## Parallelization and lock-free programming

What properties does the program executed by thread $t$ have?

```
AtomicInteger x = new AtomicInteger(0);
```


## thread t



1. it is starvation free
2. it is lock free
3. it is lock free, and hence also wait free
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```
int v;
for (int i = 0; i < 10_000; i++) {
    v = x.get();
    v = v + 1;
    if (x.compareAndSet(v - 1, v))
        break;
}
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Note that the increment may fail after trying 10'000 times.

What does function $\mathrm{pm}(\mathrm{L})$ compute?

```
pm([X|[]]) -> X;
pm([X|[Y|[]]]) -> if X > Y -> X; true -> Y end;
pm(L) -> M = length(L) div 2, {A, Z} = lists:split(M, L),
    Me = self(),
    spawn(fun () -> Me ! pm(A) end),
    spawn(fun () -> Me ! pm(Z) end),
    receive B -> B end, receive Y -> Y end, pm([B, Y]).
```

1. the sum of elements in $L$
2. the maximum of elements in $L$
3. the minimum of elements in $L$
4. a sorted copy of $L$

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How many tasks may execute in parallel when computing the factorial of $n$ ?

```
class Factorial extends RecursiveTask<Integer> {
    int n; // number to compute factorial of
    protected Integer compute() {
        if (n <= 1) return 1;
        Factorial f = new Factorial(n - 1);
        f.fork();
        return n * f.join();
    }
}
```

1. $n!$ (the factorial of $n$ )
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3. it depends on the number of available cores
4. there is practically no parallelism

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How many processes may execute in parallel when computing the factorial of $n$ ?

```
fact(1) -> 1;
fact(N) ->
```

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```

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How many tasks may execute in parallel when computing the sum of integers from 1 to $n$ ?

```
class Sum extends RecursiveTask<Integer> {
    int m, n; // sum integers from m to n
    protected Integer compute() {
        if (m > n) return 0;
        if (m == n) return m;
        int mid = m + (n-m)/2; // mid point
        Sum lower = new Sum(m, mid);
        Sum upper = new Sum(mid+1, n);
        lower.fork(); upper.fork();
        return lower.join() + upper.join();
    }
}
```

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2. $n^{2}$ (the square of $n$ )
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