AFP lecture 6: Correctness and testing

Patrik Jansson, FP group, Chalmers and U. of Gothenburg (slides by Andres Löh, Well-Typed, formerly Utrecht U.)

January 19, 2013



What is testing about?

- Gain confidence in the correctness of your program.
- Show that common cases work correctly.
- Show that corner cases work correctly.
- Testing cannot prove the absence of bugs.



Universiteit Utrecht

Correctness

▶ When is a program correct?



Universiteit Utrecht

Correctness

- ▶ When is a program correct?
- What is a specification?
- How to establish a relation between the specification and the implementation?
- What about bugs in the specification?



Universiteit Utrecht

This lecture

Equational reasoning with Haskell programs

QuickCheck, an automated testing library/tool for Haskell



Universiteit Utrecht

Goals

- Understand how to prove simple properties using equational reasoning.
- Understand how to define QuickCheck properties and how to use QuickCheck.
- Understand how QuickCheck works and how to make QuickCheck usable for your own larger programs.



Universiteit Utrecht

3.1 Equational reasoning



Universiteit Utrecht

[Faculty of Science Information and Computing Sciences] ে এ দাং প্রেটিং গাইং গ্রেছিং হিছেপ্রে হি

- "Equals can be substituted for equals"
- In other words: if an expression has a value in a context, we can replace it with any other expression that has the same value in the context without affecting the meaning of the program.



Universiteit Utrecht

Referential transparency (contd.)

SML is (like most languages) not referentially transparent:

```
let val x = ref 0
    fun f n = (x := !x + n; !x)
in f 1 + f 2
end
```

The expression evaluates to 4.



Universiteit Utrecht

[Faculty of Science Information and Computing Sciences] 금 프 그 (伊가 네트라 시문화) 문 돌아 있었 @

Referential transparency (contd.)

SML is (like most languages) not referentially transparent:

```
let val x = ref 0

fun f n = (x := !x + n; !x)

in f 1 + f 2

end
```

The expression evaluates to 4. The value of f 1 is 1. But

```
let val x = ref 0

fun f n = (x := !x + n; !x)

in 1 + f 2

end
```

evaluates to 3.

Universiteit Utrecht

[Faculty of Science Information and Computing Sciences] 금요 미지 (주) 제 한 제품에서 문화하는 문 돌아 있었다.

Referential transparency (contd.)

```
Also
  let val x = ref 0
fun f n = (x := !x + n; !x)
in f 1 + f 1
   cannot be replaced by
let val x = ref 0

fun f n = (x := !x + n; !x)

val r = f 1

in r+r
```

Universiteit Utrecht

Referential transparency in Haskell

Haskell is referentially transparent.

 The SML example breaks down because Haskell has no untracked side-effects.

```
do

x \leftarrow newlORef 0

let f n = do modifyIORef x (+n); readIORef x

r \leftarrow f 1

s \leftarrow f 2

return (r + s)
```

The type of f is Int \rightarrow IO Int, not Int \rightarrow Int as in SML.



Universiteit Utrecht

[Faculty of Science Information and Computing Sciences] 금 프 그 (伊가 네트라 시문화) 문 돌아 있었 @

Referential transparency in Haskell (contd.) 3.1

- Because of referential transparency, the definitions of functions give us rules for reasoning about Haskell programs.
- Properties regarding datatypes can be proved using induction:

```
data [a] = [] | a : [a]
```

To prove \forall (xs :: [a]).P xs, we prove

▶ P [] \lor \forall (x :: a) (xs :: [a]).P xs \rightarrow P (x : xs)



Universiteit Utrecht

Equational reasoning example

```
\begin{array}{ll} \text{length} :: [a] \rightarrow \text{Int} \\ \text{length} [] &= 0 \\ \text{length} (x : xs) = 1 + \text{length} xs \\ \text{isort} :: \text{Ord} a \Rightarrow [a] \rightarrow [a] \\ \text{isort} [] &= [] \\ \text{isort} (x : xs) = \text{insert} x \text{ (isort } xs) \end{array}
```

 $\begin{array}{ll} \text{insert :: Ord } a \Rightarrow a \rightarrow [a] \rightarrow [a] \\ \text{insert } x \ [] &= [x] \\ \text{insert } x \ (y: ys) \\ &| x \leqslant y &= x: y: ys \\ &| \text{ otherwise } = y: \text{insert } x \ ys \end{array}$



Universiteit Utrecht

Equational reasoning example

```
 \begin{array}{ll} \text{length} :: [a] \rightarrow \text{Int} & \text{insert} :: \text{Ord } a = \\ \text{length} [] &= 0 & \text{insert } x [] = \\ \text{length} (x : xs) = 1 + \text{length } xs & \text{insert } x (y : ys) \end{array} 
isort :: Ord a \Rightarrow [a] \rightarrow [a]
isort [] = []
isort (x : xs) = insert x (isort xs)
```

 $\begin{array}{ll} \text{insert}:: \text{Ord} \; a \Rightarrow a \rightarrow [a] \rightarrow [a] \\ \text{insert} \; x \; [] & = [x] \end{array}$ $| x \leq y = x : y : ys$ | otherwise = y : insert x ys

Theorem (Sorting preserves length)

 \forall (xs :: [a]).length (isort xs) \equiv length xs



Universiteit Utrecht

Equational reasoning example

```
 \begin{array}{ll} \text{length} :: [a] \to \text{Int} \\ \text{length} [] &= 0 \end{array} 
length (x : xs) = 1 + length xs insert x (y : ys)
isort :: Ord a \Rightarrow [a] \rightarrow [a]
isort [] = []
isort (x : xs) = insert x (isort xs)
```

 $\begin{array}{ll} \text{insert}:: \text{Ord} \; a \Rightarrow a \rightarrow [a] \rightarrow [a] \\ \text{insert} \; x \; [] &= [x] \end{array}$ $| x \leq y = x : y : ys$ | otherwise = y : insert x ys

Theorem (Sorting preserves length)

 \forall (xs :: [a]).length (isort xs) \equiv length xs

Lemma

 \forall (x:: a) (ys:: [a]).length (insert x ys) \equiv 1 + length ys



Universiteit Utrecht

Proof of the Lemma

l emma

```
\forall(x:: a) (ys:: [a]).length (insert x ys) \equiv 1 + length ys
```

Proof by induction on the list.

```
Case []:
```

- length (insert x []) ≡ { Definition of insert } length [x] ≡ { Definition of length } 1 + length []



Universiteit Utrecht

Proof of the Lemma (contd.)

Lemma

```
\forall(x:: a) (ys:: [a]).length (insert x ys) \equiv 1 + length ys
```

```
Case y : ys, case x \leq y:
```

- length (insert x (y : ys)) ≡ { Definition of insert } length (x : y : ys) ≡ { Definition of length } 1 + length (y : ys)



Universiteit Utrecht

Proof of the Lemma (contd.)

Lemma

```
\forall(x:: a) (ys:: [a]).length (insert x ys) \equiv 1 + length ys
```

Case y : ys, case x > y:

length (insert x (y : ys))
≡ { Definition of insert }
length (y : insert x ys)

$$\equiv$$
 { Definition of length }

- $= \{ \text{ Definition of length } \}$ $= \{ \text{ Induction hypothesis } \}$ $= \{ \text{ Induction hypothesis } \}$ $= \{ \text{ Definition of length } \}$ = 1 + length (y : ys)



Universiteit Utrecht

Proof of the Theorem

Theorem

```
\forall(xs :: [a]).length (isort xs) \equiv length xs
```

Proof by induction on the list.

```
Case []:
```

```
length (isort [])

≡ { Definition of isort }

length []
```



Proof of the Theorem (contd.)

Theorem

```
\forall(xs :: [a]).length (isort xs) \equiv length xs
```

Case x : xs:

```
length (isort (x : xs))

≡ { Definition of isort }

length (insert x (isort xs))
```

```
\equiv \{ \text{Lemma } \} \\ 1 + \text{length (isort xs)}
```

- \equiv { Induction hypothesis }
- 1 + length xs $\equiv \{ \text{ Definition of length } \}$ length (x : xs)



Universiteit Utrecht

Equational reasoning summary

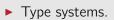
- Equational reasoning can be an elegant way to prove properties of a program.
- Equational reasoning can be used to establish a relation between an "obivously correct" Haskell program (a specification) and an efficient Haskell program.
- Equational reasoning is usually quite lengthy.
- Careful with special cases (laziness):
 - undefined values;
 - infinite values
- It is infeasible to prove properties about every Haskell program using equational reasoning.



Universiteit Utrecht

[Faculty of Science Information and Computing Sciences] - 금 모 : (국가 클라 프로마, 클럽 등 이 있었습 ~

Other proof methods



Proof assistants.



Universiteit Utrecht

[Faculty of Science Information and Computing Sciences] - 금 모 : 영화 : 그 글 : 그 그는 : 큰 글 한 사양식 @

3.2 QuickCheck



[Faculty of Science Information and Computing Sciences] イロワン語をときとくたい きょうへんへん

3-20

Universiteit Utrecht

QuickCheck

- QuickCheck is a Haskell library developed by Koen Claessen and John Hughes.
- An embedded domain-specific language (EDSL) for defining properties.
- Automatic datatype-driven generation of random test data.
- Extensible by the user.
- Shrinks failing test cases.



Using QuickCheck

To use QuickCheck in your program:

```
import Test.QuickCheck
```

The simplest interface is to use

```
quickCheck :: Testable prop \Rightarrow prop \rightarrow IO ()
```

class Testable prop where property :: prop \rightarrow Property instance Testable Bool instance (Arbitrary a, Show a, Testable prop) \Rightarrow Testable (a \rightarrow prop)



Universiteit Utrecht

[Faculty of Science Information and Computing Sciences] - 금 모 : (국가 클라 프로마, 클럽 등 이 있었습 ~

Recap: Classes and instances

Classes declare predicates on types.

```
class Testable prop where
property :: prop \rightarrow Property
```

Here, any type can either be Testable or not.

 If a predicate holds for a type, this implies that the class methods are supported by the type.
 For any type prop such that Testable prop, there is a method property :: prop → Property.
 Outside of a class declaration, Haskell denotes this type as

property :: Testable prop \Rightarrow prop \rightarrow Property



Universiteit Utrecht

Recap: Classes and instances (contd.)

 ► Instances declare which types belong to a predicate.
 instance Testable Bool instance (Arbitrary a, Show a, Testable prop) ⇒ Testable (a → prop)

Booleans are in Testable.

Functions a \rightarrow prop are in Testable if prop is Testable and a is in Arbitrary and in Show.

- Instance declarations have to provide implementations of the class methods (in this case, of property), as a proof that the predicate does indeed hold for the type.
- Other functions that use class methods inherit the class constraints:

```
quickCheck :: Testable prop \Rightarrow prop \rightarrow IO ()
```



Universiteit Utrecht

Nullary properties

instance Testable Bool

sortAscending :: Bool sortAscending = sort [2, 1] == [1, 2] sortDescending :: Bool sortDescending = sort [2, 1] = [2, 1]

Running QuickCheck:

Main> quickCheck sortAscending +++ OK, passed 100 tests. Main> quickCheck sortDescending *** Failed! Falsifiable (after 1 test):



Universiteit Utrecht

Nullary properties (contd.)

- Nullary properties are static properties.
- QuickCheck can be used for unit testing.
- By default, QuickCheck tests 100 times (which is wasteful for static properties, but configurable).



[Faculty of Science Information and Computing Sciences] 금 다 가 (국가 소리가 사람과), 문 들 이 있었습 수

Functional properties

```
instance (Arbitrary a, Show a, Testable prop) \Rightarrow
Testable (a \rightarrow prop)
```

sortPreservesLength :: $([Int] \rightarrow [Int]) \rightarrow [Int] \rightarrow Bool$ sortPreservesLength isort xs = length (isort xs) == length xs

Main quickCheck (sortPreservesLength isort) +++ OK, passed 100 tests.

Read parameterized properties as universally quantified. QuickCheck automatically generates lists of integers.



Universiteit Utrecht

[Faculty of Science Information and Computing Sciences] 금 다 가 (국가 소리가 사람과), 문 들 이 있었습 수

Another sorting function

import Data.Set
setSort = toList o fromList



Universiteit Utrecht

Another sorting function

```
import Data.Set
setSort = toList ∘ fromList
```

```
Main> quickCheck (sortPreservesLength setSort)
*** Failed! Falsifiable (after 6 tests and 2 shrinks):
[1,1]
```



Universiteit Utrecht

Another sorting function

```
import Data.Set
setSort = toList ∘ fromList
```

```
Main> quickCheck (sortPreservesLength setSort)
*** Failed! Falsifiable (after 6 tests and 2 shrinks):
[1,1]
```

- The function setSort eliminates duplicate elements, therefore a list with duplicate elements causes the test to fail.
- QuickCheck shows evidence of the failure, and tries to present minimal test cases that fail (shrinking).



Universiteit Utrecht

How to fully specify sorting

Property 1

A sorted list should be ordered:

```
\begin{array}{l} \text{sortOrders} :: [Int] \rightarrow \text{Bool} \\ \text{sortOrders} xs = \text{ordered} (\text{sort} xs) \\ \text{ordered} :: \text{Ord} a \Rightarrow [a] \rightarrow \text{Bool} \\ \text{ordered} [] = \text{True} \\ \text{ordered} [x] = \text{True} \\ \text{ordered} (x : y : ys) = x \leqslant y \land \text{ordered} (y : ys) \end{array}
```



[Faculty of Science Information and Computing Sciences]

How to fully specify sorting (contd.)

Property 2

A sorted list should have the same elements as the original list:

 $\begin{array}{l} \mathsf{sortPreservesElements} :: [\mathsf{Int}] \to \mathsf{Bool} \\ \mathsf{sortPreservesElements} \ \mathsf{xs} = \mathsf{sameElements} \ \mathsf{xs} \ (\mathsf{sort} \ \mathsf{xs}) \\ \mathsf{sameElements} \ :: \ \mathsf{Eq} \ \mathsf{a} \Rightarrow [\mathsf{a}] \to [\mathsf{a}] \to \mathsf{Bool} \\ \mathsf{sameElements} \ \mathsf{xs} \ \mathsf{ys} = \mathsf{null} \ (\mathsf{xs} \setminus \setminus \mathsf{ys}) \land \mathsf{null} \ (\mathsf{ys} \setminus \setminus \mathsf{xs}) \end{array}$



Universiteit Utrecht

[Faculty of Science Information and Computing Sciences] 금 다 가 (국가 소리가 사람과), 문 들 이 있었습 수

3.2

More information about test data

collect :: (Testable prop, Show a) \Rightarrow a \rightarrow prop \rightarrow Property

The function collect gathers statistics about test cases. This information is displayed when a test passes:



3-31

Universiteit Utrecht

[Faculty of Science Information and Computing Sciences] 금 다 가 (국가 소리가 사람과), 문 들 이 있었습 수

More information about test data

collect :: (Testable prop, Show a) \Rightarrow a \rightarrow prop \rightarrow Property

The function collect gathers statistics about test cases. This information is displayed when a test passes:

```
\begin{array}{l} \text{Main} \mid \textbf{let } p = \text{sortPreservesLength isort} \\ \text{Main} \mid \text{quickCheck } (\lambda xs \rightarrow \text{collect (null xs) } (p \ xs)) \\ +++ \ \text{OK, passed 100 tests:} \\ 92\% \ \text{False} \\ 8\% \ \text{True} \end{array}
```



[Faculty of Science Information and Computing Sciences]

3.2

More information about test data (contd.) 3.2

 $\begin{array}{l} \mbox{Main} \mbox{ quickCheck } (\lambda xs \to \mbox{collect (length xs 'div' 10) (p xs))} \\ +++ \mbox{ OK, passed 100 tests:} \\ 31\% \ 0 \\ 24\% \ 1 \\ 16\% \ 2 \\ 9\% \ 4 \\ 9\% \ 3 \\ 4\% \ 8 \\ 4\% \ 6 \\ 2\% \ 5 \\ 1\% \ 7 \end{array}$



Universiteit Utrecht

More information about test data (contd.) 3.2

In the extreme case, we can show the actual data that is tested:

```
Main | quickCheck (\lambda xs \rightarrow collect xs (p xs))
+++ OK, passed 100 tests:
6% []
1% [9, 4, -6, 7]
1% [9, -1, 0, -22, 25, 32, 32, 0, 9, ...
...
```

Question

Why is it important to have access to the test data?



Universiteit Utrecht

[Faculty of Science Information and Computing Sciences] 금 프 그 (伊) 제 한 제 문제, 문 말 안 있었지 않

Implications

The function insert preserves an ordered list:

```
implies :: Bool \rightarrow Bool \rightarrow Bool
implies x y = \neg x \lor y
```

Problematic:

 $\begin{array}{l} \mbox{insertPreservesOrdered} :: \mbox{Int} \rightarrow [\mbox{Int}] \rightarrow \mbox{Bool} \\ \mbox{insertPreservesOrdered} \times \mbox{xs} = \\ \mbox{ordered} \ \mbox{xs' implies' ordered} \ \mbox{(insert x xs)} \end{array}$



Universiteit Utrecht

[Faculty of Science Information and Computing Sciences] 금 프 그 (주) 서 한 네 관람이 문 물건 있었지 않

Implications (contd.)

Main quickCheck insertPreservesOrdered +++ OK, passed 100 tests.



Universiteit Utrecht

[Faculty of Science Information and Computing Sciences] - 금 모 : (중요 : 1 은 : (고말), 문 말 안 있었죠.)

Implications (contd.)

 $Main\rangle$ quickCheck insertPreservesOrdered +++ OK, passed 100 tests.

But:

```
\begin{array}{l} \mbox{Main} \mid \mbox{let iPO} = \mbox{insertPreservesOrdered} \\ \mbox{Main} \mid \mbox{quickCheck} (\lambda x \mbox{ xs} \rightarrow \mbox{collect} (\mbox{ordered} \mbox{ xs})) \mbox{iPO} \ x \ xs)) \\ \mbox{+++ OK, passed 100 tests.} \\ \mbox{88\% False} \\ \mbox{12\% True} \end{array}
```

Only 12 lists have really been tested!



Universiteit Utrecht

Implications (contd.)

The solution is to use the QuickCheck implication operator:

```
(\Longrightarrow) :: (Testable prop) \Rightarrow Bool \rightarrow prop \rightarrow Property
instance Testable Property
```

The type Property allows to encode not only True or False, but also to reject the test case.

```
iPO :: Int \rightarrow [Int] \rightarrow Property
iPO x xs = ordered xs \implies ordered (insert x xs)
```

Now we get:

 $\begin{array}{l} \mbox{Main} \ \mbox{quickCheck} \ (\lambda x \ xs \rightarrow \mbox{collect} \ (\mbox{ordered} \ xs) \ (\mbox{iPO} \ x \ xs)) \\ *** \ \mbox{Gave up! Passed only 43 tests} \ (100\% \ \mbox{True}). \end{array}$



Universiteit Utrecht

Configuring QuickCheck

```
data Args = Args {
  replay :: Maybe (StdGen, Int)
  maxSuccess :: Int
  maxDiscard :: Int
  maxSize :: Int
  }
stdArgs :: Args
stdArgs = Args {replay = Nothing,
                maxSuccess = 100.
                maxDiscard = 500,
                maxSize = 100}
quickCheckWith :: Testable prop => Args -> prop
Increasing the number of discarded tests may help.
Better solution: use a custom generator (discussed next
```

Generators

- Generators belong to an abstract data type Gen. Think of Gen as a restricted version of IO. The only effect available to us is access to random numbers.
- We can define our own generators using another domain-specific language. We can define default generators for new datatypes by defining instances of class Arbitrary:

class Arbitrary a where arbitrary :: Gen a shrink :: $a \rightarrow [a]$



Combinators for generators

```
\begin{array}{ll} \text{choose} & :: \text{Random } a \Rightarrow (a, a) \rightarrow \text{Gen } a \\ \text{oneof} & :: [\text{Gen } a] \rightarrow \text{Gen } a \\ \text{frequency} :: [(\text{Int, Gen } a)] \rightarrow \text{Gen } a \\ \text{elements} & :: [a] \rightarrow \text{Gen } a \\ \text{sized} & :: (\text{Int} \rightarrow \text{Gen } a) \rightarrow \text{Gen } a \end{array}
```



[Faculty of Science Information and Computing Sciences] ১৪ দাং ক্রিং বাই চাং ক্রিং, ই ভ্রাণ ওিক্ ে

Simple generators

```
instance Arbitrary Bool where
   arbitrary = choose (False, True)
instance (Arbitrary a, Arbitrary b) \Rightarrow Arbitrary (a, b) where
   arbitrary = do
                    x \leftarrow arbitrary
                    v \leftarrow arbitrarv
                    return (x, y)
data Dir = North | East | South | West
instance Arbitrary Dir where
   arbitrary = elements [North, East, South, West]
```



Universiteit Utrecht

Generating numbers

A simple possibility:

```
instance Arbitrary Int where
arbitrary = choose (-20, 20)
```

Better:

instance Arbitrary Int **where** arbitrary = sized $(\lambda n \rightarrow choose (-n, n))$

 QuickCheck automatically increases the size gradually, up to the configured maximum value.



Universiteit Utrecht

Generating trees

A bad approach to generating more complex values is a frequency table:

Here:

 $\begin{array}{ll} \mbox{lift} M & :: (a \rightarrow b) & \rightarrow \mbox{Gen } a \rightarrow \mbox{Gen } b \\ \mbox{lift} M2 :: (a \rightarrow b \rightarrow c) \rightarrow \mbox{Gen } a \rightarrow \mbox{Gen } b \rightarrow \mbox{Gen } c \end{array}$



Universiteit Utrecht

Generating trees

A bad approach to generating more complex values is a frequency table:

Here:

 $\begin{array}{ll} \mbox{lift} M & :: (a \rightarrow b) & \rightarrow \mbox{Gen } a \rightarrow \mbox{Gen } b \\ \mbox{lift} M2 :: (a \rightarrow b \rightarrow c) \rightarrow \mbox{Gen } a \rightarrow \mbox{Gen } b \rightarrow \mbox{Gen } c \end{array}$

Termination is unlikely!

Universiteit Utrecht

Generating trees (contd.)

```
instance Arbitrary a \Rightarrow Arbitrary (Tree a) where
arbitrary = sized arbitraryTree
arbitraryTree :: Arbitrary a \Rightarrow Int \rightarrow Gen (Tree a)
arbitraryTree 0 = liftM Leaf arbitrary
arbitraryTree n = frequency [(1, liftM Leaf arbitrary),
(4, liftM2 Node t t)]
where t = arbitraryTree (n 'div' 2)
```

Why a non-zero probability for Leaf in the second case of arbitraryTree?



Universiteit Utrecht

Shrinking

The other method in Arbitrary is

```
shrink :: (Arbitrary a) \Rightarrow a \rightarrow [a]
```

- Maps each value to a number of structurally smaller values.
- Default definition returns [] and is always safe.
- When a failing test case is discovered, shrink is applied repeatedly until no smaller failing test case can be obtained.



Universiteit Utrecht

Defining Arbitrary generically

- Both arbitrary and shrink are examples of datatype-generic functions – they can be defined for (almost) any Haskell datatype in a systematic way.
- Haskell does not provide any way to write down such an algorithm.
- Many extensions and tools do (cf. course on Generic Programming in block 4).



Universiteit Utrecht

GHCi pitfall

All lists are ordered?

Main \rangle quick Check ordered +++ OK, passed 100 tests.



Universiteit Utrecht

[Faculty of Science Information and Computing Sciences] - 금 모 : (종자 : 루 : (고말), 루 글 한 사양식 (*

GHCi pitfall

All lists are ordered?

Main \rangle quick Check ordered +++ OK, passed 100 tests.

Use type signatures in GHCi to make sure a sensible type is used!

 $\begin{array}{l} \mathsf{Main} \ \mathsf{quickCheck} \ (\mathsf{ordered} :: [\mathsf{Int}] \to \mathsf{Bool}) \\ \texttt{***} \ \mathsf{Failed!} \ \mathsf{Faisifiable} \ (\mathsf{after} \ \mathsf{3} \ \mathsf{tests} \ \mathsf{and} \ \mathsf{2} \ \mathsf{shrinks}): \\ [0, -1] \end{array}$

Un Un

Universiteit Utrecht

Loose ends

Haskell can deal with infinite values, and so can QuickCheck. However, properties must not inspect infinitely many values. For instance, we cannot compare two infinite values for equality and still expect tests to terminate. Solution: Only inspect finite parts.



Universiteit Utrecht

[Faculty of Science Information and Computing Sciences] - 금 모 : (국가 클라 프로마, 클럽 등 이 있었습 ~

Loose ends

- Haskell can deal with infinite values, and so can QuickCheck. However, properties must not inspect infinitely many values. For instance, we cannot compare two infinite values for equality and still expect tests to terminate. Solution: Only inspect finite parts.
- QuickCheck can generate functional values automatically, but this requires defining an instance of another class CoArbitrary. Also, showing functional values is problematic.



Universiteit Utrecht

Loose ends

- Haskell can deal with infinite values, and so can QuickCheck. However, properties must not inspect infinitely many values. For instance, we cannot compare two infinite values for equality and still expect tests to terminate. Solution: Only inspect finite parts.
- QuickCheck can generate functional values automatically, but this requires defining an instance of another class CoArbitrary. Also, showing functional values is problematic.
- QuickCheck has facilities for testing properties that involve IO, but this is more difficult than testing pure properties.



Universiteit Utrecht

4.1 Haskell Program Coverage



Universiteit Utrecht

[Faculty of Science Information and Computing Sciences] ことロトロート (書) くきょうきょう きょうへんの

Reachable uncovered code

Program code can be classified:

- unreachable code: code that simply is not used by the program, usually library code
- reachable code: code that can in principle be executed by the program



Universiteit Utrecht

Reachable uncovered code

Program code can be classified:

- unreachable code: code that simply is not used by the program, usually library code
- reachable code: code that can in principle be executed by the program

Reachable code can be classified further:

- covered code: code that is actually executed during a number of program executions (for instance, tests)
- uncovered code: code that is not executed during testing



Universiteit Utrecht

Reachable uncovered code

Program code can be classified:

- unreachable code: code that simply is not used by the program, usually library code
- reachable code: code that can in principle be executed by the program

Reachable code can be classified further:

- covered code: code that is actually executed during a number of program executions (for instance, tests)
- uncovered code: code that is not executed during testing

Uncovered code is untested code – it could be executed, and it could do anything!



Universiteit Utrecht

Introducing HPC

► HPC (Haskell Program Coverage) is a tool – integrated into GHC – that can identify uncovered code.

► Using HPC is extremely simple:

- Compile your program with the flag -fhpc.
- Run your program, possibly multiple times.
- Run hpc report for a short coverage summary.
- Run hpc markup to generate an annotated HTML version of your source code.



Universiteit Utrecht

What HPC does

- HPC can present your program source code in a color-coded fashion.
- ▶ Yellow code is uncovered code.
- Uncovered code is discovered down to the level of subexpressions! (Most tools for imperative language only give you line-based coverage analyis.)
- ▶ HPC also analyzes boolean expressions:
 - Boolean expressions that have always been True are displayed in green.
 - Boolean expressions that have always been False are displayed in red.



Universiteit Utrecht

[Faculty of Science Information and Computing Sciences]

QuickCheck and HPC

QuickCheck and HPC interact well!

- Use HPC to discover code that is not covered by your tests.
- Define new test properties such that more code is covered.
- Reaching 100% can be really difficult (why?), but strive for as much coverage as you can get.



Universiteit Utrecht