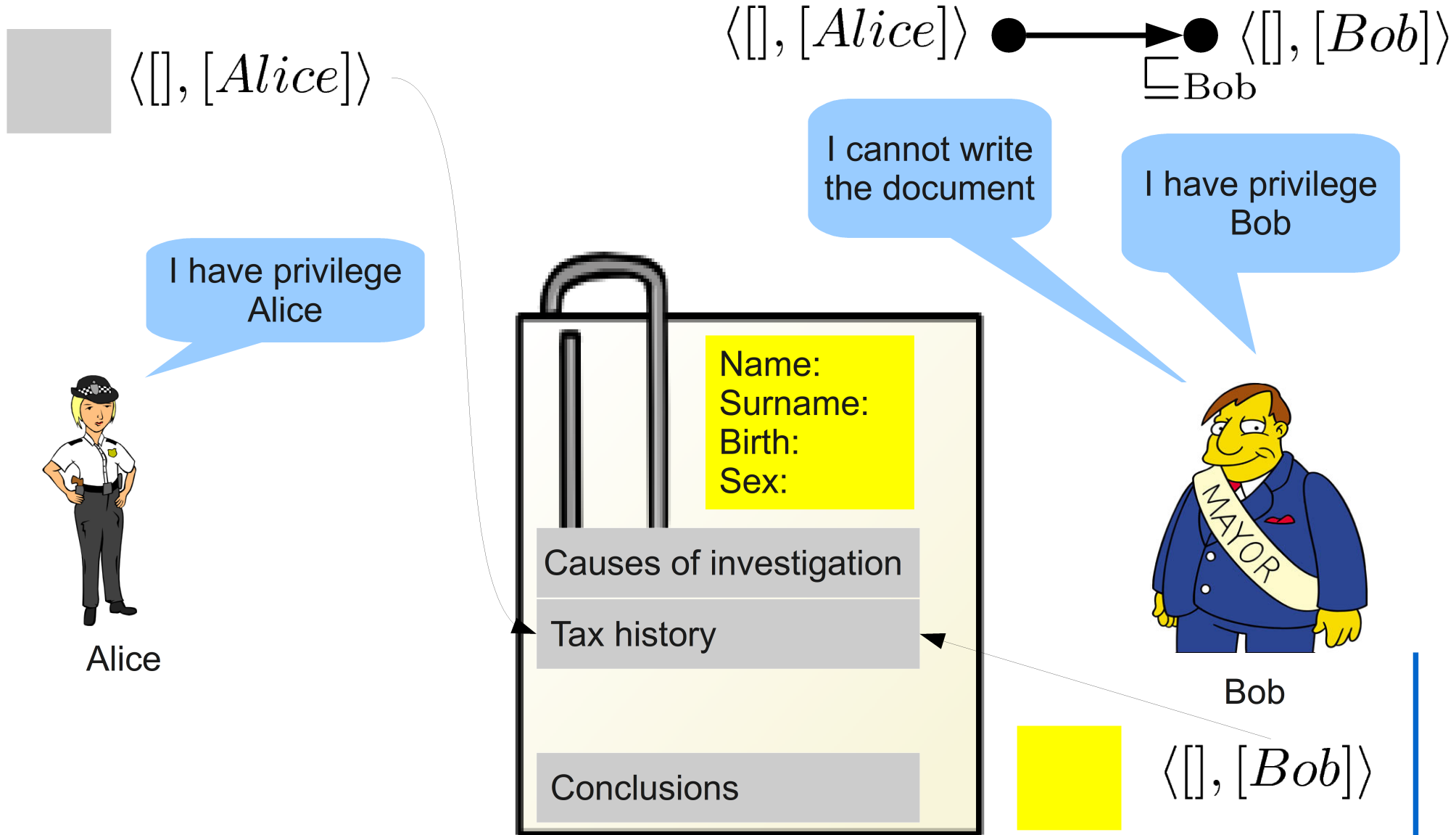


# Endorsement





# Endorsement



# A Library for DCLabels in Haskell

---

- It is in a experimental phase
  - Remember that it is work-in-progress!
- I adapted the library for this course
- In the future, you might refer to the official release
- Check the webpage of the course to get the installation instructions

# Creating DCLabels

```
module Labels where

import DCLabel.Safe
import DCLabel.PrettyShow

c1 = "Alice" .\./. "Bob"

l1 = "Alice" .\./. "Bob" ./\./. "Carla"
l2 = "Alice" ./\./. "Carla"

dc1 = newDC l1 l2

dc2 = newDC "Deain" "Alice"
```

It can use DCLabels without the capability to create privileges

Categories  
(disjunctions)

Labels  
(conjunctions of disjunctions)

DCLabels

# Join, Meet, and $\sqsubseteq$

```
*ExamplesDCLabels> pShow dc1
<{["Alice" \/ "Bob"] /\ ["Carla"]} , {["Alice"] /\ ["Carla"]}>
*ExamplesDCLabels> pShow dc2
<{["Deain"]} , {["Alice"]}>
*ExamplesDCLabels> pShow $ join dc1 dc2
<{["Alice" \/ "Bob"] /\ ["Carla"] /\ ["Deain"]} , {["Alice"]}>
*ExamplesDCLabels> pShow $ meet dc1 dc2
<{["Alice" \/ "Bob" \/ "Deain"] /\ ["Carla" \/ "Deain"]} ,
 {["Alice"] /\ ["Carla"]}>
*ExamplesDCLabels> pShow dc1
<{["Alice" \/ "Bob"] /\ ["Carla"]} , {["Alice"] /\ ["Carla"]}>
*ExamplesDCLabels> pShow $ join dc1 top
<{ALL} , {}>
*ExamplesDCLabels> pShow $ join dc1 bottom
<{["Alice" \/ "Bob"] /\ ["Carla"]} , {["Alice"] /\ ["Carla"]}>

*ExamplesDCLabels> canflowto dc1 top
True
*ExamplesDCLabels> canflowto bottom dc1
True
```

# Privileges

```
import DCLabel.Core
import DCLabel.PrettyShow
import DCLabel.NanoEDSL

l1 = "Alice" .\\/. "Bob" ./\. "Carla"

l2 = "Alice" ./\. "Carla"

dc1 = newDC l1 l2

dc2 = newDC "Deain" "Alice"

pr = createPrivTCB (newDC ("Alice" ./\. "Carla") )
```

Only trusted code  
can create privileges

Creation

# Privileges

```
*ExamplesDCLabels> pShow dc1  
<{["Alice" \/ "Bob"] /\ ["Carla"]} , {["Alice"] /\ ["Carla"]} >  
*ExamplesDCLabels> pShow dc2  
<{["Deain"]} , {["Alice"]} >  
*ExamplesDCLabels> canflowto dc1 dc2  
False
```

Secrecy category  
of dc1 cannot be  
fulfilled by dc2

```
*ExamplesDCLabels> pShow $ priv pr  
{["Alice"] /\ ["Carla"]}  
*ExamplesDCLabels> canflowto_p pr dc1 dc2  
True
```

Now it is possible  
given privileges

# Final Remarks

- Label system for mutual distrust scenarios (DCLabels)
  - Conjunction of categories
  - Categories are disjunction of principals
- It allows to express the interest of different parties
- Precisely compute join and meet
- Work-in-progress
  - Comparison with DLM (we have a precise meet)
- More systems need to be built using DCLabels